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Connectivity—informed spatio—temporal MEG source reconstruction: Simulation results using a MAR model

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Abstract: Recovering brain activity from M/EEG measurements is an ill-posed problem and prior constraints need to be introduced in order to obtain unique solution [1]. The majority of the methods use spatial and/or temporal constraints, without taking account of long-range connectivity. In this work, we propose a new connectivity—informed spatio—temporal approach to constrain the inverse problem using supplementary information coming from diffusion MRI. We present results based on simulated brain activity using a Multivariate Autoregressive Model, with realistic subject anatomy obtained from Human Connectome Project [4] dataset.

The forward problem

The relationship between source amplitudes and M/EEG measurements is expressed by the following linear model: $M = GJ + \epsilon$

- $M \in \mathbb{R}^{N \times T}$ matrix of M/EEG signals measured at N sensors at T time instants
- forward operator (leadfield matrix), where each column corresponds to $G \in \mathbb{R}^{N \times S}$ forward field of one of **S** sources
- $J \in \mathbb{R}^{S \times T}$ unknown matrix of S source amplitudes (current distribution) along time
- additive white Gaussian noise
 - The source space of size S is parcellated into \mathbf{R} cortical regions according to Desikan-Killiany atlas [5], where R=68 (S>>R).
 - Brain is modelled as a simple undirected graph with R nodes.

The inverse problem

Consider the minimization problem: $\hat{J} = \arg\min \{ ||M - GJ||_2^2 + \lambda ||LJ||_2^2 \}$

LORETA

- Low resolution brain electromagnetic tomography (LORETA) [2] assumes simultaneous and synchronous activations of neighbouring brain areas.
- Maximally smooth solution minimial norm of discrete Laplacian of the current distribution.

Our approach

- Include supplementary information from diffusion MRI in the regularization:
- anatomical (long-range) connections
- ullet transmission delays $oldsymbol{\Delta}_{f}$ between cortical regions
- Recovered source amplitudes are obtained by:

$$\hat{J}_L = \left(G^TG + \lambda L^TL
ight)^{-1}G^TM$$

$$\hat{J}_C = (\tilde{G}^T \tilde{G} + \lambda \tilde{L}^T \tilde{L})^{-1} \tilde{G}^T M$$

 λ^* optimal **regularization parameter** – chosen using Generalized Cross-Validation

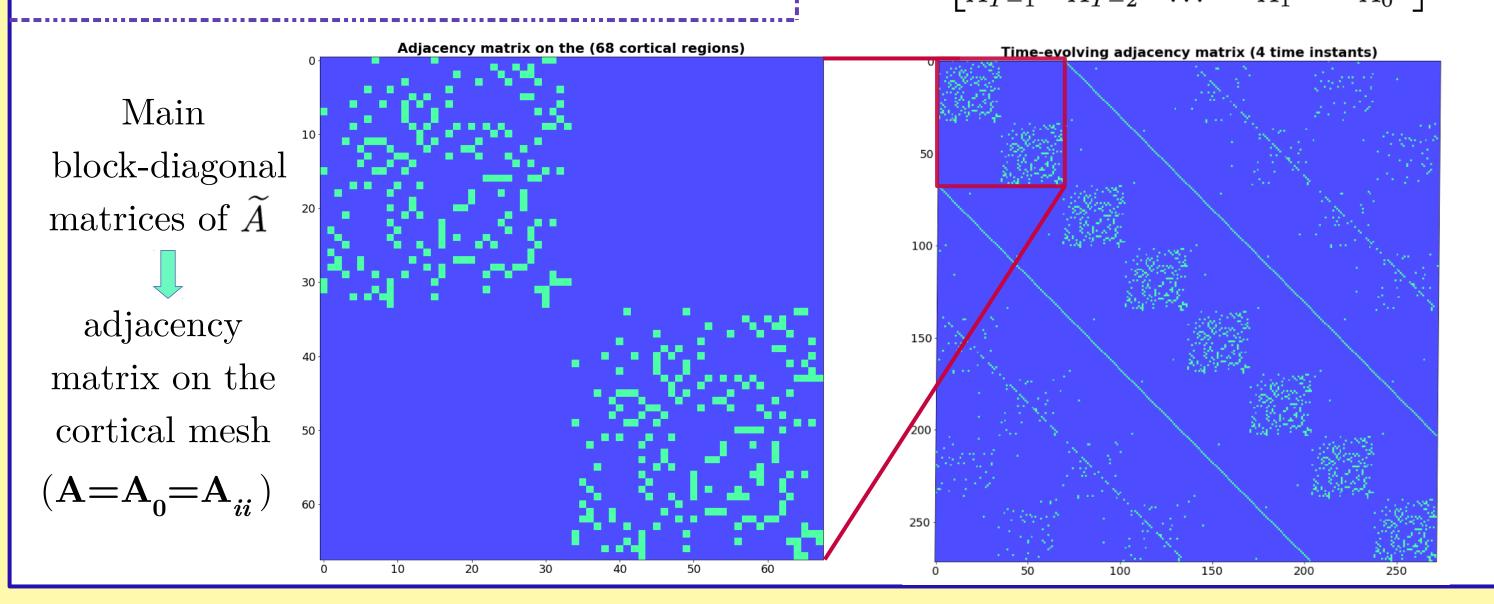
• L – symmetric normalized Laplacian matrix computed on the cortical regions:

$$L^{symm} = I - D^{-1/2}AD^{-1/2}$$

- D degree matrix
- A symmetric (R × R) adjacency (connectivity) matrix on the cortical mesh with elements:
- if vertices i & j are connected by an edge
- Edges between neighbouring nodes
- (adjacent brain areas) \Rightarrow short-range connections

- G block–diagonal leadfield matrix of size $(N \times T) \times (R \times T)$
- $L-{\bf time-evolving}$ block-diagonal normalized Laplacian matrix
- A spatio–temporal adjacency matrix of size $(R \times T) \times (R \times T)$ that evolves with time according to long-range connectivity
- edges between neighboring nodes
- short-range & long-range connections

	$\lceil A_0$	A_1	 A_{T-2}	A_{T-1}
	$\left[egin{array}{c} A_0 \ A_1 \end{array} ight]$	A_0	 A_{T-2}	A_{T-2}
$\widetilde{A} =$:		 A_0	
	A_{T-2}		 A_0 A_1	A_1
	A_{T} 1	A_{T} \circ	A_{1}	A_{\circ}



Simulation of cortical activity

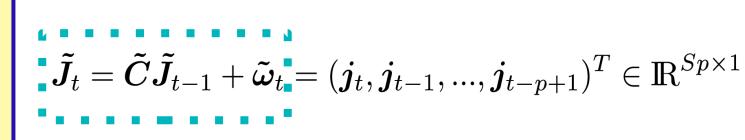
- Simulations were preformed using MNE-Python software [3] based on realistic subject anatomy from HCP dataset [4].
- Activity of all sources can be modeled as a Vector Autoregressive model [6] of order p (VAR(p)):

$$egin{aligned} oldsymbol{j}_t &= \sum_{i=1}^p oldsymbol{C}_i oldsymbol{j}_{t-i} + oldsymbol{\omega}_t &\in \mathbb{R}^S \ p &= \max(\Delta_f) & \Delta_f &= rac{f_{length}}{speed} F_s \end{aligned}$$

MAR coefficient matrices

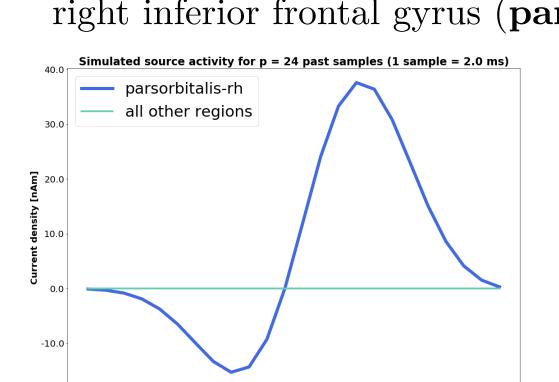
max delay found in all f streamlines

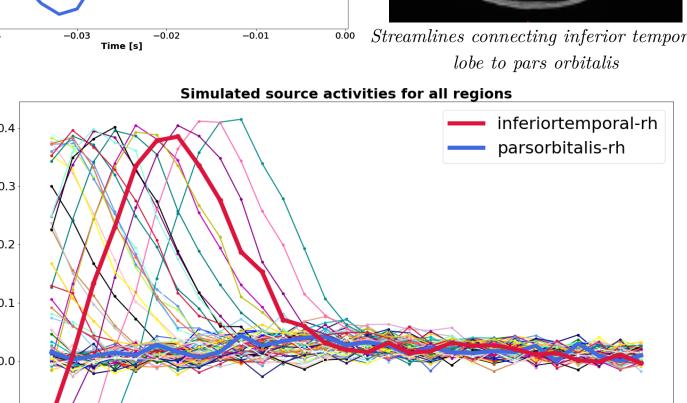
- $C_i \in \mathbb{R}^{S \times S}$ matrix defines the contribution of all sources at time t-i to all sources at time t
- Dynamic source model is defined by multivariate autoregressive (MAR) model:

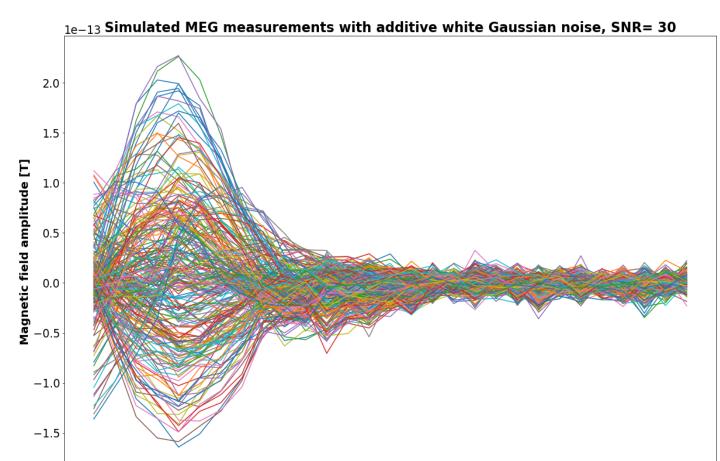


• $\tilde{\boldsymbol{C}} \in \mathbb{R}^{Sp \times Sp}$ augmented coefficient matrix

 \bullet Example: input signal (for p past samples) in right inferior frontal gyrus (pars orbitalis).

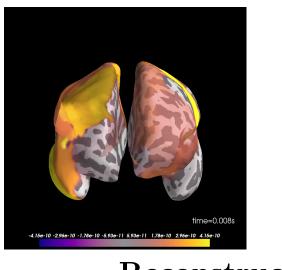


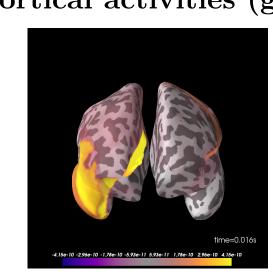


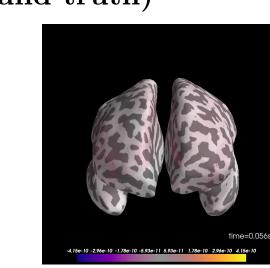


4. Results

- Results of reconstruction of cortical activity from simulated MEG measurements are presented and compared to original LORETA method.
 - t = 0.056 st = 0.008 st = 0.016 sSimulated cortical activities (gorund truth)

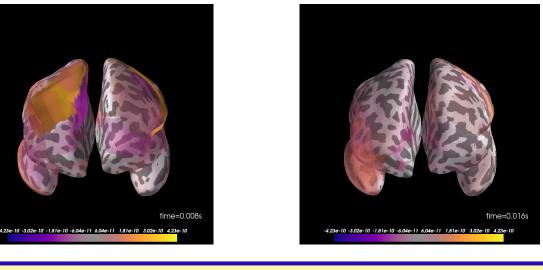


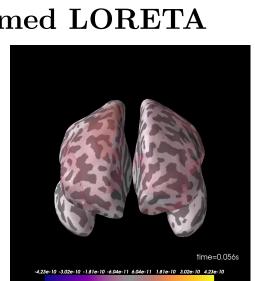




Reconstructed sources – original LORETA

Reconstructed sources – connectivity-informed LORETA





Conclusion

- The preliminary results of MEG source reconstruction obtained using simulated source activity according to a MAR model and spatio-temporal approach for **inverse** solution were presented.
- We tackled the ill–posed problem in both space and time and obtained promising results in terms of amplitude and focality.
- Nevertheless, further simulations need to be performed with multiple subject in order to validate the preliminary results.

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References: [1] Baillet S., "Magnetoencephalography for brain electrophysiology and imaging", Nature Neuroscience, 2017. [2] Pascual-Marqui, R. D. et al. "Low resolution electromagnetic tomography: a new method for localizing electrical activity in the brain", International Journal of psychophysiology, 1994. [3] A. Gramfort et al. "Mne software for processing meg and eeg data", Neuroimage, 2014 [4] Van Essen, D. C. et al., "The wu-minn human connectome project: an overview", Neuroimage, 2013. [5] Desikan, R. S. et al. "An automated labeling system for subdividing the human cerebral cortex on mri scans into gyral based regions ofinterest", Neuroimage, 2006. [6] H. Lütkepohl, New introduction to multiple time series analysis. Springer Science & Business Media, 2005.