Harmonic skeleton for realistic character animation

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# Skeletal animation

Building an animated 3D character requires to:

- Create a 3D mesh
- Set the 3D position and hierarchy of skeleton joints
- Set the 3D orientation of skeleton joints
- Create high-level controllers for animation (IK, constrains)
- Define skinning weights



Related works

# Skeleton computation

- Nowadays:
  - By hand
  - By experts
- Automatic methods:
  - Little control over the result
  - Provide noisy skeletons (unwanted joints)
  - Rely only on the geometry of the shape

→ not the anatomy of the model (bone structure)



# Control of the extrema thanks to a harmonic function



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#### ~ Help for both experts and non-experts

# Contributions

A skeleton generation algorithm with the following properties:

- Semantic decomposition of both skeleton and shape
- Specialized heuristics for bipeds and quadruped mammals
- Robustness (pose+deformation: see paper)
- Fast and almost no user intervention, but control is possible



Related works

# Algorithm overview



# Reeb graph

Reeb graph of  $f = M / \sim$ 

$$x_1 \sim x_2 \iff$$

 $f(x_1) = f(x_2)$ and  $x_1$  and  $x_2$  belong to the same connected component of  $f^{-1}(f(x_1))$ 



Mathematical background

# Harmonic function

Laplace equation with boundary conditions:

$$\left\{ egin{array}{ll} riangle f(x) = 0 & orall x \in M \ f(x) = g(x) & orall x \in B_M \end{array} 
ight.$$

- $B_M$  = set of vertices: extrema of the graph
- g(x) = approx. geodesic distance to source vertex



### Harmonic graph computation

#### Extrema selection

- Automatic or not
- Source vertex on the head (by hand)



### Harmonic graph computation

Extrema selection

e Harmonic function f computation



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# Harmonic graph computation

Extrema selection

- 2 Harmonic function f computation
- Reeb graph computation
  - In O(n log n) time [Cole McLaughlin SoCG'03]



# Harmonic graph computation

Extrema selection

- 2 Harmonic function *f* computation
- Reeb graph computation

### Graph filtering

- Small (for f) edges removal
- Related to persistence [Edelsbrunner FOCS'00]
- Can be done automatically [Pascucci SIGGRAPH'07]
- $\Rightarrow$  morphology recovered



Embedding: harmonic skeleton

# Algorithm overview



### Symmetry axis detection

- Symmetry of the morphology (2 arms, 2 feet, ...)
- Finding symmetries on a graph: NP-complete
- Assumptions:
  - Source node on the symmetry axis
  - No cycle
  - 2 subtrees isomorphic \Leftarrow same depth + same degree for root nodes



Embedding: harmonic skeleton

# Simple embedding

Not straightforward solution for saddle nodes

- Insert regular nodes
- Use the symmetry axis





# Joint hierarchy and orientation

#### Hierarchy:

• Use symmetry axis: e.g. last joint = root joint

#### Orientation:

• Use the direction of the embedding of the symmetry axis

#### Skeleton refinement:

- Add regular nodes on the graph
- Embedding: center of mass of their connected component for *f*



Bipeds and quadrupeds

### Algorithm overview



# Bipeds and quadrupeds

The symmetry axis gives semantic information!



New nodes inserted:

- Edges subdivided
- New extremum for the jaw (biped)/the top of the head (quadruped)

 $\begin{array}{l} \textbf{Reference frame} \\ (\textit{Spine}, \frac{P_1P_2}{\|P_1P_2\|}, \textit{Spine} \times \frac{P_1P_2}{\|P_1P_2\|}) \end{array}$ 

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### Heuristics

- Some nodes are shifted along one of the directions of the reference frame
- New nodes:
  - mean Euclidean position
  - or mean value for f
  - or fitting some geometric features [Tierny PG'06]

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# Heuristics

- Some nodes are shifted along one of the directions of the reference frame
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  - mean Euclidean position
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  - or fitting some geometric features [Tierny PG'06]

#### Example: spine joints, quadruped case

- SP divided into 4 edges
- All joints lifted up along Spine  $\times \frac{P_1P_2}{\|P_1P_2\|}$
- $J_{new} = J_{simple} + c. \|J_{simple}B\|$  Spine  $\times \frac{P_1P_2}{\|P_1P_2\|}$
- c = 0.8/0.76/0.72/0.64, S so that Spine not modified

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Results

### Results



Results

# Video: use for animation



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# Conclusion

#### Input:

- Manifold mesh
- Source vertex (on the head)
- A priori knowledge about character's real anatomy

Output:

- IK skeleton closely matching handmade skeleton
- Semantic information attached to joints (symmetry axis, anatomy)



# Future work

#### Enhancement

- Robust feature extraction [Zhang ToG'05]
- Reeb graph for non-manifold meshes [Pascucci SIGGRAPH'07]

### Skinning

- Use *f* values : vertices ↔ joints
- Use joint semantics to define adapted weights

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# Questions?



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