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To cite this version:

HAL Id: inria-00536256
https://inria.hal.science/inria-00536256
Submitted on 15 Nov 2010
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Abstract

We present an algorithm for computing Percentage-Closer Soft Shadows inside a screen-space rendering loop. Our algorithm is faster than traditional soft shadows based on percentage closer filtering, while providing soft shadows of similar visual quality. It combines naturally with a deferred shading pipeline, making it an ideal choice for video games. This algorithm is not only faster, but allows the use of larger shadow maps without dramatically affecting the rendering speed.

1 Method

Our algorithm, SSPCSS performs all the computations in screen space, while PCSS [Fernando 2005] performs them on the shadow map, i.e., in light space. Our algorithm performs the following steps:

- **Preparation**: we render the auxiliary buffers: the scene depth map, the shadow map, the hard shadow map (the set of points in screen space that are in shadow) and the projected shadow map (for each point in shadow in screen space, it stores the corresponding closest blocker distance from the shadow map).

- **Blocker search**: we scan the projected shadow map and, for each pixel in screen space, find the average distance of the objects blocking the light source (non-blocker points should just be ignored).

\[ W_{\text{search}} = \frac{d_{\text{point}} - d_{\text{near}}}{d_{\text{point}}} W_{\text{light}} \]

- **Penumbra estimation**: we estimate the penumbra size for each pixel, using the average blocker depth computed at the previous step.

\[ W_{\text{screen penumbra}} = W_{\text{penumbra}} \frac{d_{\text{screen}}}{d_{\text{screen}}} \]

where \( d_{\text{screen}} = \frac{1}{2 \tan(\frac{f}{2})} \), \( W_{\text{penumbra}} = \frac{(d_{\text{receiver}} - d_{\text{blocker}})}{d_{\text{blocker}}} W_{\text{light}} \).

- **Shadow filtering**: we filter the hard shadow map by a variable-size filter, whose diameter is the penumbra size computed in the previous step.

2 Screen-Space Edge-Aware Filtering

The filtering performed for blocker search and shadow filtering steps need to be edge-aware, since we lose information about edges in screen space. We have used cross-bilateral filters [Tomasi and Manduchi 1998] for this purpose, but any other edge-aware filter could also be used.

We used a set of pre-computed 1D separable Gaussian weights or a 2D random Poisson disk as the domain filter in the cross-bilateral filter. The range filter is a function of the depth difference in camera space between two points. We used two different bilateral filters:

- **Separable Cross-Bilateral Gaussian Filter**: a highly efficient, but less accurate filter [Pham and van Vliet 2005].

- **Cross-Bilateral Poisson Filter**: an accurate but more computationally intensive filter using a random Poisson disk. It is still faster than the PCSS algorithm using the same Poisson disk on the shadow map test results.

Separable Gaussian filtering is much faster than 2D Poisson filtering because a separable Gaussian filter takes \( 2(n + 1) \) samples, compared to \( n^2 \) samples for a 2D Poisson filter.

3 Discussion and Results

Our work uses almost the same idea as in [Robison and Shirley 2009], which has focused on image space gathering by ray-tracing, but we have focused on rasterization on GPU to achieve higher frame rates for real-time rendering applications such as games.

The computation time for our Screen-Space PCSS algorithm varies linearly with the total number of pixels on the screen. The computation time is almost independent from the shadow map resolution. The cross-bilateral separable Gaussian filter is much faster than the cross-bilateral Poisson filter. More importantly, its performances are almost independent from the filter radius.

References


