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Evolutionary escape from local fitness peaks through inversion mutations

Leonardo Trujillo, Paul Banse & Guillaume Beslon



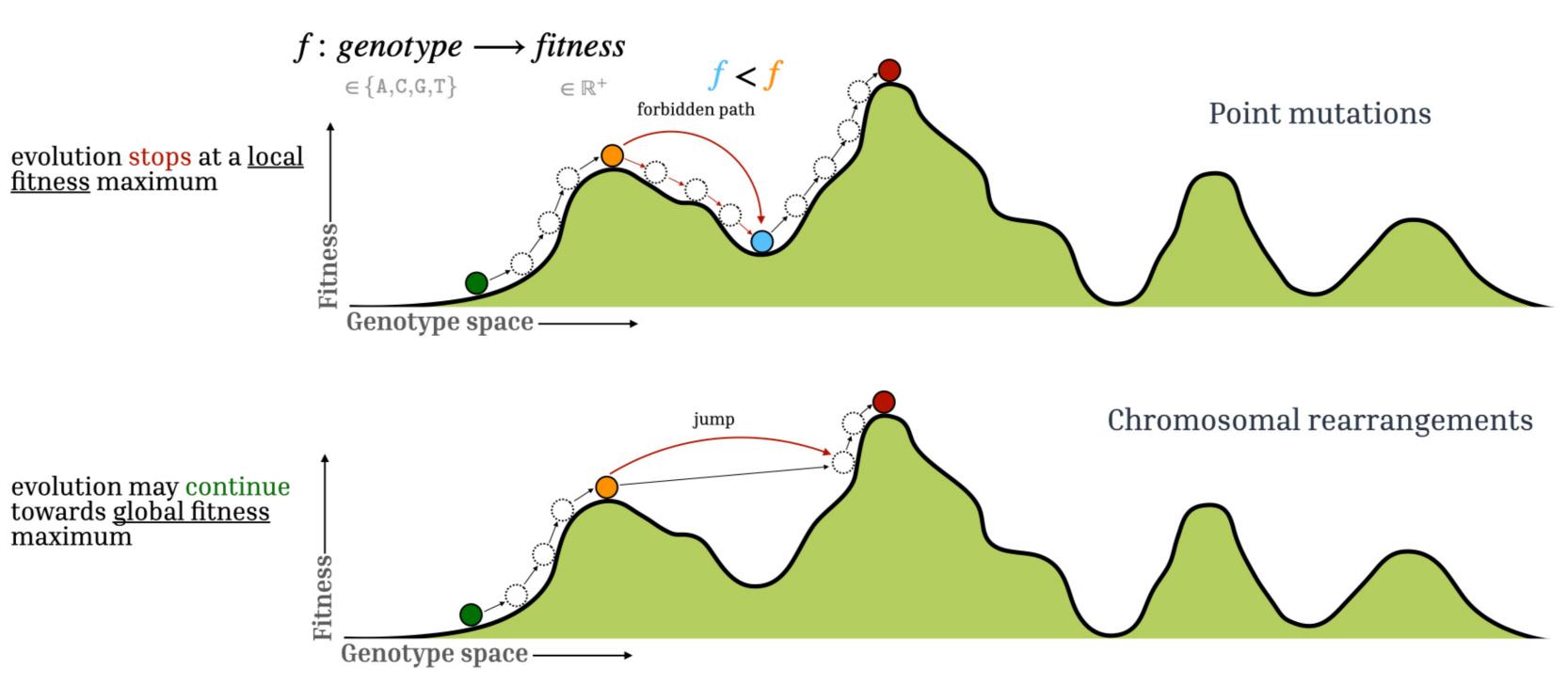
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Model of molecular evolution

Adaptive molecular evolution is often conceptualised as adaptive walks on rugged fitness landscapes that are driven by changes in the genome (mutations).

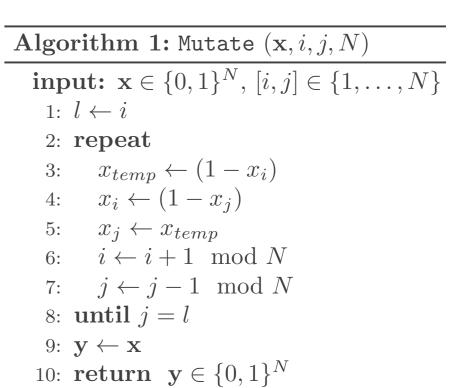
The problem

Once a local fitness peak is reached there are no more selectively accessible pathways by the mechanism of single nucleotides (point) mutations. Then, the towards global fitness maximum evolutionary dynamics get stuck in a suboptimal peak, hindering any possibility to reach other higher peaks.



Proposition

We introduce a simple computational model to simulate the escaping process from a local fitness peak combining point and inversion mutations.



Algorithm 2: AdaptiveWalk $(\mathbf{x}, p, N, \tau_{max})$

input: $\mathbf{x} \in \{0,1\}^N, \, \tau_{max}, \, p \in (0,1)$

1: $t \leftarrow 0$

3: repeat

2: $f_0 \leftarrow f(\mathbf{x})$

4: **if** p = 1 **then**

j = i

end if

11: $f' \leftarrow f(\mathbf{y})$

17: end if

18: $t \leftarrow t + 1$

 $i, j \leftarrow \mathtt{PRNG}$

 $i \leftarrow \mathtt{PRNG}$

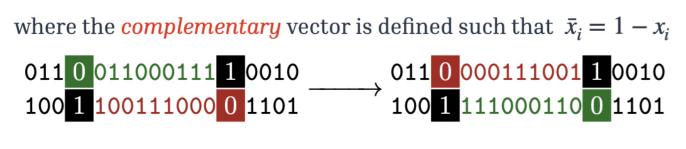
if $f_t < f'$ then

 $\mathbf{y} \leftarrow \mathtt{Mutate}(\mathbf{x}, i, j, N)$

Inversion mutations operation

 $5' - \texttt{ATCGATTGAGCTCTAGCG} - 3' \quad \texttt{\{A,C,G,T\}} \rightarrow \texttt{\{0,1\}}, \quad \texttt{O11001100011110010}$ 100110011100001101 3' - CGCTAGACTCAATCGAT - 2,Inspired by molecular biology, these genotypes are double-strained binary vectors of length N

 $x := (x_1 x_2 \cdots x_{N-1} x_N), \quad x_i \in \{0,1\}$



We model the *chromosomal-like inversion* as a two step procedure: 1. Conjugation operation

10011001 1 100001101

 $\hat{\mathbf{C}}: (x_i, x_{i+1}, ..., x_{j-1}, x_j) \longrightarrow (\bar{x}_i, \bar{x}_{i+1}, ..., \bar{x}_{j-1}, \bar{x}_j),$ 2. Permutation operation: $\hat{P}: (x_i, x_{i+1}, ..., x_{i-1}, x_i) \longrightarrow (x_i, x_{i-1}, ..., x_{i+1}, x_i)$

(point-mutations when: i = j) $01100110 \ 0 \ 011110010 \quad switch$ $01100110 \ 1 \ 011110010$

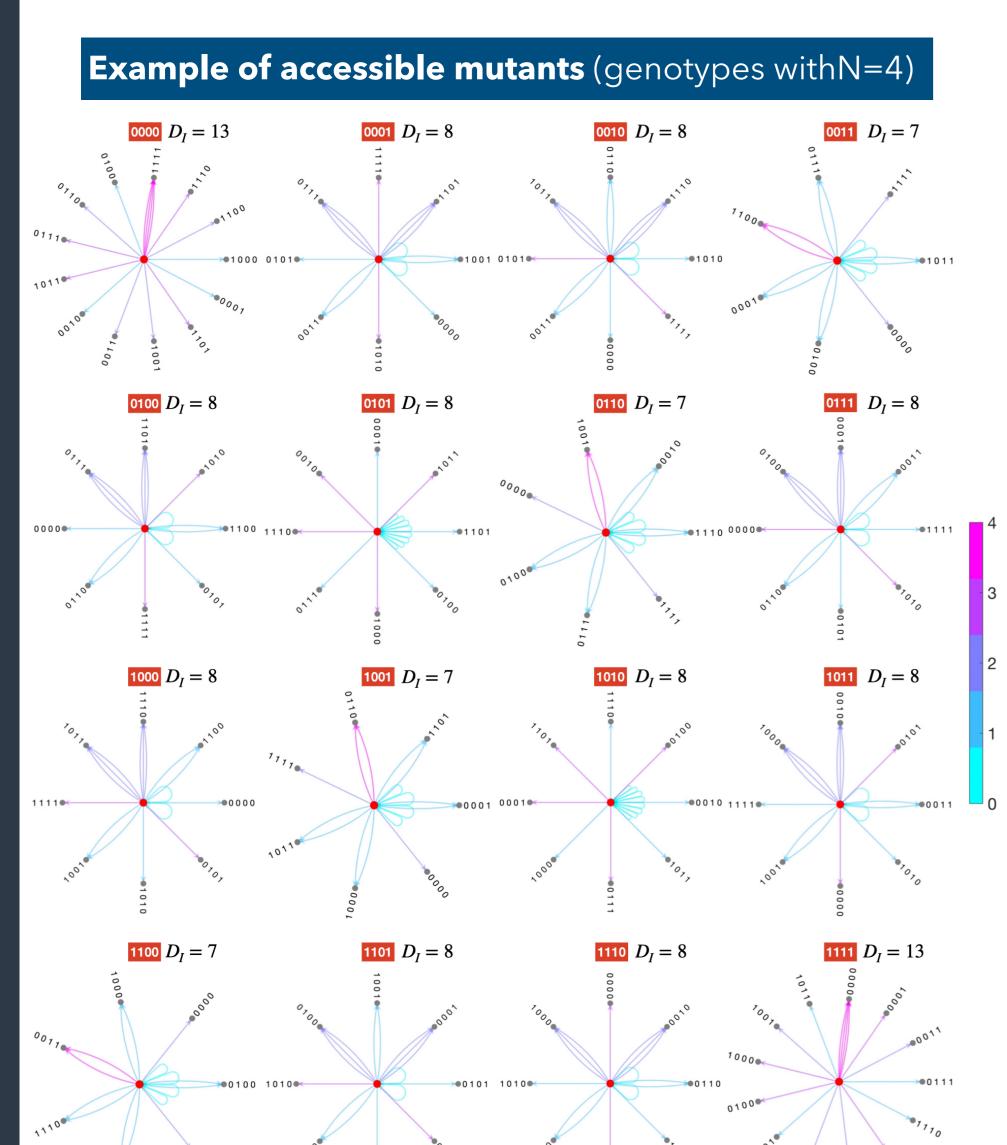


Examples of the number of neighbouring sequences D per genotype of size N (subscripts numbers are the occurrence frequencies of D).

N	D_I	D_P
2	$2_2, 3_2$	2
3	$5_6, 7_2$	3
4	$oldsymbol{7_4,8_{10},13_2}$ See the example below	4
5	$13_{20}, 17_{10}, 21_2$	5
6	$16_{30}, 17_{18}, 18_2, 22_{12}, 31_2$	6
7	$25_{70}, 29_{42}, 37_{14}, 43_2$	7
8	$28_{16}, 29_{52}, 30_{112}, 32_2, 34_8, 36_{48}, 46_{16}, 57_2$	8
9	$39_6, 40_{18}, 41_{234}, 45_{162}, 52_{36}, 53_{36}, 64_{18}, 73_2$	9
10	$45_{100}, 46_{150}, 47_{420}, 50_2, 52_{40}, 53_{200}, 62_{40}, 63_{50}, 77_{20}, 91_2$	10



10011001 0 100001101



The model

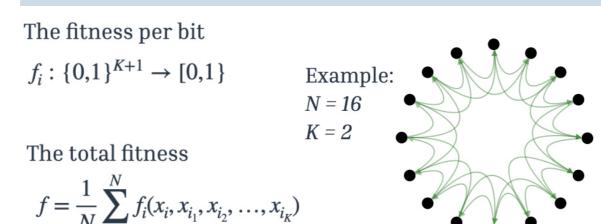
We simulate artificial molecular evolution of digital organisms (replicators), each of which contains a single piece of DNA. We engineer a computational method to cartoon the doublestranded structure of DNA, and simulate inversion-like mutations: a permutation of the complementary strand, which are then exchanged with the main strand within the segment where the inversion occurs. We model digital genotypes made up of a binary alphabet {0, 1}. In analogy with DNA primary sequence, the bits represent (artificial binary) nucleotides. We also assume that genomes are arranged in circular strings with constant number of basepairs. In an abstract sense, our model does not consider non-coding regions, mimicking the molecular evolution of some viruses and mitochondrial DNA with compact genomes and closed double-stranded DNA circles. It is important to emphasise that our computational model simulates intragenic-like mutations. We do not include recombination, so we are modelling asexual replication.

Accessible-mutants graphs

Representative examples for N = 4, 7and 10. Colours indicates the nodes degree. The reported values correspond to the the mean degree <κ> and the maximum The upper graphs show the point mutation case, verifying that the accessiblemutants graphs are isomorphic to the Hamming graphs H(4, 2); (7, 2) and H(10, 2), i.e. the hypercubes Q(N) (the genotype space). The lower graphs correspond to the inversion mutations cases, where we can appreciate that the accessiblemutants graphs are not isomorphic to their respective genotype (hypercubic) spaces.

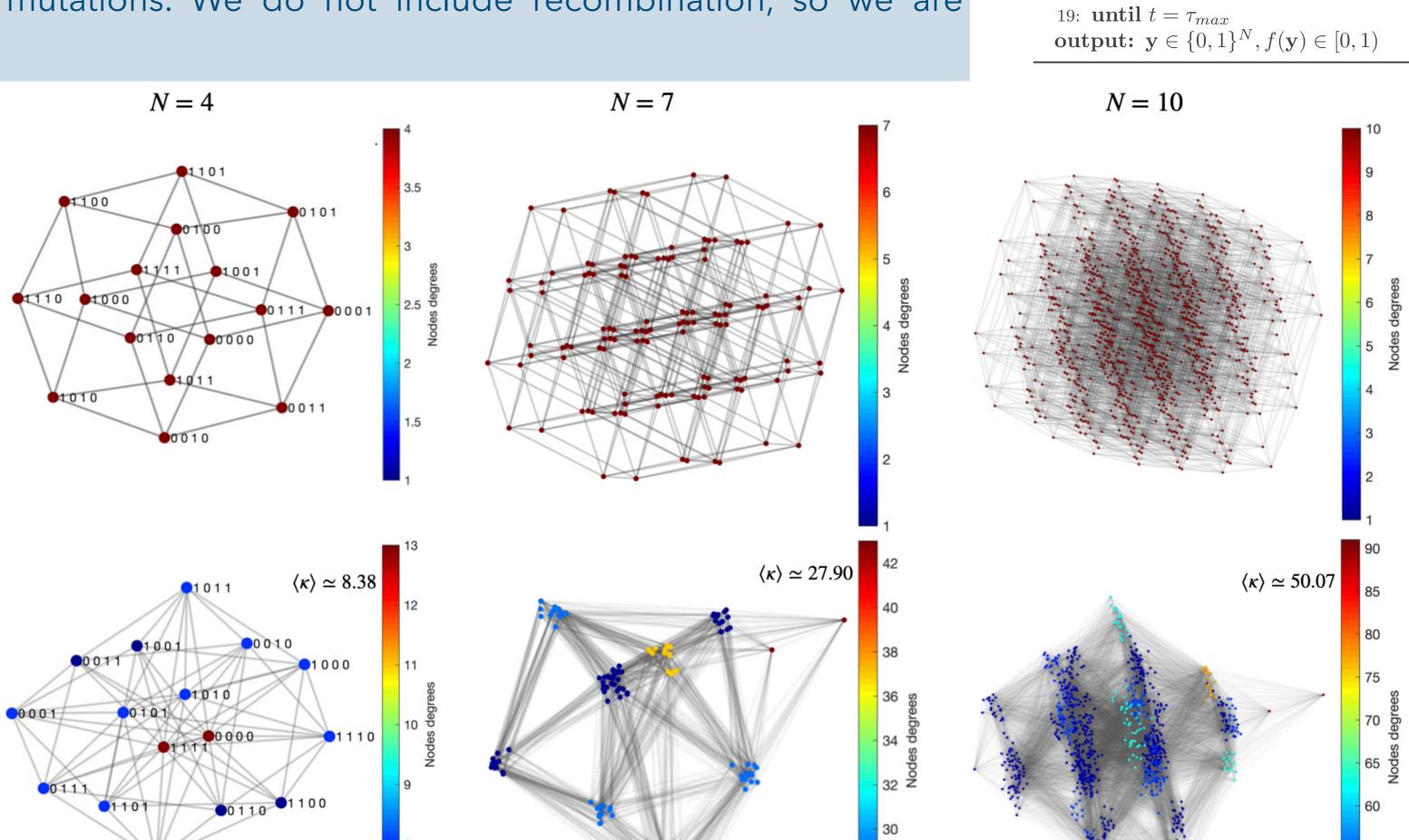


As a model for rugged fitness landscapes, we adopt the well known Kauffman NK model (N is the length of the genome and K is the "epistatic" coupling between nucleotides)



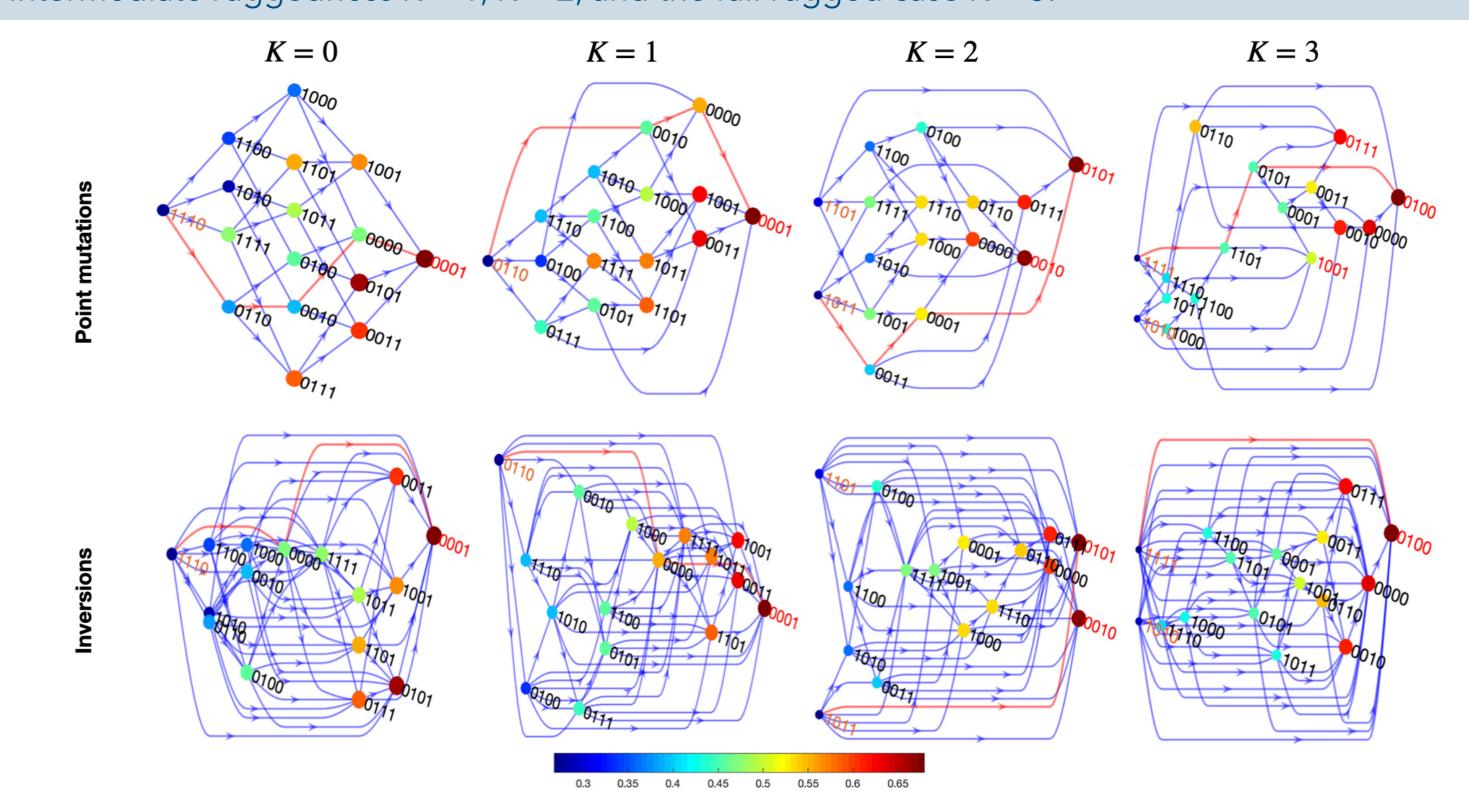
Adaptive walks

We assume that on a population scale the organisms are isogenic (i.e. population only contains copies of one genotype) and, therefore, can be simulated as the evolution of one genotype. We consider the simplest case of random adaptive walks, where available genomes with higher fitness are chosen at random So, the biological significance of our model must be framed in the of strong selection weak mutations limit.



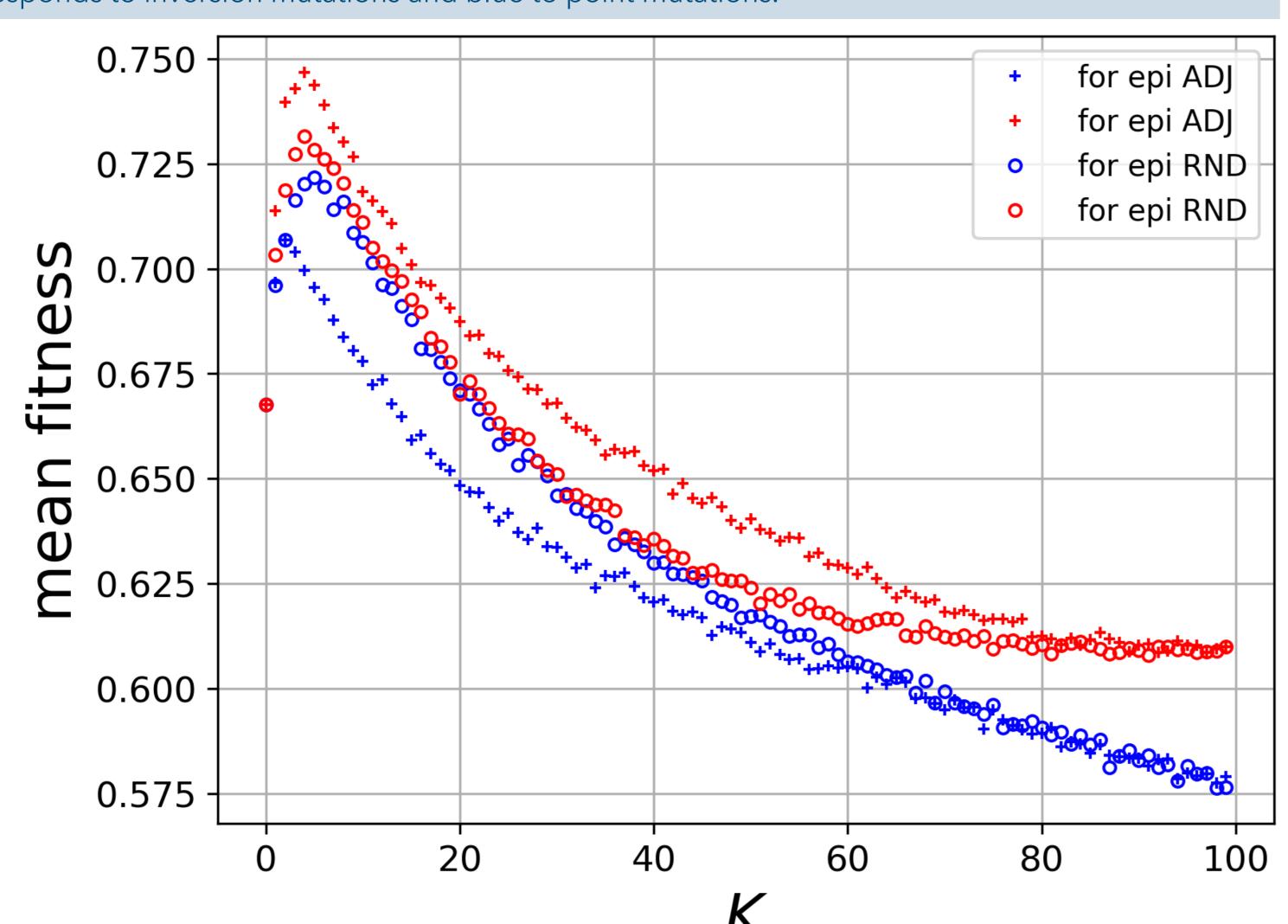
NK fitness networks

Representatives instances of the NK model for N = 4 and their fitness networks in layered representation. Node colours correspond to fitness values, increasing from left to right. The shortest paths from lowest to highest fitness genotypes are highlighted in red. The top row shows the cases for point mutations, while the bottom row corresponds to inversion mutations. The landscapes ruggedness go from single peaks K = 0, intermediate ruggedness K = 1, K = 2, and the full rugged case K = 3.



Fitness and epistatic interaction

Behaviour of the mean fitness of genotypes with size N=100 for different rugged landscapes, tuned through K=0, . . . , 99. For adjacent (+) and random (o) neighbourhoods interactions. Red color corresponds to inversion mutations and blue to point mutations.



Summary

This work provided computational evidence that once an adaptive walk reaches a local fitness peak, then inversion mutations can redirect the evolutionary process towards genotypes with higher fitness values. The way our model was conceived, also proves that escape from a local peak of fitness can occur in constant environments without contingencies. Our model for inversion mutations not only elucidated an escape mechanism, but have also made it possible to uncover interesting aspects about the combinatorics of inversion mutations. We have been able to contrast the isomorphism of mutational graphs for point mutations and their isomorphism with the genotype space. Finally, it was possible to verify that for a very simple model of population genetics in the strong weak mutation selection limit -with rugged landscapes simulated with the well know NK model- our adaptive walks simulations showed that when the evolutionary dynamics is driven by inversions, higher fitness values can be reached.

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