Aggregating local descriptors into a compact representation

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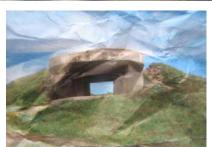


Problem setup: Image indexing

- Retrieval of images representing the same object/scene:
 - different viewpoints, backgrounds, ...
 - copyright attacks: cropping, editing, ...
 - short response time
 - billions of images

queries







relevant answers







Related work on large scale image search

- Most systems build upon the BoF framework [Sivic & Zisserman 03]
 - Large (hierarchical) vocabularies [Nister Stewenius 06]
 - Improved descriptor representation [Jégou et al 08, Philbin et al 08]
 - Geometry used in index [Jégou et al 08, Perdoc'h et al 09]
 - Query expansion [Chum et al 07]
 - **...**
- → memory tractable for a few million images only
- Efficiency improved by
 - Min-hash and Geometrical min-hash [Chum et al. 07-09]
 - compressing the BoF representation [Jégou et al. 09]

But still hundreds of bytes are required to obtain a "reasonable quality"

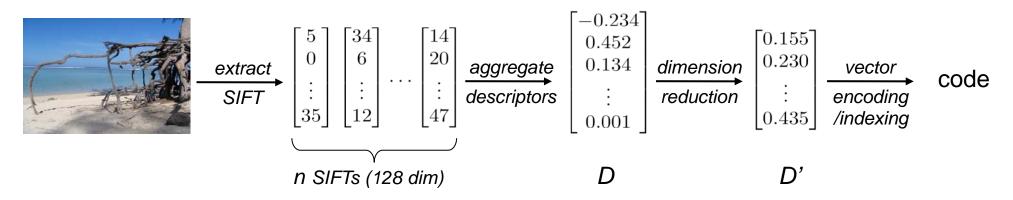
- Alternative: GIST descriptors with Spectral Hashing or similar techniques
- → very limited invariance to scale/rotation/crop





Objective and proposed approach

- Aim: optimizing the trade-off between
 - search quality
 - search speed
 - memory usage
- Approach: joint optimization of three stages
 - local descriptor aggregation
 - dimension reduction
 - indexing algorithm







Aggregation of local descriptors

Problem: represent an image by a single fixed-size vector:

set of *n* local descriptors \rightarrow 1 vector

- Most popular idea: BoF representation [Sivic & Zisserman 03]
 - sparse vector
 - highly dimensional
- → strong dimensionality reduction introduces loss
- Alternative: Fisher Kernels [Perronnin et al 07]
 - non sparse vector
 - excellent results with a small vector dimensionality
 - → our method in the spirit of this representation



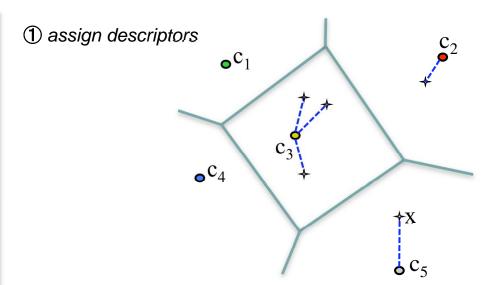


VLAD: Vector of Locally Aggregated Descriptors

- Learning: k-means
 - output: k centroids : $c_1, ..., c_i, ..., c_k$
- VLAD computation:

②③
$$v_i = \sum_{x:c(x)=c_i} x - c_i$$
 $v = \left[v_1, \dots, v_i, \dots, v_k\right], \ v_i \in \mathbb{R}^{128}$

- \Rightarrow dimension D = k * 128
- L2-normalized
- Typical parameter: k=64 (D=8192)









③ v_i =sum x- c_i for cell i



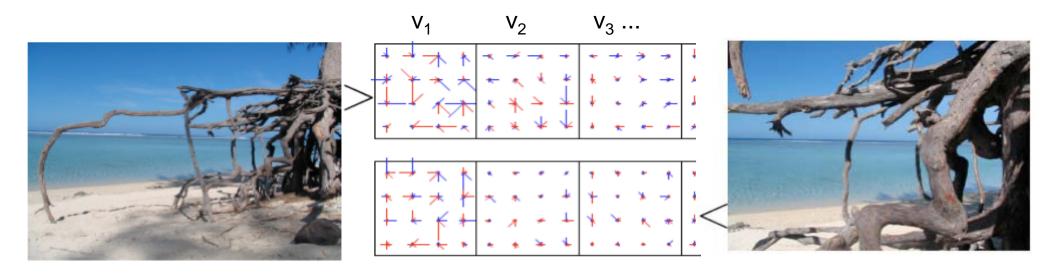








VLADs for corresponding images



SIFT-like representation per centroid (+ components: blue, - components: red)

good coincidence of energy & orientations





VLAD performance and dimensionality reduction

- We compare VLAD descriptors with BoF: INRIA Holidays Dataset (mAP,%)
- Dimension is reduced to from D to D' dimensions with PCA

Aggregator	k	D	D'=D (no reduction)	D'=128	D'=64
BoF	1,000	1,000	41.4	44.4	43.4
BoF	20,000	20,000	44.6	45.2	44.5
BoF	200,000	200,000	54.9	43.2	41.6
VLAD	16	2,048	49.6	49.5	49.4
VLAD	64	8,192	52.6	51.0	47.7
VLAD	256	32,768	57.5	50.8	47.6

Observations:

- VLAD better than BoF for a given descriptor size
 - → comparable to Fisher kernels for these operating points
- Choose a small D if output dimension D' is small





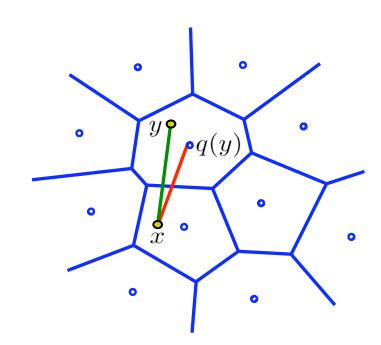
Indexing algorithm: searching with quantization [Jegou et al. 10]

- Search/Indexing = distance approximation problem
- The distance between a query vector *x* and a database vector *y* is estimated by

$$d(x,y) \approx d(x,q(y))$$

where q(.) is a quantizer

→ vector-to-code distance



- The choice of the quantizer is critical
 - needs many centroids
 - regular k-means and approximate k-means can not be used
 - \rightarrow we typically want k=2⁶⁴ for 64-bit codes





Product quantization for nearest neighbor search

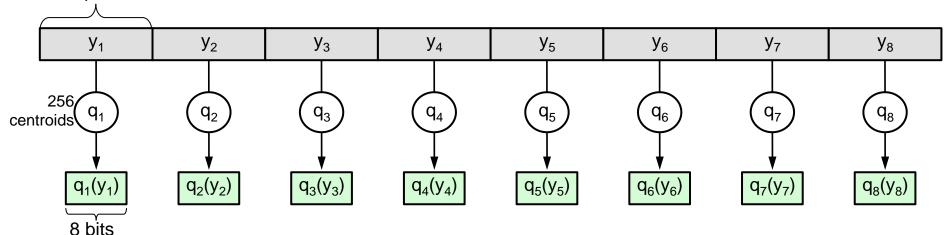
- Vector split into m subvectors: $y \to [y_1 | \dots | y_m]$
- Subvectors are quantized separately by quantizers

$$q(y) = [q_1(y_1)| \dots |q_m(y_m)]$$

where each q_i is learned by k-means with a limited number of centroids

Example: y = 128-dim vector split in 8 subvectors of dimension 16

16 components









Product quantizer: asymmetric distance computation (ADC)

Compute the square distance approximation in the compressed domain

$$d(x,y)^{2} \approx \sum_{i=1}^{m} d(x_{i}, q_{i}(y_{i}))^{2}$$

- To compute distance between query x and many codes
 - ightharpoonup compute $d(x_i, c_{i,j})^2$ for each subvector x_i and all possible centroids
 - → stored in look-up tables
 - for each database code: sum the elementary square distances
- Each 8x8=64-bits code requires only m=8 additions per distance!
- IVFADC: combination with an inverted file to avoid exhaustive search.





Optimizing the dimension reduction and quantization together

VLAD vectors suffer two approximations

• mean square error from PCA projection: $e_p(D')$

mean square error from quantization: $e_q(D')$

Given k and bytes/image, choose D' minimizing their sum

Ex, k=16:

D'	e _p (D')	e _q (D')	$e_p(D')+e_q(D')$
32	0.0632	0.0164	0.0796
48	0.0508	0.0248	0.0757
64	0.0434	0.0321	0.0755
80	0.0386	0.0458	0.0844





Results on standard datasets

Datasets

University of Kentucky benchmark

► INRIA Holidays dataset

score: nb relevant images, max: 4

score: mAP (%)

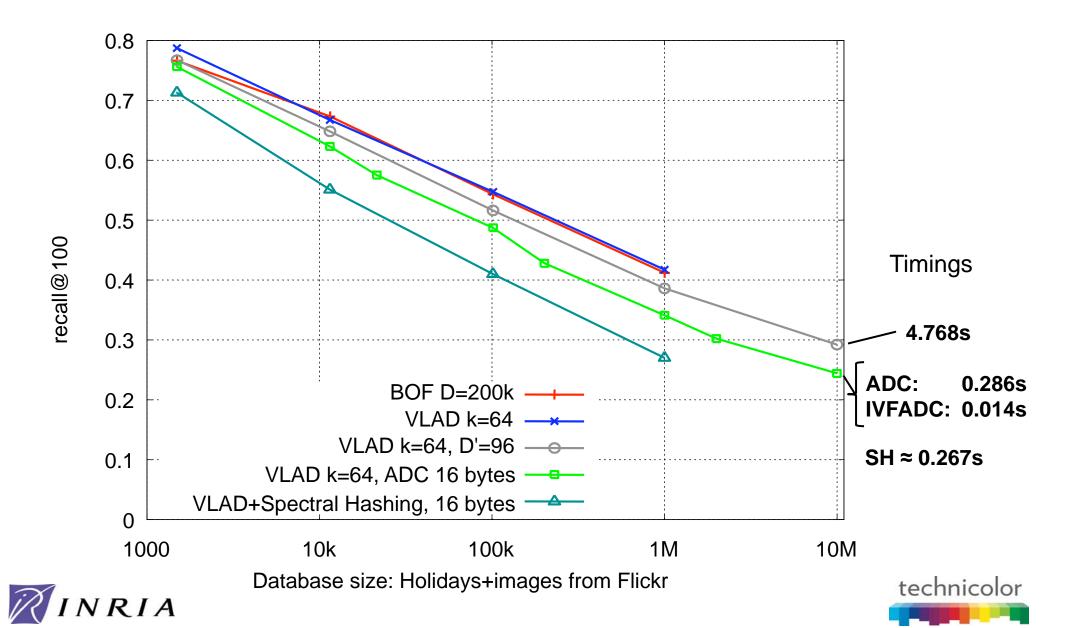
Method	bytes	UKB	Holidays
BoF, k=20,000	10K	2.92	44.6
BoF, k=200,000	12K	3.06	54.9
miniBOF	20	2.07	25.5
miniBOF	160	2.72	40.3
VLAD k=16, ADC	16	2.88	46.0
VLAD k=64, ADC	40	3.10	49.5

miniBOF: "Packing Bag-of-Features", ICCV'09





Large scale experiments (10 million images)



Conclusion

- Competitive search accuracy with a few dozen bytes per indexed image
- Tested on up to 220 million video frames
 - extrapolation for 1 billion images: 20GB RAM, query < 1s on 8 cores</p>
- Matlab package available, includes:
 - VLAD
 - Indexing algorithm (ADC/IVFADC)
 - extracted descriptors
- Improved Fisher kernels by Perronnin et al., CVPR'2010
- 10 million images indexed on my laptop:







END

