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Not all paths lead to Rome: Analysing the network of sister cities

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Abstract. This work analyses the practice of sister city pairing. We investigate structural properties of the resulting city and country networks and present rankings of the most central nodes in these networks. We identify different country clusters and find that the practice of sister city pairing is not influenced by geographical proximity but results in highly assortative networks.

Keywords: Social network analysis, sister cities, social self-organisation

1 Introduction

Human social activity in the form of person-to-person interactions has been studied and analysed in many contexts, both for online [7] and off-line behaviour [11]. However, sometimes social interactions give rise to relations not anymore between individuals but rather between entities like companies [4], associations [8] or countries [2]. Often these relations are associated with economic exchanges [2], sports rivalry [9] or even cooperation [8].

In this work we study one type of such relations expressed in the form of *sister city partnerships*¹. The concept of sister cities refers to a partnership between two cities or towns with the aim of cultural and economical exchange. Most partnerships connect cities in different countries, however also intra-country city partnerships exist. Our study aims at understanding some of the basic social, geographical and economic mechanisms behind the practice of city pairings.

We extracted the network of sister cities as reported on the English Wikipedia, as far as we know the most extensive but probably not complete collection of this kind of relationships. The resulting social network, an example of social self organisation, is analysed in its original form and aggregated per country. Although there exist studies that analyse networks of cities (e.g. networks generated via aggregating individual phone call interactions [6]) to the best of our knowledge this is the first time that institutional relations between cities are investigated.

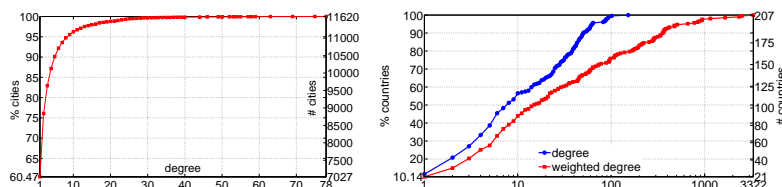
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¹ Sometimes the same concept is also referred to as *twin town*, *partnership town*, *partner town* or *friendship town*. Here we use preferentially the term *sister city*.

Table 1. Network properties: number of nodes N and edges K , average clustering coefficient $\langle C \rangle$, % of nodes in the giant component GC, average path-length $\langle d \rangle$.

network	N	K	$\langle C \rangle$	% GC	$\langle d \rangle$
city network	11 618	15 225	0.11	61.35%	6.74
country network	207	2933	0.43	100%	2.12

**Fig. 1.** Cumulative degree distribution in the city (left) and country networks (right).

2 Dataset description

The dataset used in this study was constructed (using an automated parser and a manual cleaning process) from the listings of sister cities on the English Wikipedia.² We found 15 225 pairs of sister cities, which form an undirected³ *city network* of 11 618 nodes. Using the *Google Maps API* we were able to geo-locate 11 483 of these cities.

We furthermore construct an aggregated undirected and weighted *country network*, where two countries A and B are connected if a city of country A is twinned with a city of country B . The number of these international connections is the edge weight. The country network consists of 207 countries and 2 933 links. Some countries have self-connections (i.e. city partnerships within the same country). Germany has the largest number of such self links as a result of many sister city relations between the formerly separated East and West Germany.

Table 1 lists the principal macroscopic measures of these two networks. The clustering coefficient of the city network is comparable to the values observed in typical social networks [10]. Also the average path-length between two cities is with 6.7 in line with the famous six-degrees-of-separation. The country network is denser, witnessed by the remarkably high value of the clustering coefficient ($\langle C \rangle = 0.43$), and a very short average distance of 2.12.

In Figure 1 we plot the degree distributions of both networks. We observe in Figure 1 (left) that more than 60% of the cities have only one sister city, about 16% have two and only less than 4% have more than 10. For the countries we observe in Figure 1 (right) that around 58% of the countries have less than 10 links to other countries, but at the same time more than 20% of the countries have more than 100 sister city connections (i.e. weighted degree ≥ 100). Both networks have skewed degree-distributions with a relative small number of hubs.

² Starting from http://en.wikipedia.org/wiki/List_of_twin_towns_and_sister_cities, which includes links to listings of sister cities grouped by continent, country and/or state.

³ Although only 29.8% of the links were actually reported for both directions.

Table 2. Comparing assortativity coefficients r of the city network with the mean assortativity coefficients r_{rand} and the corresponding stdv σ_{rand} of randomised networks. Resulting Z-scores ≥ 2 (in bold) indicate assortative mixing. Apart from the city degrees, the city properties used coincide with the corresponding country indexes.

property	r	r_{rand}	σ_{rand}	Z
city degree	0.3407	-0.0037	0.0076	45.52
Gross Domestic Product (GDP) ⁴	0.0126	-0.0005	0.0087	1.51
GDP per capita ⁵	0.0777	0.0005	0.0078	9.86
Human Development Index (HDI) ⁶	0.0630	-0.0004	0.0075	8.46
Political Stability Index ⁷	0.0626	0.0004	0.0090	6.94

3 Assortativity

To understand mixing preferences between cities, we follow the methodology of [3] and calculate an assortativity measure based on the Z-score of a comparison between the original sister city network and 100 randomised equivalents. For degree-assortativity, randomised networks are constructed by reshuffling the connections and preserving the degree; in the other cases, the network structure is preserved while the values of node properties are reshuffled.

Table 2 gives an overview of the results. We find that the city network is highly assortative indicating a clear preference for connections between cities with similar degree. We also analyse assortativity scores for other variables and find that cities from countries with similar Gross Domestic Product (GDP) per capita, Human Development Index or even similar indexes of political stability are more likely to twin. Only for the nominal GDP neutral mixing is observed.

4 Rankings

We discuss now city and country rankings based on centrality measures. For the sister city network we show the top 20 cities ranked by degree (Table 3, left). Saint Petersburg, often referred to as the geographic and cultural border of the West and East, is the most connected and also most central sister city. There are also cities, such as Buenos Aires, Beijing, Rio de Janeiro and Madrid, which have large degrees but exhibit lower betweenness ranks. In particular, the Spanish and the Chinese capitals have significantly lower values of betweenness, which could be caused by the fact that other important cities in these countries (e.g. Barcelona or Shanghai) act as primary international connectors.

In Table 3 (right) we present rankings for the country network. In this case the USA lead the rankings in the two centrality measures we report. The top ranks are nearly exclusively occupied by Group of Eight (G8) countries suggesting a relation between economic power and sister city connections.

⁴ Source [http://en.wikipedia.org/wiki/List_of_countries_by_GDP_\(nominal\)](http://en.wikipedia.org/wiki/List_of_countries_by_GDP_(nominal))

⁵ Source: [http://en.wikipedia.org/wiki/List_of_countries_by_GDP_\(nominal\)_per_capita](http://en.wikipedia.org/wiki/List_of_countries_by_GDP_(nominal)_per_capita)

⁶ Source: http://en.wikipedia.org/wiki/List_of_countries_by_Human_Development_Index

⁷ Source: http://viewswire.eiu.com/site_info.asp?info_name=social_unrest_table

Table 3. The top 20 cities (left) and countries (right) ranked by (weighted) degree. Ranks for betweenness centrality in parenthesis.

city	degree	betweenness	country	weighted degree	betweenness
Saint Petersburg	78	562 697.97 (1)	USA	4520	9855.74 (1)
Shanghai	75	825 512.69 (4)	France	3313	1946.26 (3)
Istanbul	69	601 099.50 (12)	Germany	2778	886.78 (6)
Kiev	63	758 725.12 (5)	UK	2318	2268.32 (2)
Caracas	59	430 330.45 (23)	Russia	1487	483.65 (9)
Buenos Aires	58	348 594.25 (36)	Poland	1144	34.09 (33)
Beijing	57	184 090.42 (124)	Japan	1131	168.47 (20)
São Paulo	55	427 457.92 (24)	Italy	1126	849.20 (7)
Suzhou	54	740 377.17 (6)	China	1076	1538.42 (4)
Taipei	53	486 042.21 (20)	Ukraine	946	89.22 (27)
Izmir	52	885 338.70 (3)	Sweden	684	324.84 (14)
Bethlehem	50	1 009 707.96 (2)	Norway	608	147.06 (22)
Moscow	49	553 678.88 (16)	Spain	587	429.79 (11)
Odessa	46	724 833.39 (8)	Finland	584	30.24 (35)
Malchow	46	519 872.56 (17)	Brazil	523	332.26 (13)
Guadalajara	44	678 060.06 (9)	Mexico	492	149.70 (21)
Vilnius	44	589 031.92 (14)	Canada	476	72.01 (28)
Rio de Janeiro	44	381 637.67 (29)	Romania	472	34.44 (32)
Madrid	40	135 935.80 (203)	Belgium	464	145.18 (23)
Barcelona	39	266 957.88 (60)	The Netherlands	461	274.79 (16)

5 Clustering of the country network

In Figure 2 we depict the country network. Node size corresponds to the weighted degree, and the width of a connection to the number of city partnerships between the connected countries. The figure shows the central position of countries like the USA, France, UK and China in this network.

The colours of the nodes correspond to the outcome of node clustering with the Louvain method. We find 4 clusters. The largest one (in violet) includes the USA, Spain and most South American, Asian, and African countries. The second largest (in green) is composed of Eastern-European and Balkan countries: Turkey, Russia, and Poland are the most linked among them. The third cluster (in red) consists of Central and Western-European countries and some of their former colonies. It is dominated by Germany, UK, France and the Netherlands. Finally, the smallest cluster (in cyan) mainly consists of Nordic countries.

The clustering suggests cultural or geographical proximity being a factor in city partnerships. In the next section we will investigate this further.

6 Distances

To test the extent to which geographical proximity is an important factor for city partnership we analyse the distributions of geographical distances between all pairs of connected sister cities.

Figure 3 depicts this distribution as a histogram (blue bars in the left sub-figure) or as a cumulative distribution (blue curve in the right sub-figure). The figure also shows the overall distance distribution between all possible pairs (connected or not) of geo-located sister cities (green bars and red curve). There

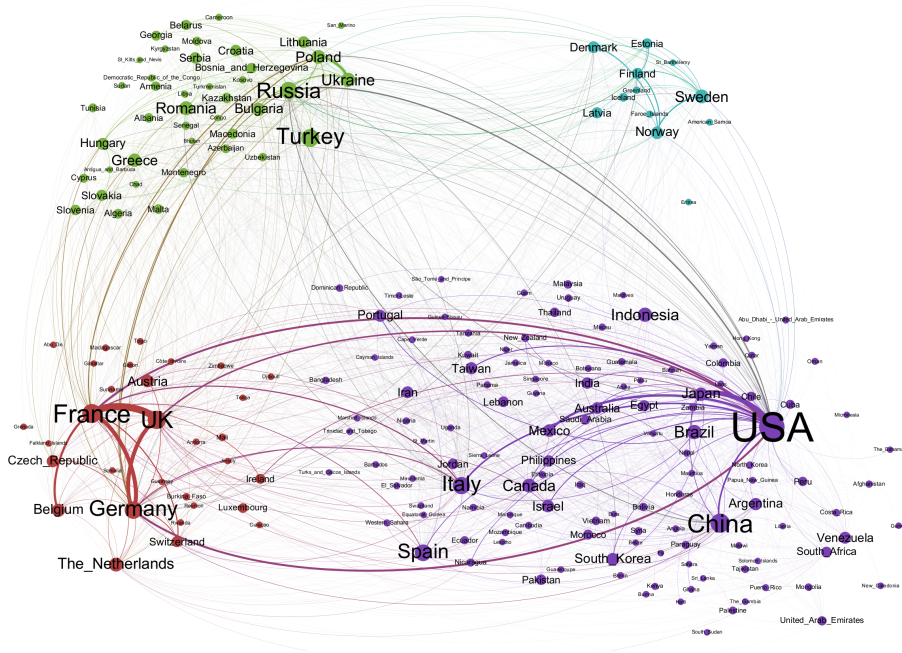


Fig. 2. Country network: node size corresponds to degree and node colours indicate the four clusters obtained with the Louvain method.

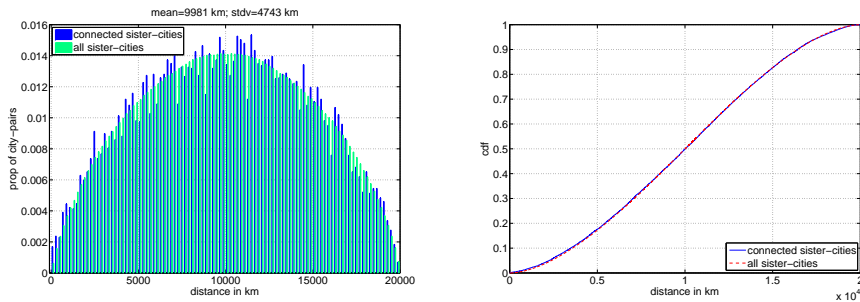


Fig. 3. Distribution of the distances between connected sister cities (blue) and the practically identical distance distribution between all cities (green in pdf, red in cdf).

is nearly no difference (apart from some random fluctuations) between these two distributions. The fluctuations vanish in the cumulative distributions where the two curves are nearly overlapping. Only for very close cities it is slightly more likely than expected by random choice to establish a city sistership. This can also be observed in the very small difference of the average distance of two randomly chosen cities (10 006 km) and a pair of connected sister cities (9 981 km).

7 Conclusions

We have studied the practice of establishing sister city connections from a network analysis point of view. Although there is no guarantee that our study covers all existing sister city relations, we are confident that the results obtained give reliable insights into the emerging network structures and country preferences.

We have found that sister city relationships reflect certain predilections in and between different cultural clusters, and lead to degree-assortative network structures comparable to other types of small-world social networks. We also observe assortative mixing with respect to economic or political country indexes.

The most noteworthy result may be that the geographical distance has only a negligible influence when a city selects a sister city. This is different from what is observed for person-to-person social relationships (see for example [5]) where the probability of a social connection decays with the geographical distance between the peers. It may, thus, represent the first evidence in real-world social relationships (albeit in its institutional form) for the death of distance, predicted originally as a consequence of decrease of the price of human communication [1].

Possible directions for future work include combination of the analysed networks with the networks of air traffic or goods exchange between countries.

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