A contextual dissimilarity measure for accurate and efficient image search

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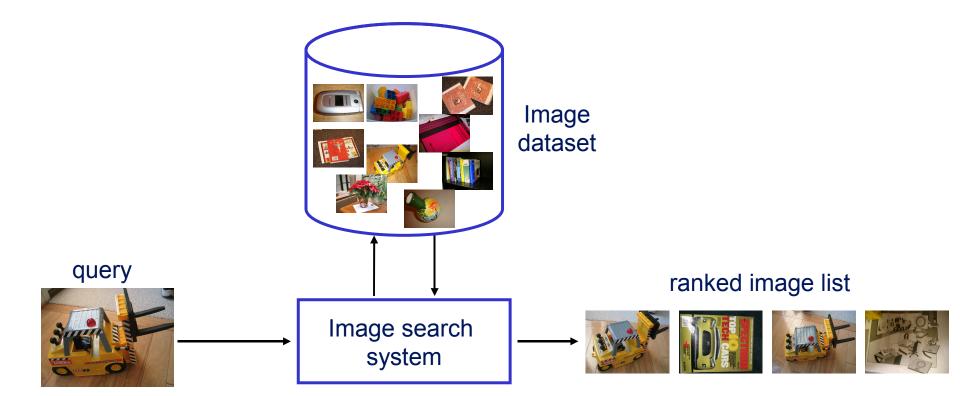
INRIA, LEAR project team

**CVPR 2007** 





## **Problem setup: image search system**



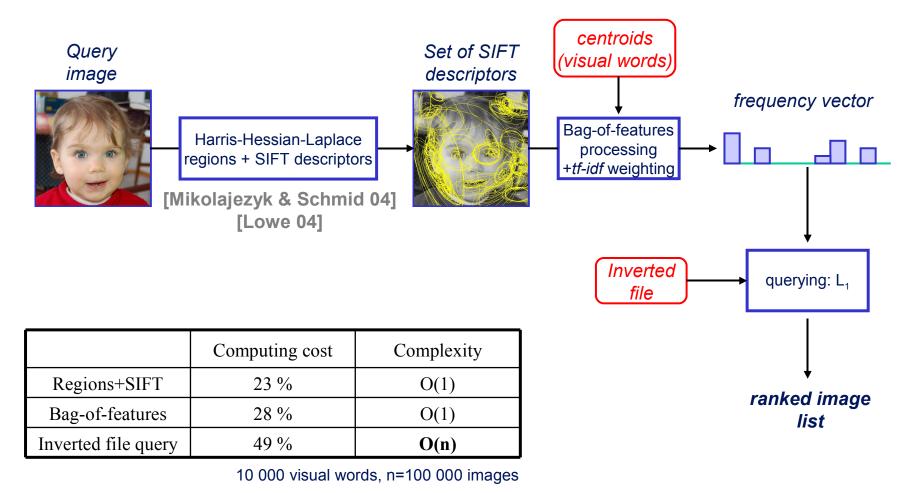




## Image search system: "Video-Google"-like setup

• Video-Google [Sivic & Zisserman 03]

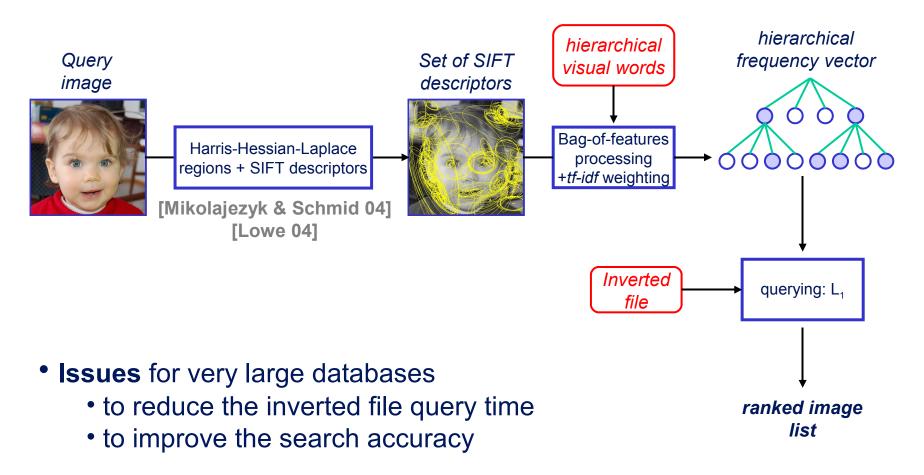
NRIA





# **Recent improvement and remaining issues**

• Fast assignment to visual words [Nistèr & Stewénius 06]









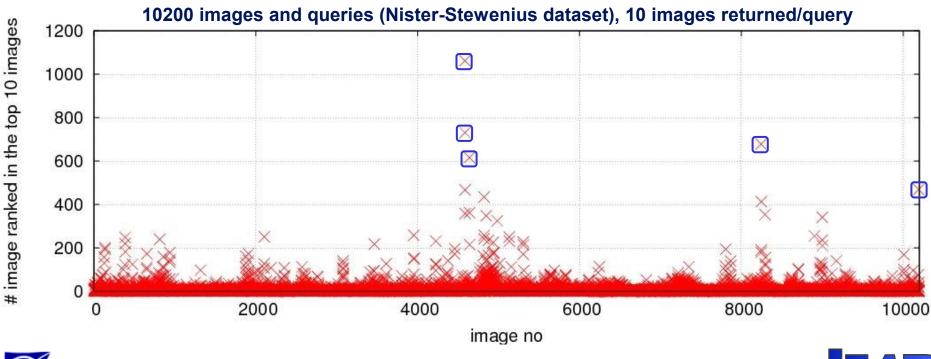
- **Improved accuracy**: contextual dissimilarity measure (CDM)
- Faster search: efficient search structure for ANN of frequency vectors
- Combining both approaches
- Large scale evaluation





## **Motivation for a new dissimilarity measure**

- The space of frequency vectors is anisotropic
- Some images are well ranked with very high/very low probability: → "frequently returned images"
  - $\rightarrow$  "never seen images"





## **Neighborhood symmetry**

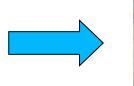
- The neighborhood, defined as a set of k nearest neighbors, is not symmetric in a k-nearest-neighbors sense
- What we want:

if an image *R* is well ranked for a query image *Q*, then *Q* should be well ranked for query image *R* 

 $\rightarrow$  not the case for frequently returned images or never seen images









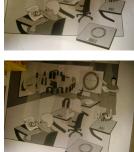
#### asymmetry of k-nearest neighbor search

















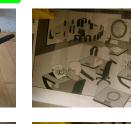






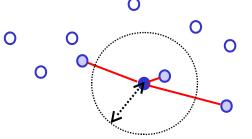






# **Contextual dissimilarity measure (CDM)**

**Neighborhood** of a frequency vector: its set of *k* nearest neighbors



**Neighborhood "distance"**  $r_i$  of a frequency vector  $w_i$ : the average dissimilarity measure to its neighborhood

Idea:

- to modify the dissimilarity measure between frequency vectors
- so that the average dissimilarity of a vector to its neighborhood is almost a constant

How?

 $\rightarrow$  iterative regularization of the frequency vectors' neighborhood





# **CDM: iterative approach (off-line)**

For each iteration

- Compute the neighborhood distance  $r^k(w_i)$  for each vector
- Update the distance between frequency vectors:

$$d^{k+1}(w_i, w_j) \equiv d^k(w_i, w_j) \left(\frac{\bar{r}^k}{r^k(w_i)} \frac{\bar{r}^k}{r^k(w_j)}\right)^{\alpha}$$

 $0 < \alpha < 1$ : smoothing factor  $\bar{r}^k$ : geometric mean of  $\{r^k(w_i)\}_i$ 

Iterate until it converges (for a small enough) to the fixed point  $orall w_i, \; r(w_i) \equiv ar{r}$ 





## **CDM: iterative approach**

Defining distance update terms as

$$\delta_i = \prod_k \left( \frac{\bar{r}^k}{\bar{r}^k(w_i)} \right)^{\alpha}$$

The CDM between frequency vectors can be simply written as

$$CDM(w_i, w_j) \equiv d(w_i, w_j)\delta_i\delta_j$$

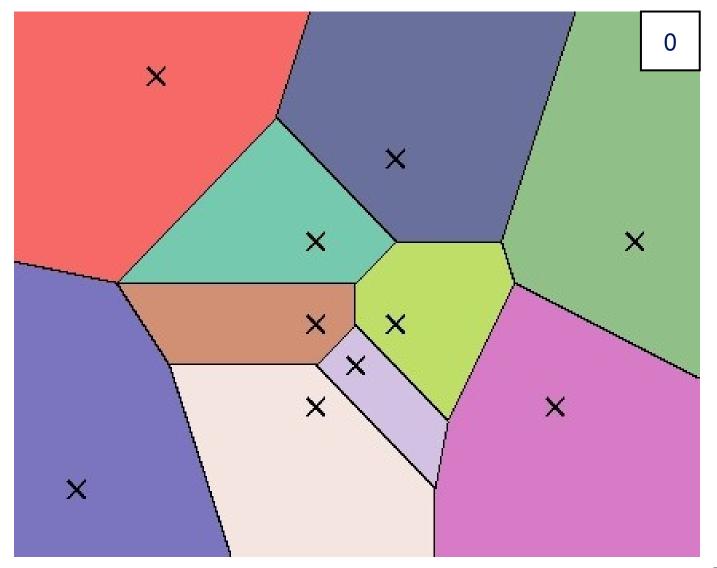
For a query q, we return

 $\operatorname{arg\,min}_{w_i} d(w_i, q) \delta_i$ 

The  $\delta_i$  are computed off-line

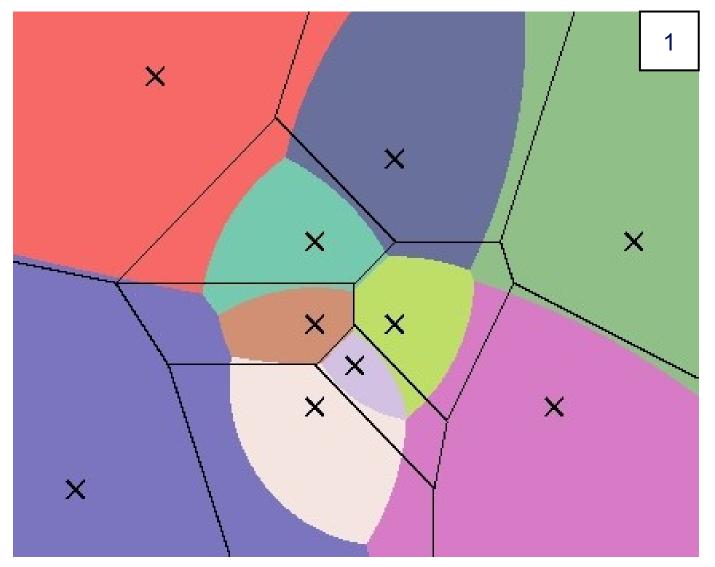






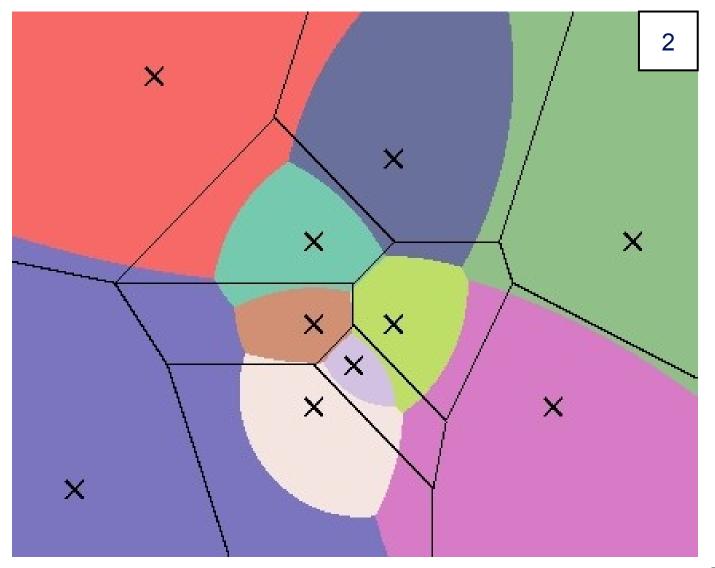






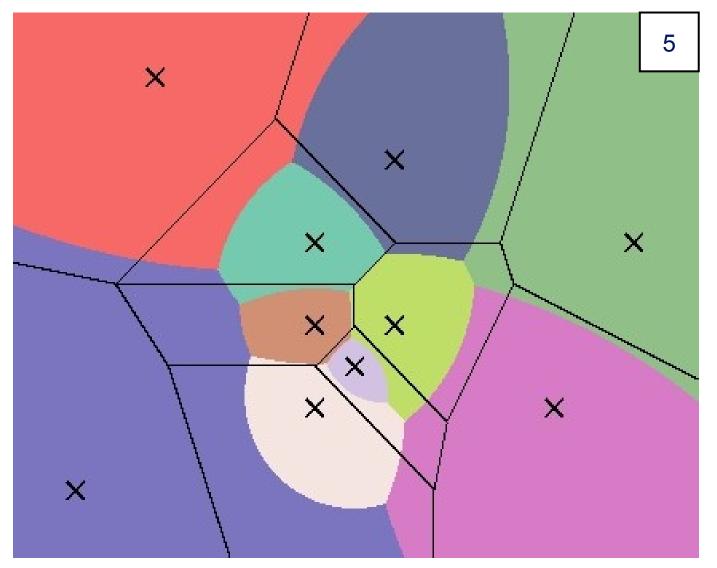






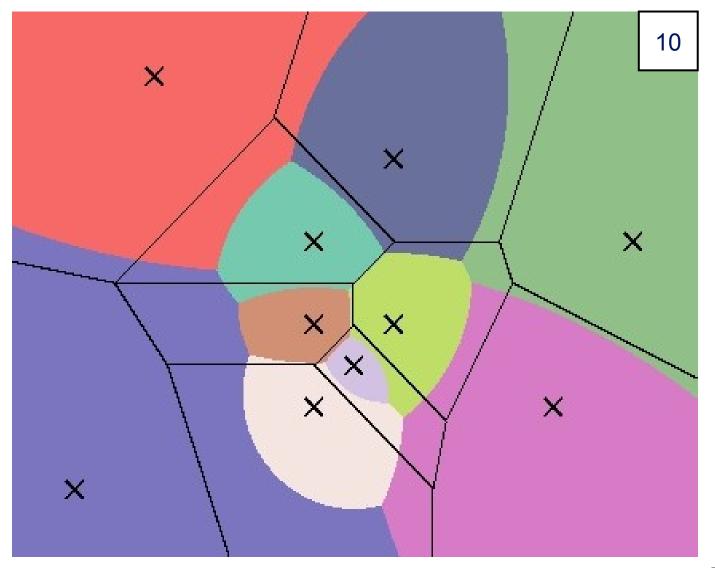








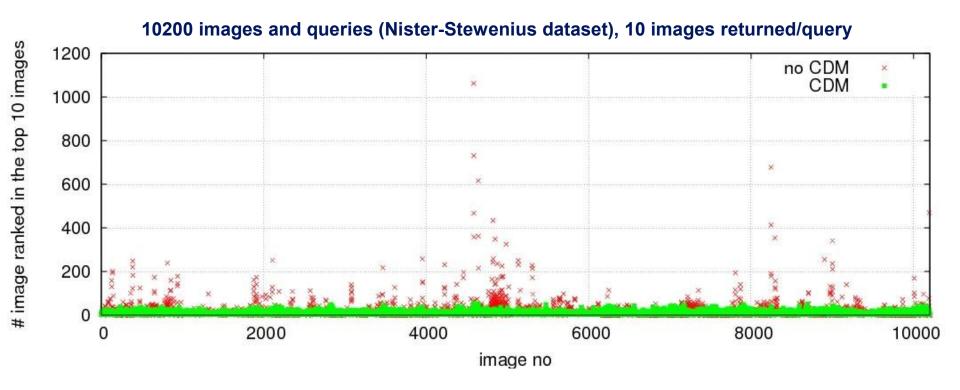








## Impact on never/frequently returned images



	Never seen images The most frequent imag appears		
No CDM	9.7 %	1 062 times	
CDM	0.2 %	54 times	





#### **CDM: results**

- Nister-Stewenius dataset: 10200 images, 4 per object
- Relevance measure: number of relevant images among the first 4 images → best possible score = 4
- SIFT centroids obtained on an independent image dataset

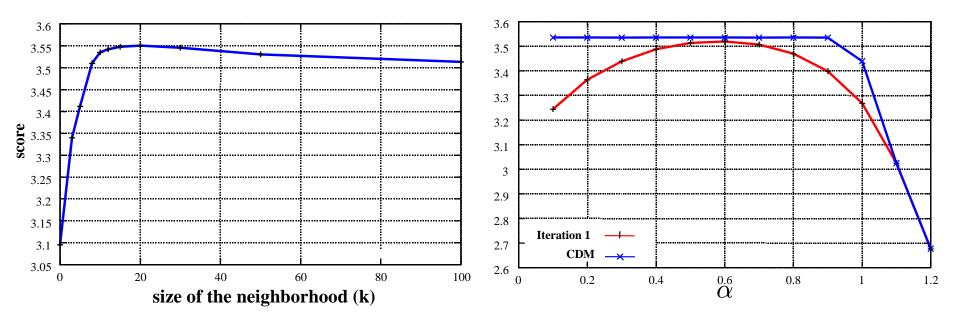
frequency vector dimension	distance	No CDM	CDM
30000	$\mathbf{L_{1}}$	3.136	3.548
30000	$L_2$	2.676	3.368

 The best score obtained by Nister and Stewenius is 3.29 (codebook learnt on the training set, hierarchical vocabulary ~ 10<sup>6</sup> visual words)





### Impact of the parameters



- The results are stable w.r.t. all parameters
- The parameter  $\alpha$  only impacts the convergence speed





## **CDM:** query example



query

#### Results using L<sub>1</sub>



#### Results using L<sub>1</sub>+CDM







## **Efficient search structure for frequency vectors**

Vast literature on approximate nearest neighbors search

- Locality-Sensitive Hashing [Gionis, Indyk & Motwani 99]
- ANN [Mount & Arya 98]

However,

- not relevant for very high dimensions (e.g., 10000)
- not adapted to sparse vectors
  ⇒ inverted files are efficient while performing exact search

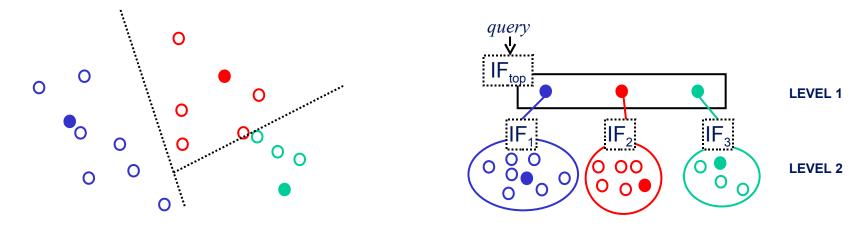
We propose a two-level file search structure based on

- document clustering
- inverted files at each level





## **Clustering of frequency vectors**



Cluster centers obtained using k-medoids or randomly chosen  $\Rightarrow$  sparse centroids ( $\neq$  k-means)

#### Search:

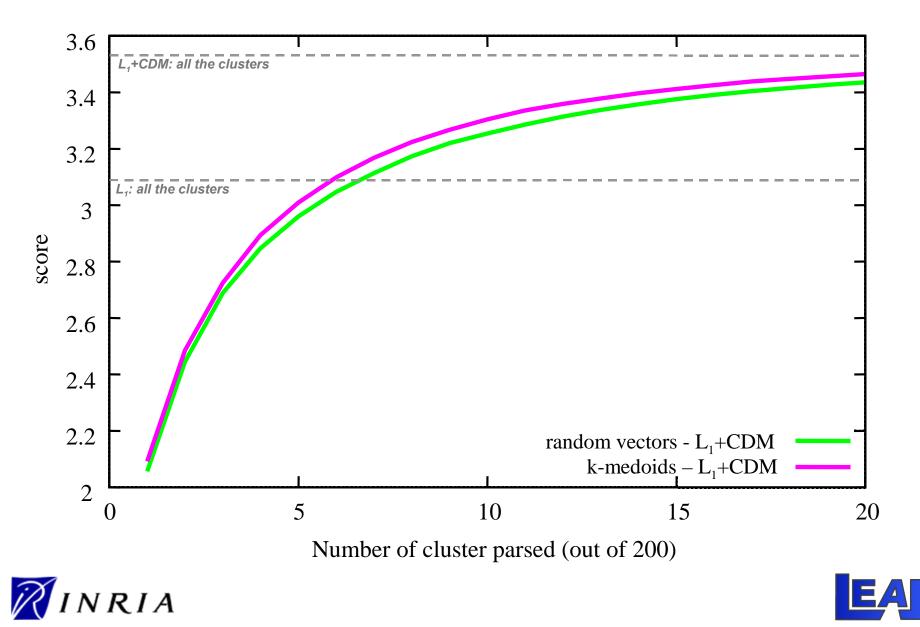
- query the first-level inverted file and find the k' closest medoids
- use the associated inverted files of the second level to compute the distances and to rank the images

 $\rightarrow$  close-to-optimal accuracy with 10% of the clusters





## **Results for the efficient search structure**



# **Combining the approaches: efficient CDM calculation**

#### Issue

 $\rightarrow$  the CDM computation is of quadratic complexity in the number of database images

#### **Proposed solution**

 $\rightarrow$  to use the efficient search structure to retrieve the neighborhood and to compute the update terms

#### Observation

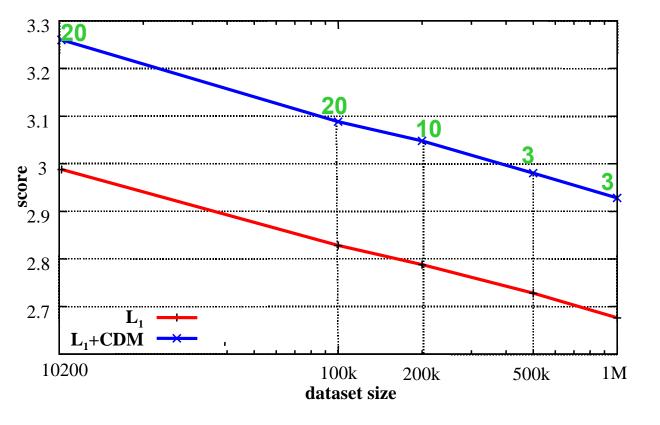
the neighborhood approximation does not noticeably impact the accuracy, even when a small number of clusters is used
 → the CDM can be used for very large datasets





## Large scale evaluation of the combined approach

- Dataset: 1M images from the web + Nister-Stewenius dataset
- 1 iteration ( $\alpha$ =0.6), two-level efficient search structure (400 clusters)



In **green**: the number of clusters used to compute the CDM update terms (out of 400)

40 image clusters for the search





## **Conclusion and perspectives**

Image search accuracy is significantly improved using the CDM

Efficient search structure

- approximate nearest neighbors search for sparse vectors
- based on a two-level inverted file
- this challenging problem requires further research

Combining these two approaches leads to a scalable image search system that improves both efficiency and accuracy



