

Anticipation in the retina and the primary visual cortex: towards an integrated retino-cortical model for motion processing

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In collaboration with :

Matteo Di Volo Alain Destexhe

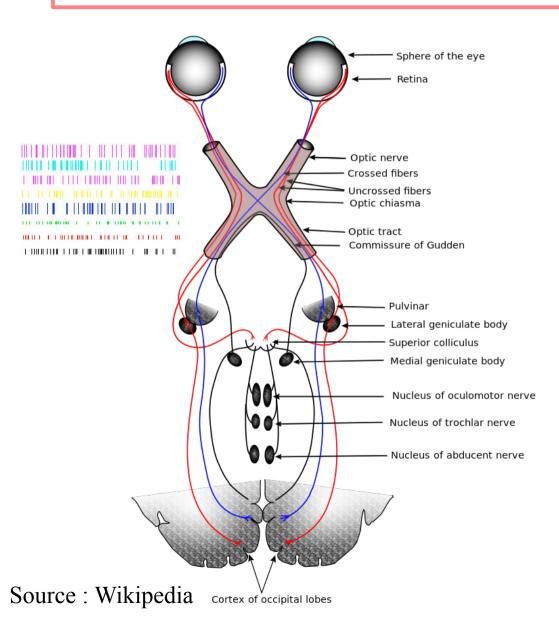


Frédéric Chavane Sandrine Chemla

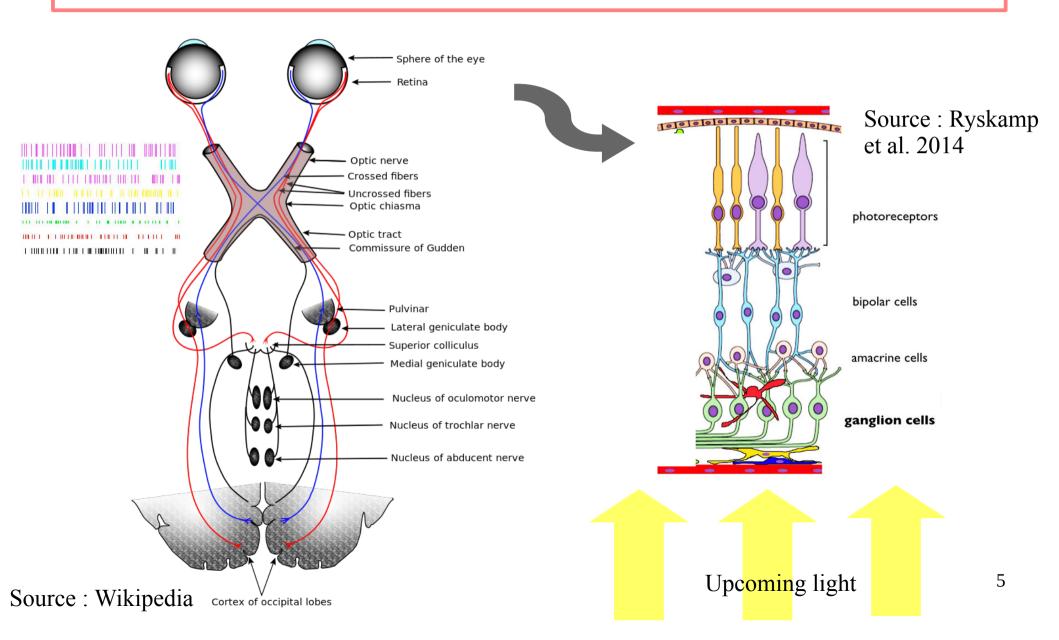


Olivier Marre

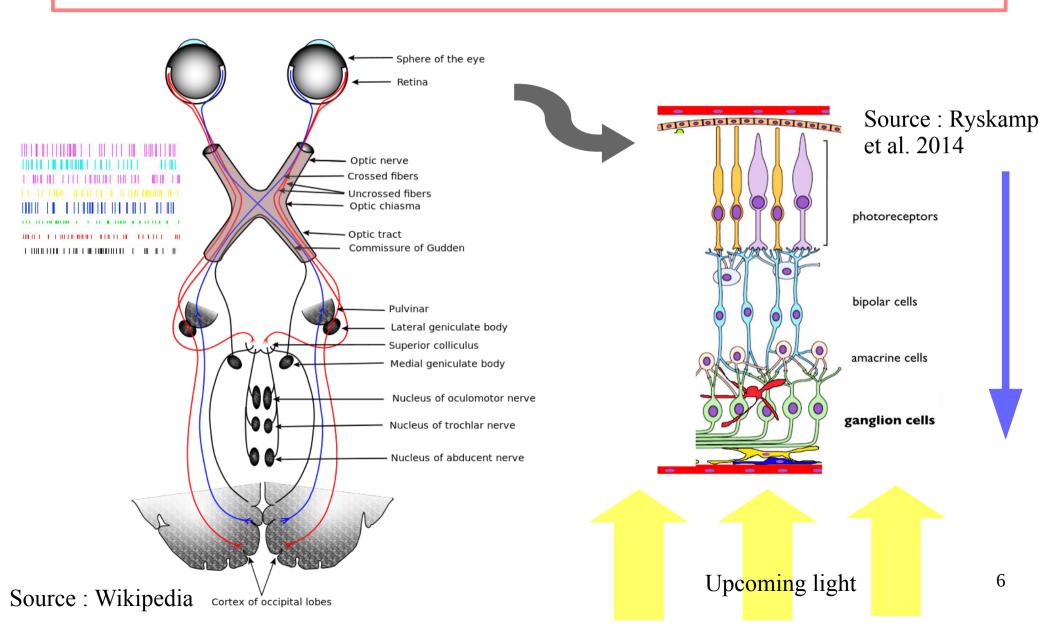
The visual flow

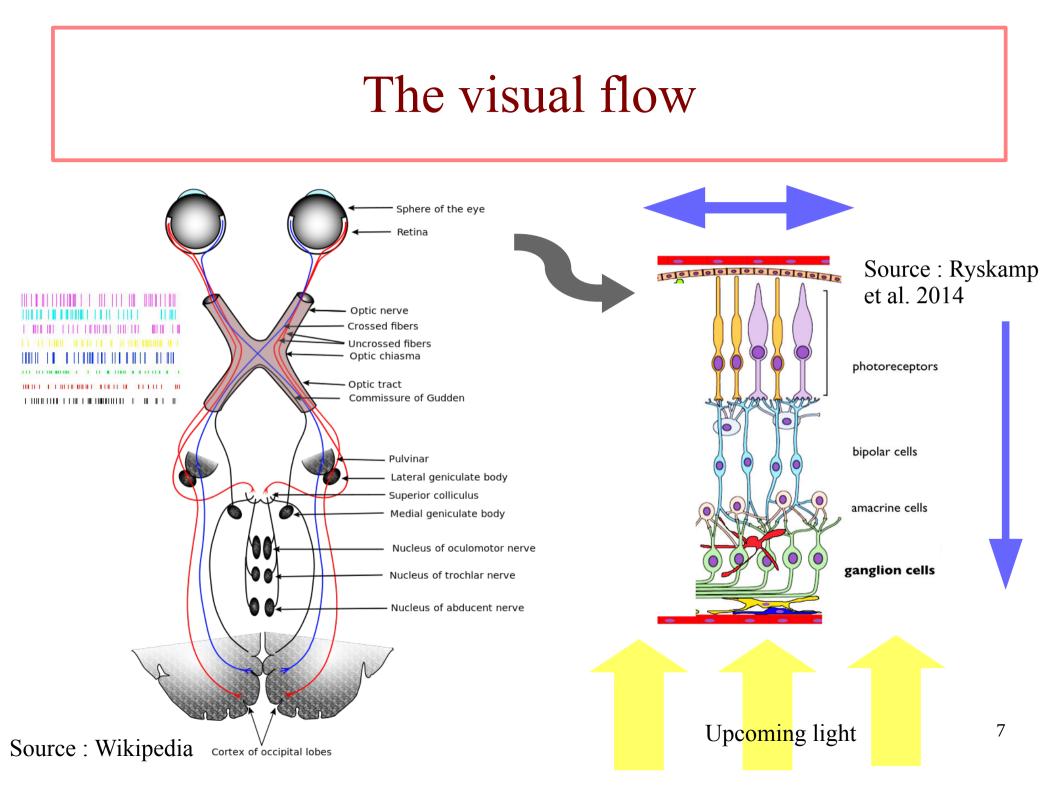


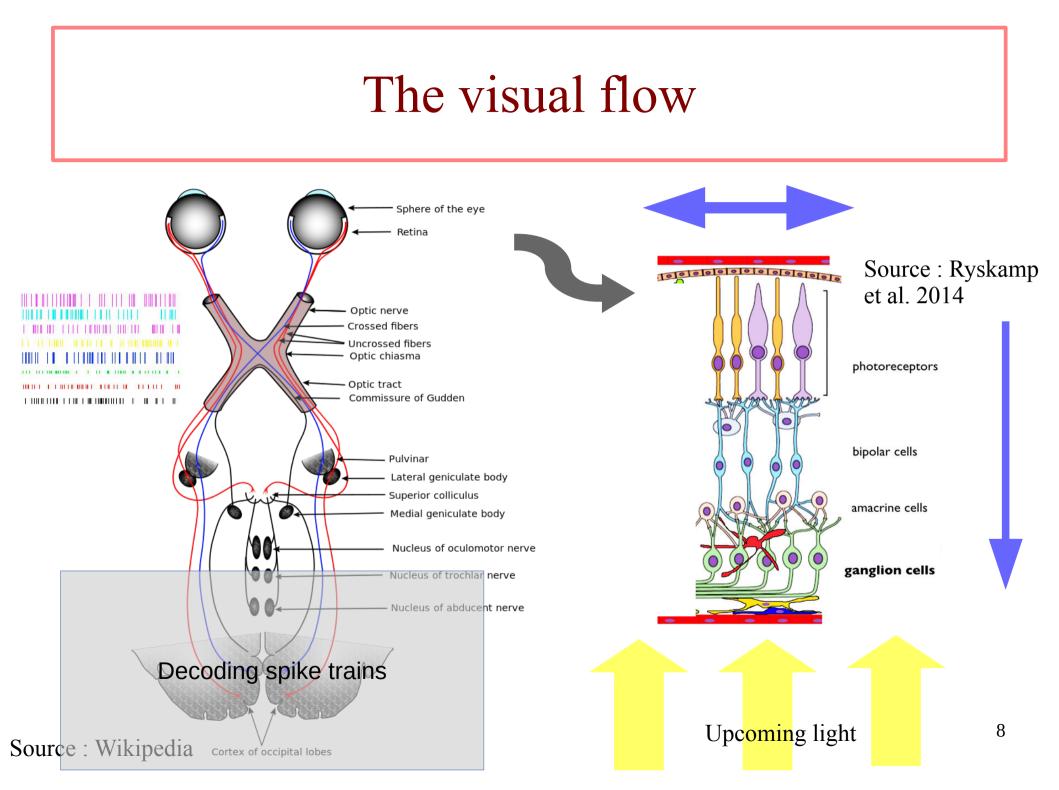
The visual flow

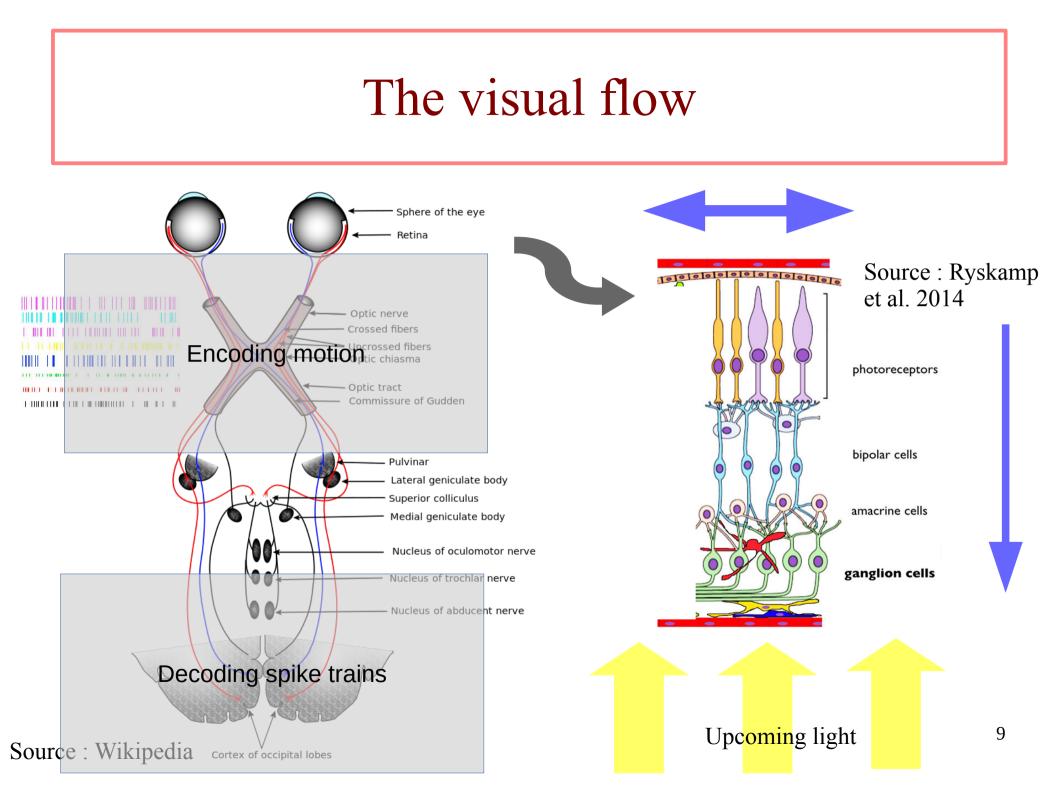


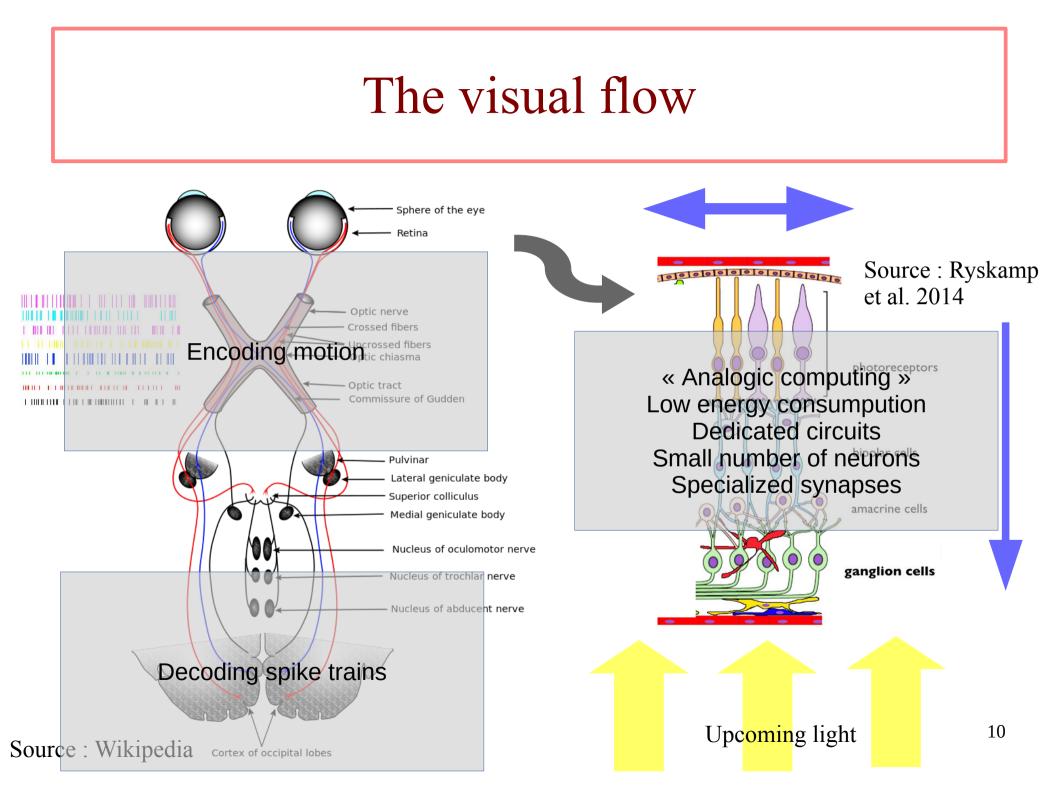
The visual flow

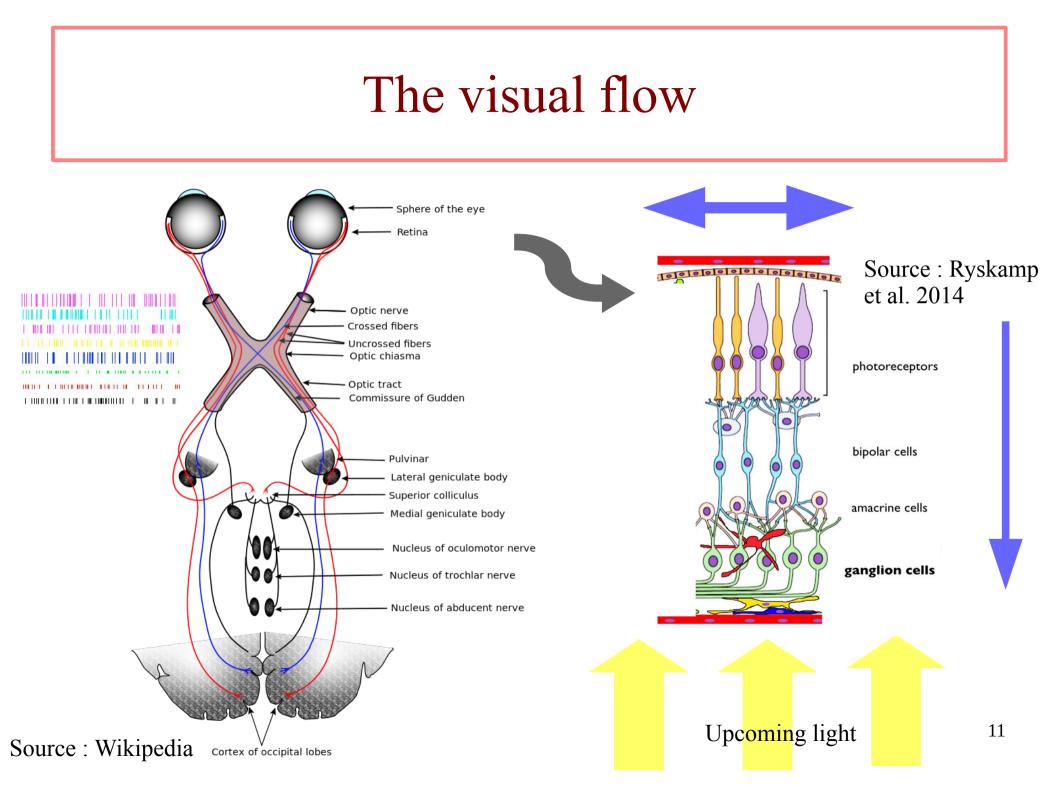


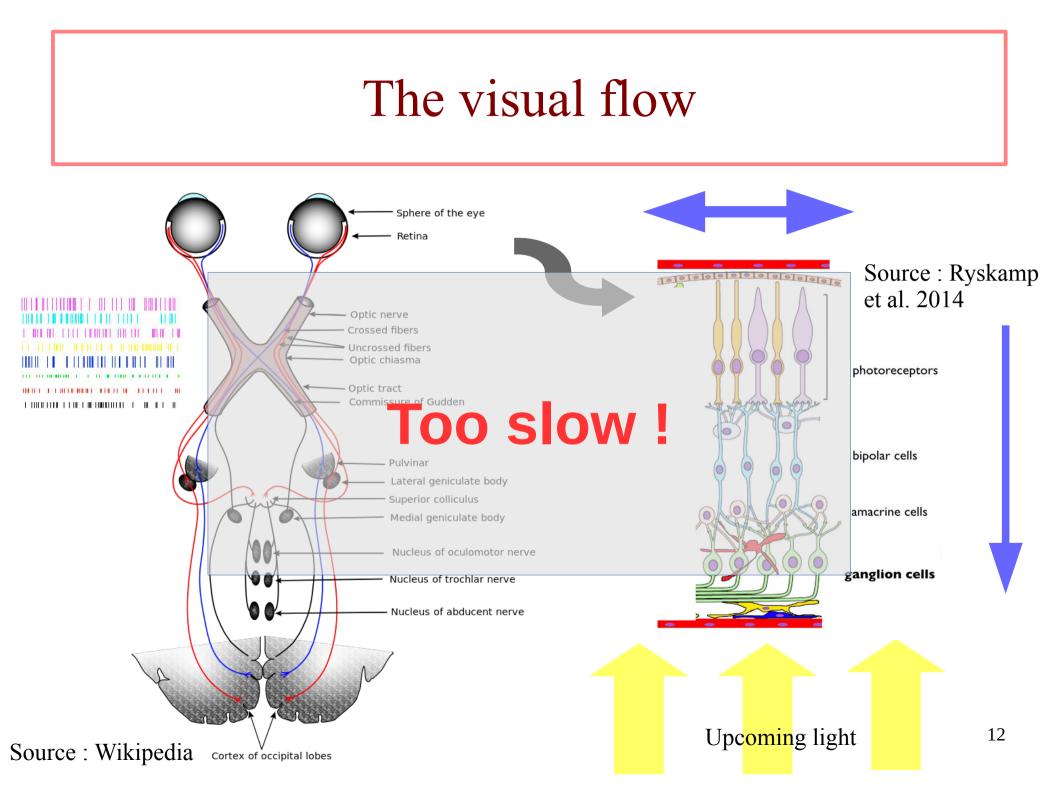


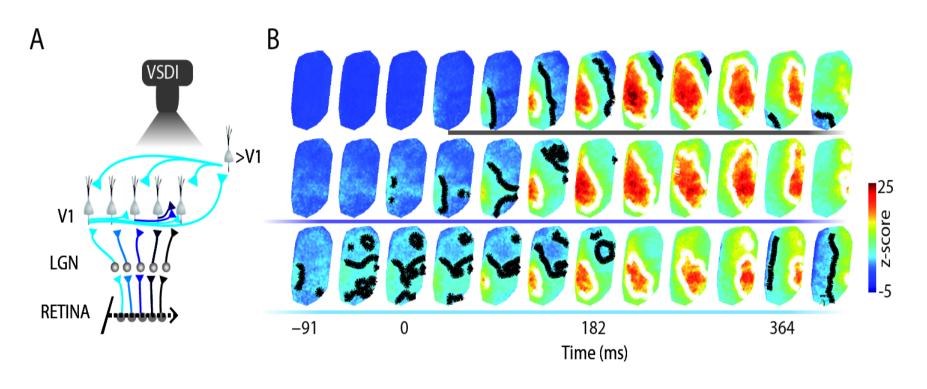






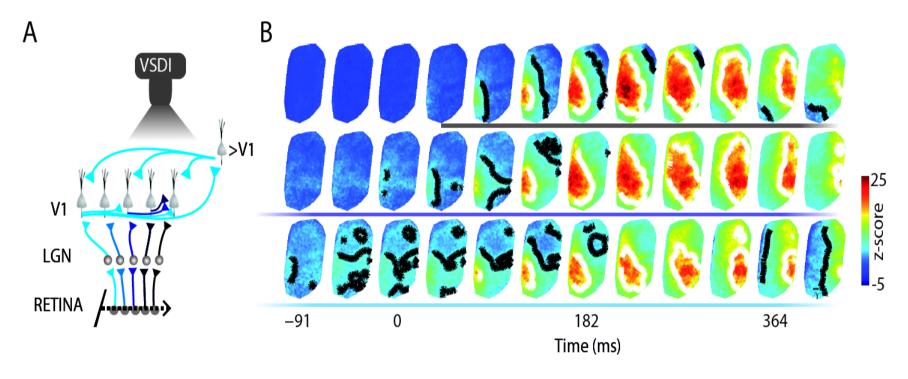






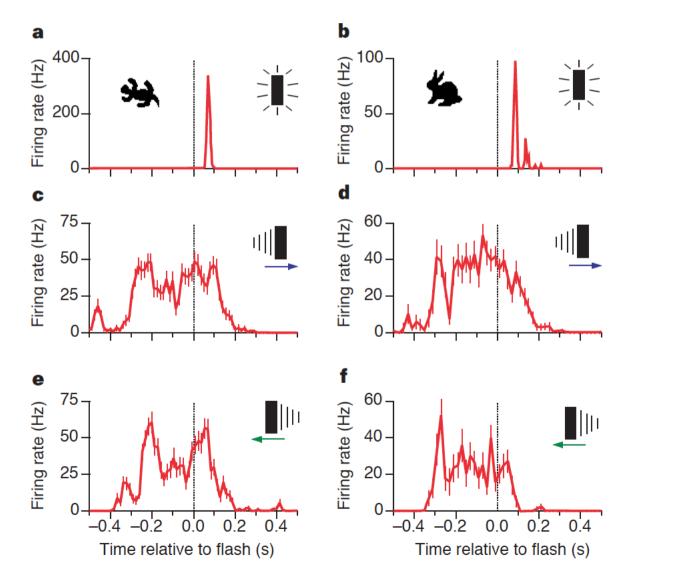
Source : Benvenutti et al. 2015

Anticipation is carried out by the primary visual cortex (V1) through an activation wave



Source : Benvenutti et al. 2015

Anticipation also takes place in the retina



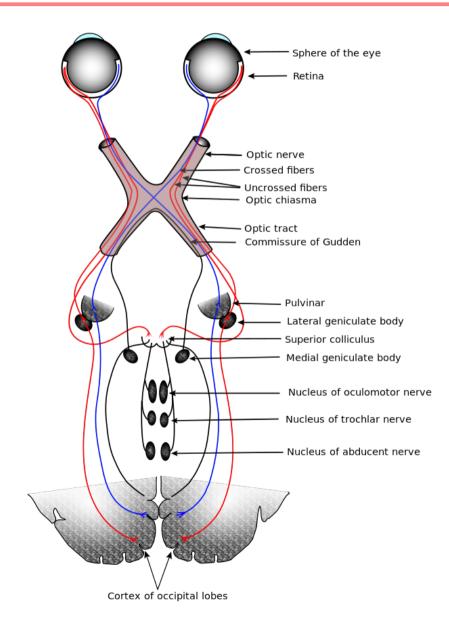
Source : Berry et al. 1999

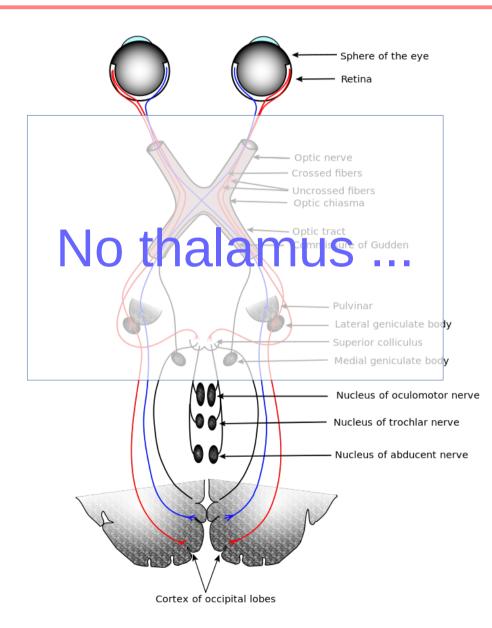


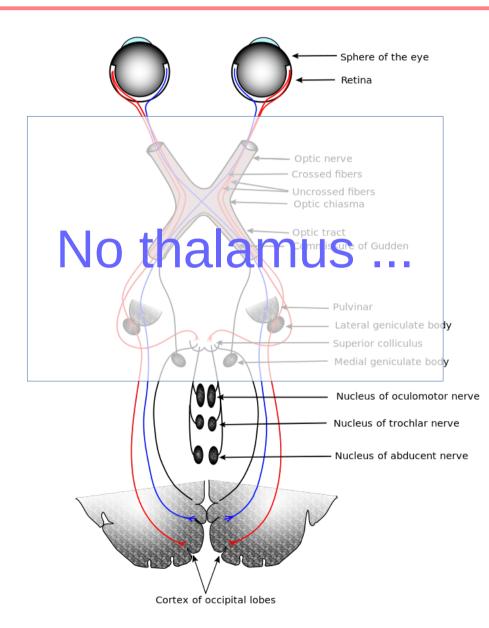
What are the respective :

Mechanisms underlying retinal and cortical anticipation?

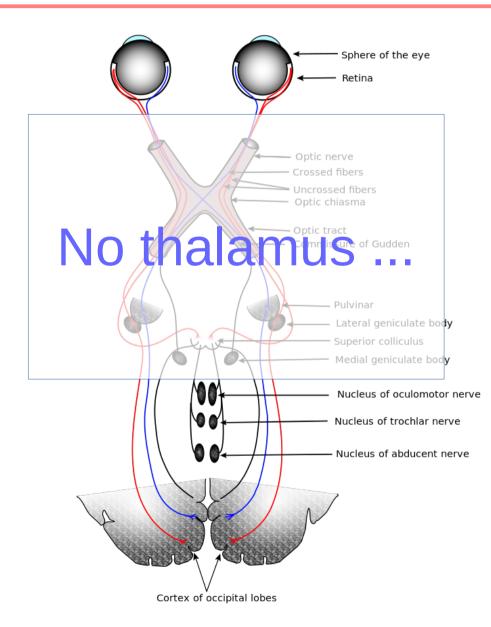
➢Role of each part ?





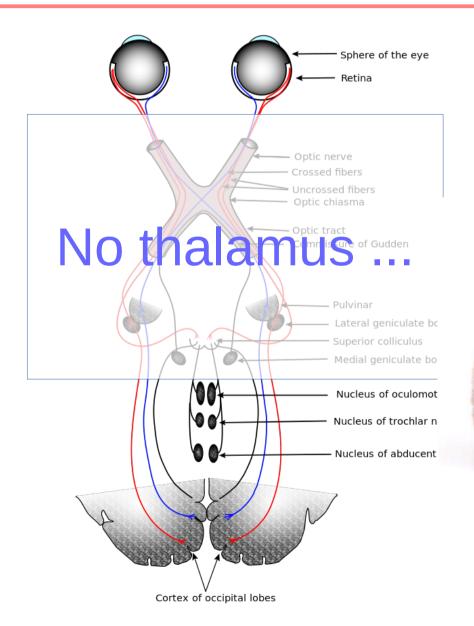


Which animal ?



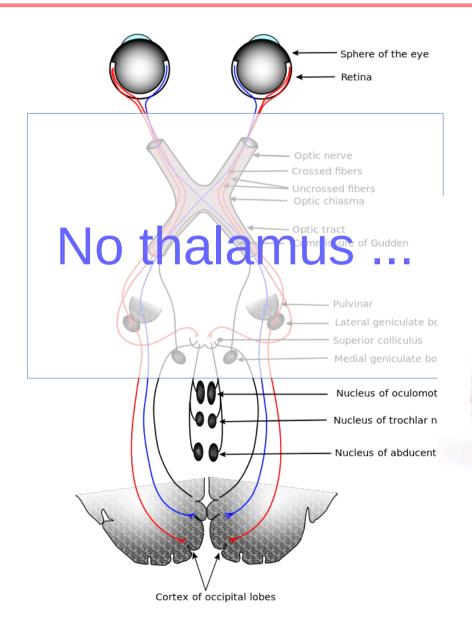


Which animal ?



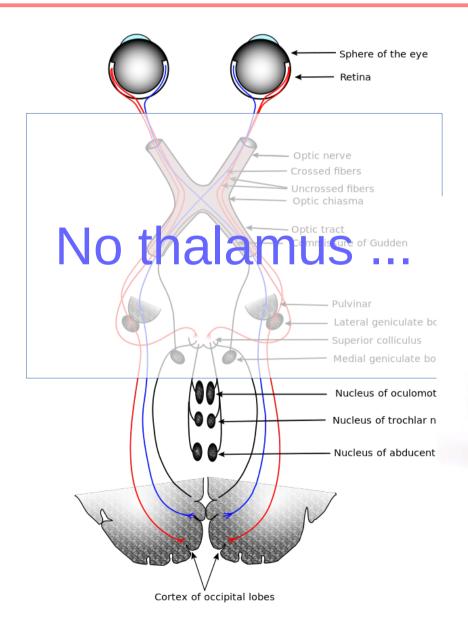


:h animal ?





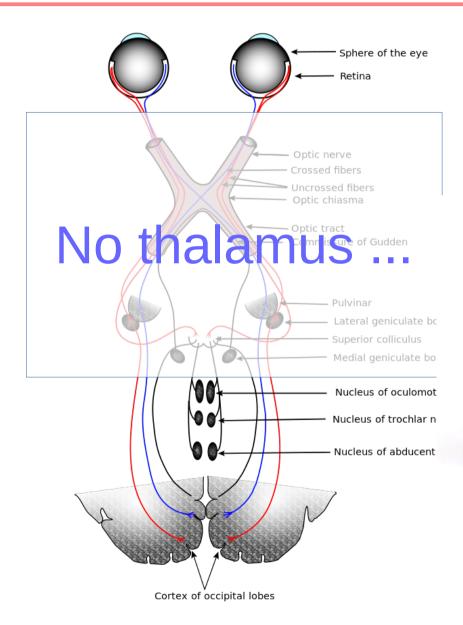
:h a

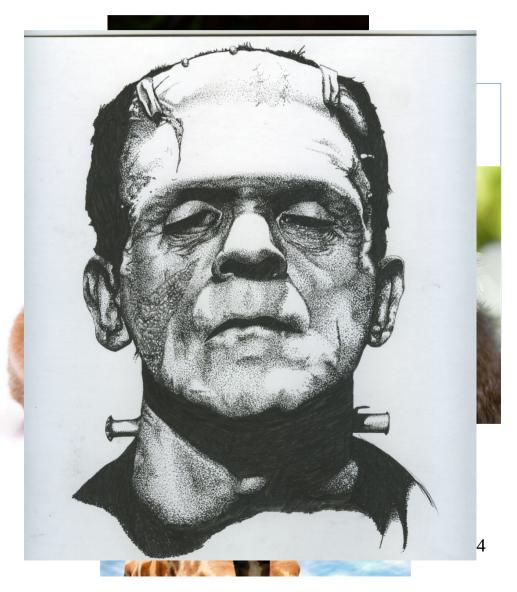












Developping a retino-cortical model of anticipation so as to

understand / propose

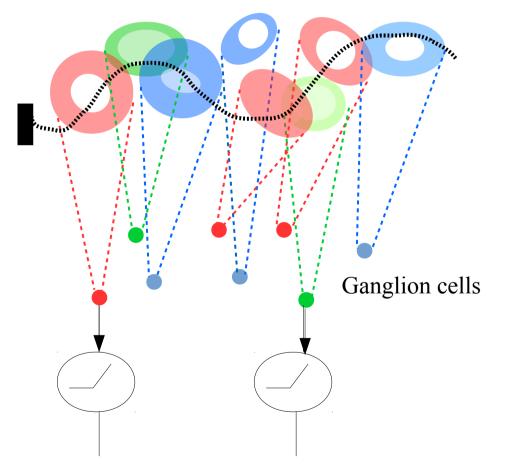
possible mechanisms for anticipation in the retina and in the cortex.

Anticipation in the retina

The Hubel-Wiesel view of vision

Nobel prize 1981

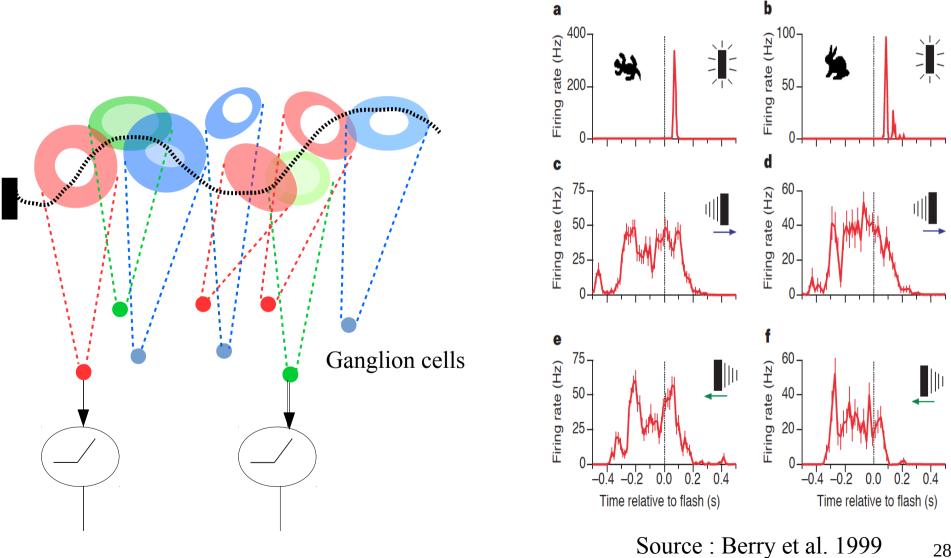
Ganglion cells response is the convolution of the stimulus with a spatio-temporal receptive field followed by a non linearity



Ganglion cells are independent encoders

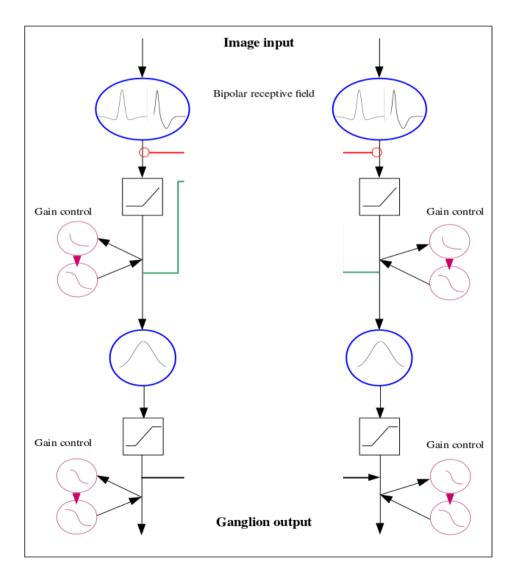
The Hubel-Wiesel view of vision

Nobel prize 1981

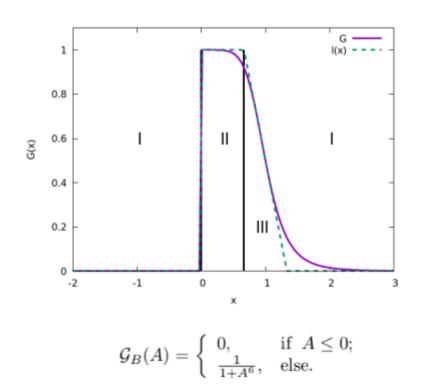


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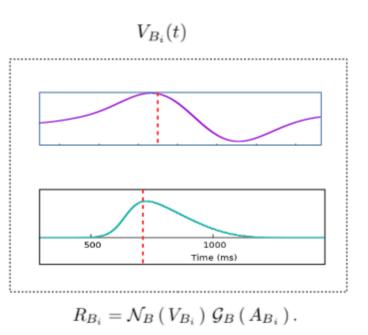
Gain control (Chen et al. 2013)



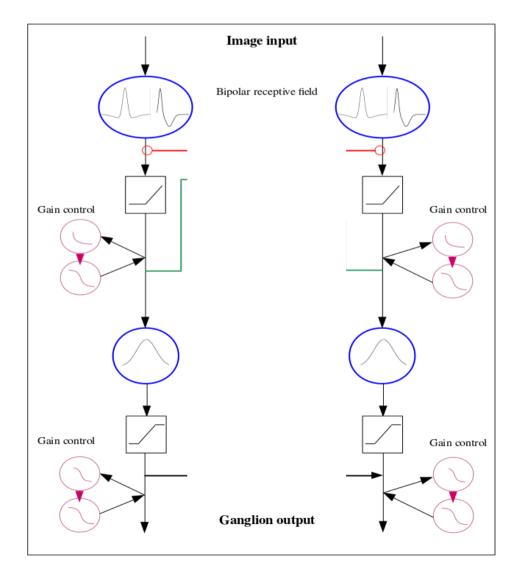
1) Gain control



How does it work ?



Gain control (Chen et al. 2013)



• Bipolar voltage :

 $V_{B_i}(t) = V_{i_{drive}}(t) \cdot$

• Non-linear function :

 $\mathcal{N}_B(V_{B_i}) = \begin{cases} 0, & \text{if } V_{B_i} \le \theta_B; \\ V_{B_i} - \theta_B, & \text{else.} \end{cases}$

• Activation function :

$$\frac{dA_{B_i}}{dt} = -\frac{A_{B_i}}{\tau_a} + h \mathcal{N}(V_{B_i}(t)).$$

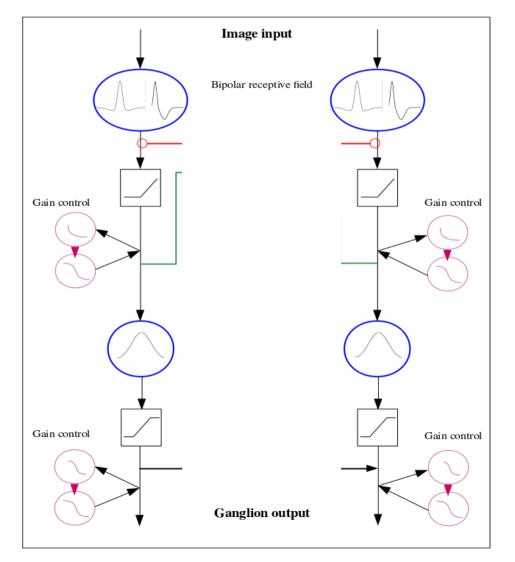
• Gain Control function :

$$\mathcal{G}_B(A) = \begin{cases} 0, & \text{if } A \le 0; \\ \frac{1}{1+A^6}, & \text{else.} \end{cases}$$

• Output :

$$R_{B_i} = \mathcal{N}_B(V_{B_i}) \mathcal{G}_B(A_{B_i}).$$

Gain control (Chen et al. 2013)



Ganglion voltage

$$V_{G_k} = \sum_i W_{G_k}^{B_i} R_{B_i}$$

• Non-linear function :

$$\mathcal{N}_{G_F}\left(V\right) = \begin{cases} 0, & \text{if } V \leq 0;\\ \alpha_{G_F}(V - \theta_{G_F}), & \text{if } \theta_{G_F} \leq V \leq N_{G_F}^{max} / \alpha_{G_F} + \theta_{G_F} \\ N_{G_F}^{max}, & \text{else.} \end{cases}$$

• Activation function :

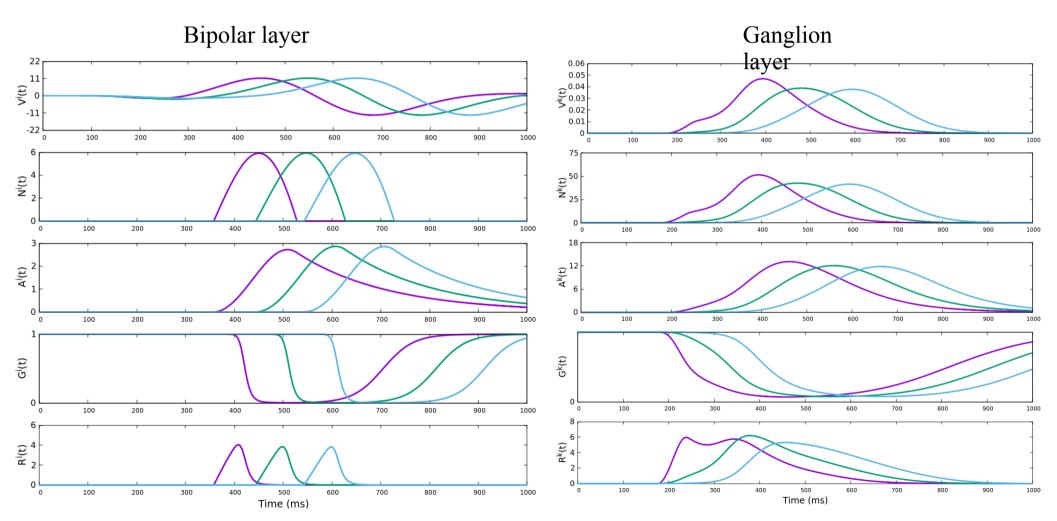
$$\frac{dA_{G_{F_{k_{F}}}}}{dt} = -\frac{A_{G_{F_{k_{F}}}}}{\tau_{G_{F}}} + h_{G_{F}} \mathcal{N}_{G_{F}} \left(V_{G_{F_{k_{F}}}} \right)$$

Gain <u>Control function</u>:

$$\mathcal{G}_{G_F}(A) = \begin{cases} 0, & \text{if } A \le 0; \\ \frac{1}{1+A}, & \text{else.} \end{cases}$$

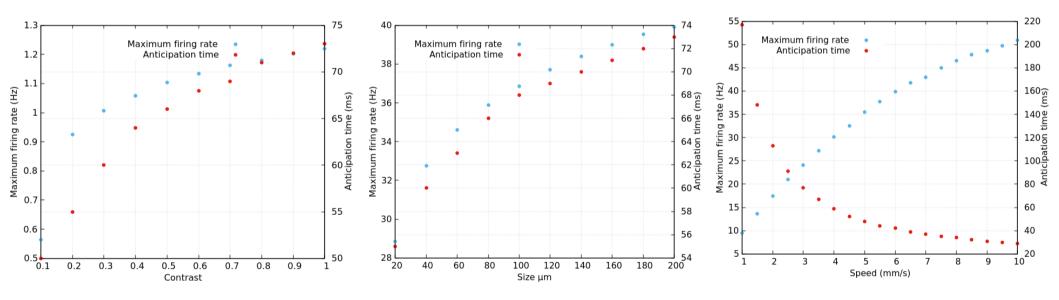
- Output :
- $R_{G_{F_{k_{F}}}}\left(V_{G_{F_{k_{F}}}}, A_{G_{F_{k_{F}}}}\right) = \mathcal{N}_{G_{F}}(V_{G_{F_{k_{F}}}}) \mathcal{G}_{G_{F}}(A_{G_{F_{k_{F}}}}).$

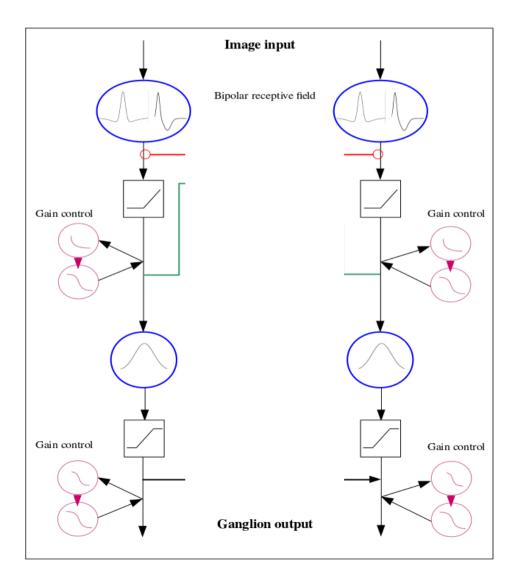
1D results : smooth motion anticipation with gain control



1D results : smooth motion anticipation with gain control

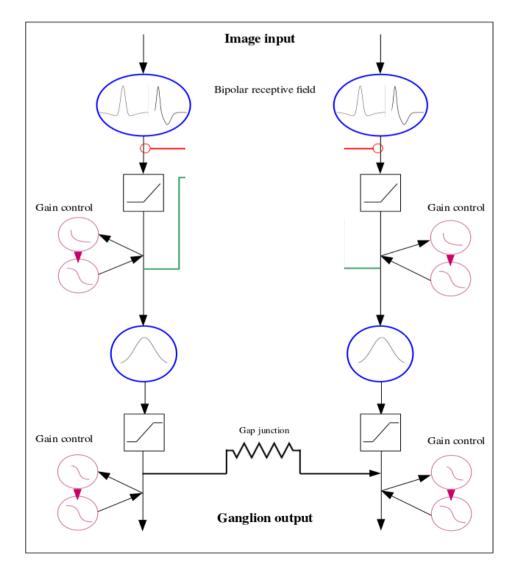
Anticipation variability with stimulus parameters





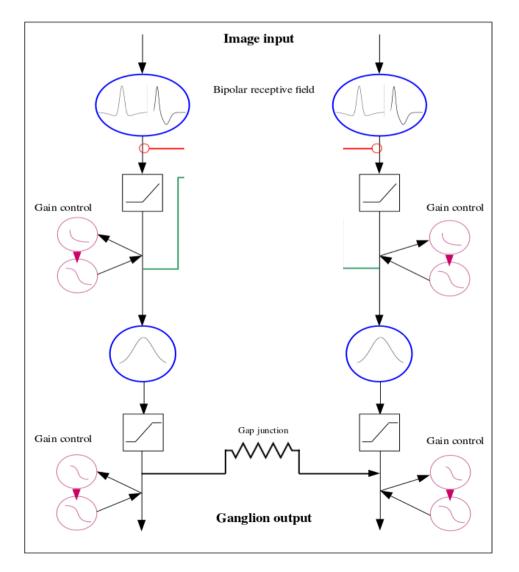
Ganglion cells are independent encoders

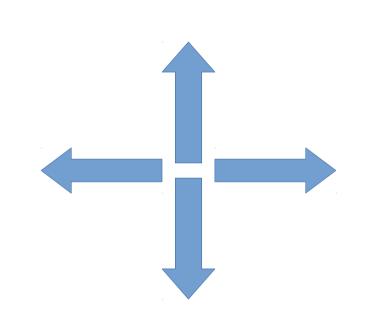
Gap junctions connectivity



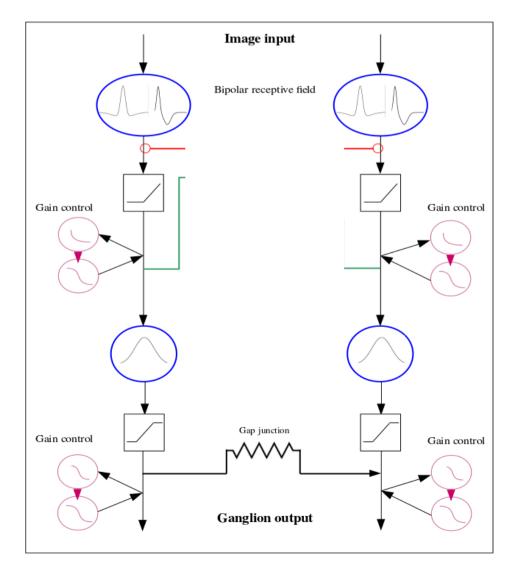
Ganglion cells are **not** independent encoders

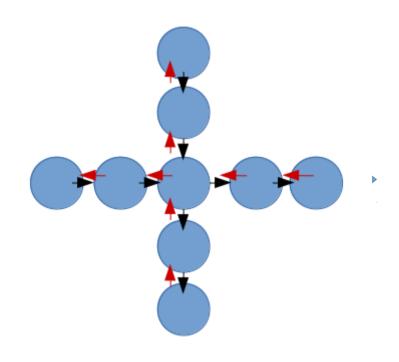
Gap junctions connectivity



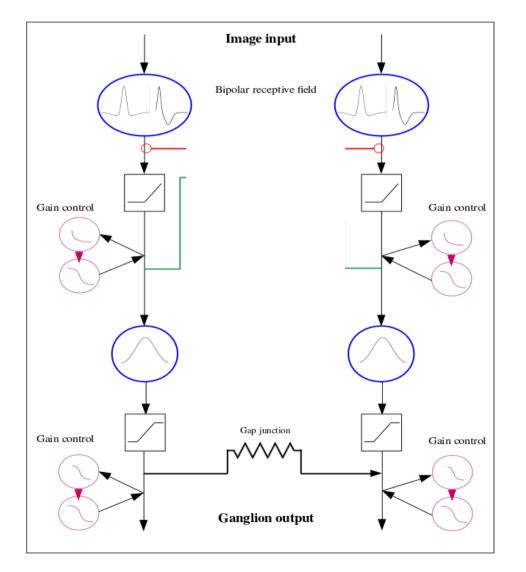


Gap junctions connectivity

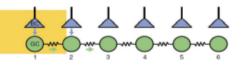




Gap junctions connectivity

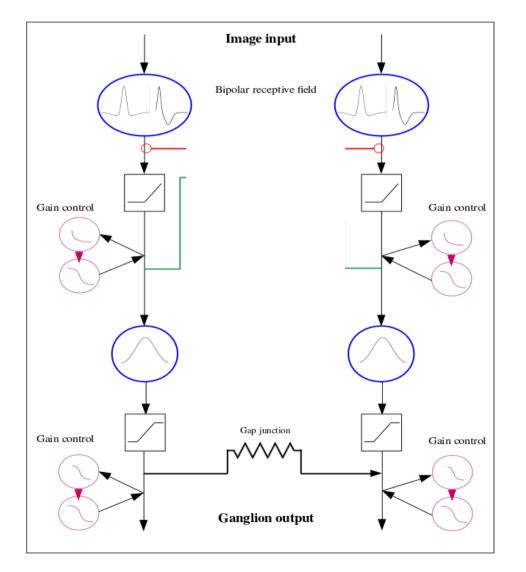


- A class of direction selective RGCs are connected through gap junctions
- Their activity comprises the activity pooled from bipolar cells and the activity coming from the downstream RGCs, in the direction of motion



 $R_{G_{Dk_D}} = V_{G_{Dk_D}} + \beta R_{G_{Dk_D-1}}$

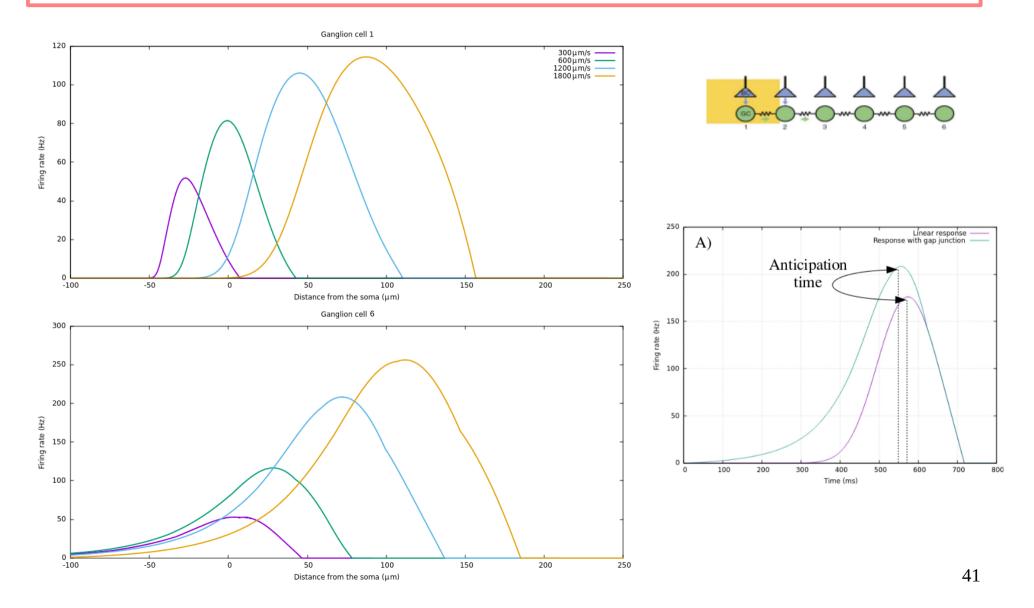
Gap junctions connectivity



- A class of direction selective RGCs are connected through gap junctions
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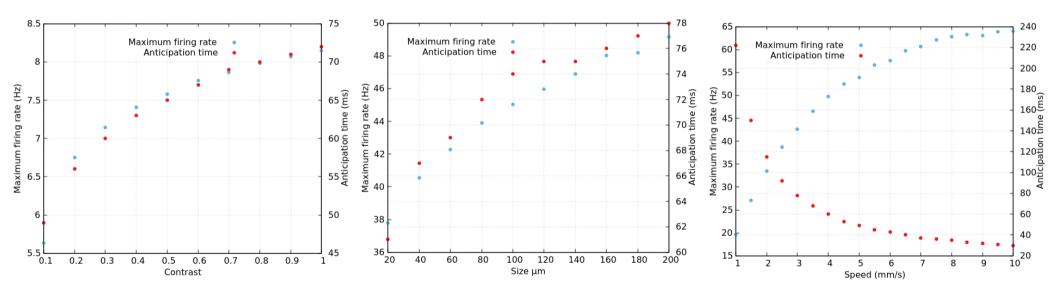
Diffusive wave of activity ahead of the motion $R_{G_{D_{k_D}}} = V_{G_{D_{k_D}}} + \beta R_{G_{D_{k_D}-1}}$

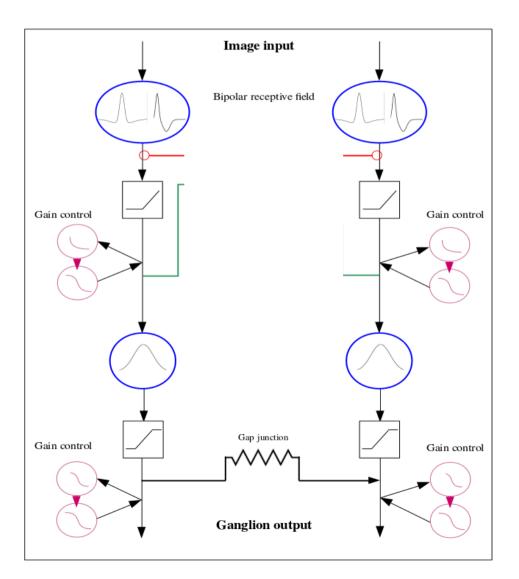
1D results : smooth motion anticipation with gap junctions



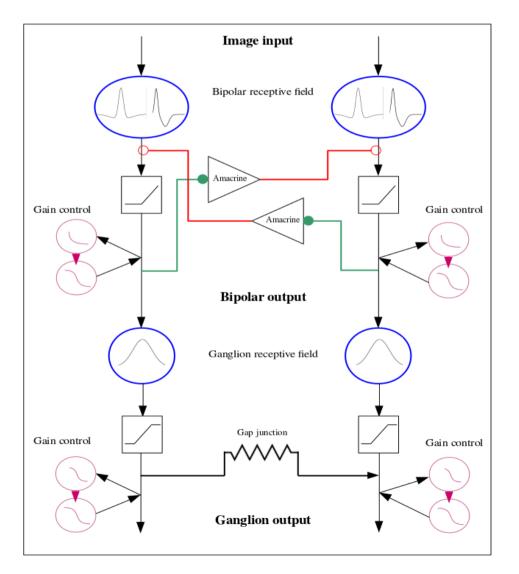
1D results : smooth motion anticipation with gap junctions

Anticipation variability with stimulus parameters





Amacrine cells connectivity



Ganglion cells are **not** independent encoders

Amacrine cells connectivity

• A class of RGCs are selective to differential motion



Amacrine cells connectivity

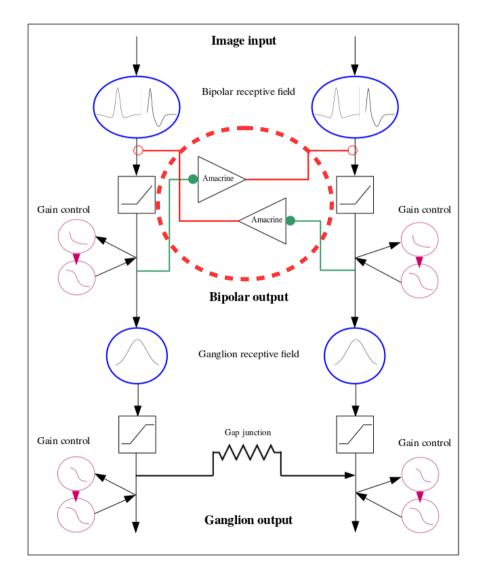
• A class of RGCs are selective to differential motion



• The circuitry involves amacrine cells connectivity upstream of ganglion cells

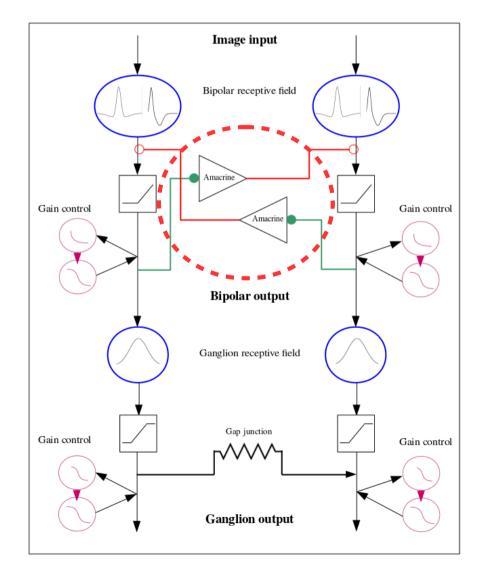
Connectivity pathways

Amacrine cells connectivity



Connectivity pathways

Amacrine cells connectivity



• Bipolar voltage :

$$\frac{dV_{B_i}}{dt} = -\frac{1}{\tau_B} V_{B_i} + \sum_{j=1}^{N_A} W_{B_i}^{A_j} V_{A_j} + F_{B_i}(t).$$

• External drive :

$$F_{B_i}(t) = \left[K_i \stackrel{S,t}{*} \left(\frac{S}{\tau_B} + \frac{dS}{dt} \right) \right] (t)$$

• Amacrine voltage :

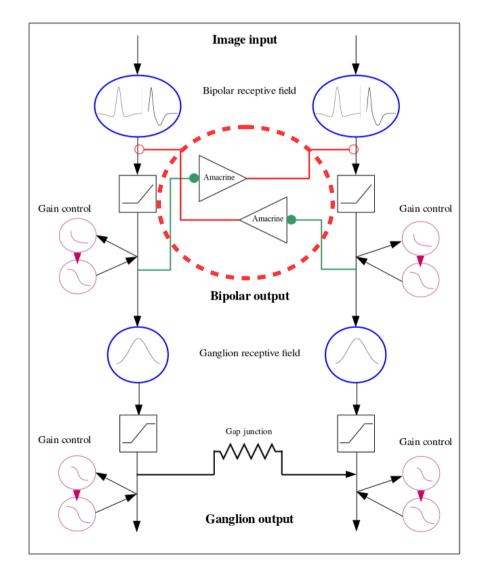
$$\frac{dV_{A_j}}{dt} = -\frac{1}{\tau_A} V_{A_j}(t) + \sum_{i=1}^{N_A} W_{A_j}^{B_i} R_{B_i}(t).$$

• Coupled dynamics :

$$\frac{dV_{B_i}}{dt} = -\frac{1}{\tau_B} V_{B_i} + \sum_{j=1}^{N_A} W_{B_i}^{A_j} V_{A_j} + F_{B_i}(t)$$
$$\frac{dA_{B_i}}{dt} = -\frac{A_{B_i}}{\tau_a} + h \mathcal{N}(V_{B_i}(t)),$$
$$\frac{dV_{A_j}}{dt} = -\frac{1}{\tau_A} V_{A_j}(t) + \sum_{i=1}^{N_A} W_{A_j}^{B_i} R_{B_i}(t).$$

Connectivity pathways

Amacrine cells connectivity



• Bipolar voltage :

$$\frac{dV_{B_i}}{dt} = -\frac{1}{\tau_B} V_{B_i} + \sum_{j=1}^{N_A} W_{B_i}^{A_j} V_{A_j} + F_{B_i}(t).$$

• External drive :

$$F_{B_i}(t) = \left[K_i \stackrel{s,t}{*} \left(\frac{s}{\tau_B} + \frac{ds}{dt} \right) \right](t)$$

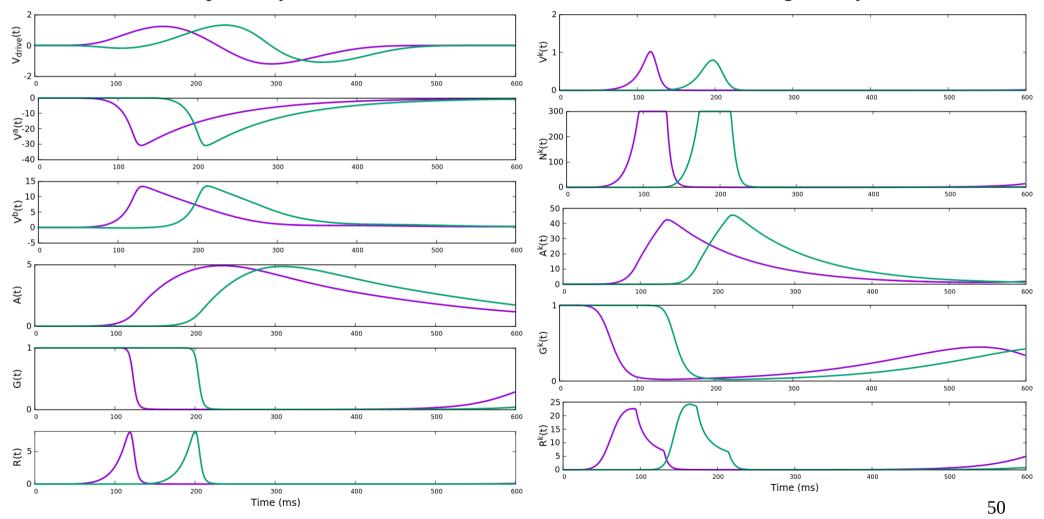
- Amacrine voltage : Anti diffusive wave of activity $\frac{dv_{A_j}}{dt}$ ahead of the bar $W_{A_j}^{B_i}R_{B_i}(t)$.
- Coupled dynamics :

$$\begin{cases} \frac{dV_{B_i}}{dt} = -\frac{1}{\tau_B} V_{B_i} + \sum_{j=1}^{N_A} W_{B_i}^{A_j} V_{A_j} + F_{B_i}(t) \\ \frac{dA_{B_i}}{dt} = -\frac{A_{B_i}}{\tau_a} + h \mathcal{N}(V_{B_i}(t)), \\ \frac{dV_{A_j}}{dt} = -\frac{1}{\tau_A} V_{A_j}(t) + \sum_{i=1}^{N_A} W_{A_j}^{B_i} R_{B_i}(t). \end{cases}$$

1D results : smooth motion anticipation with amacrine connectivity

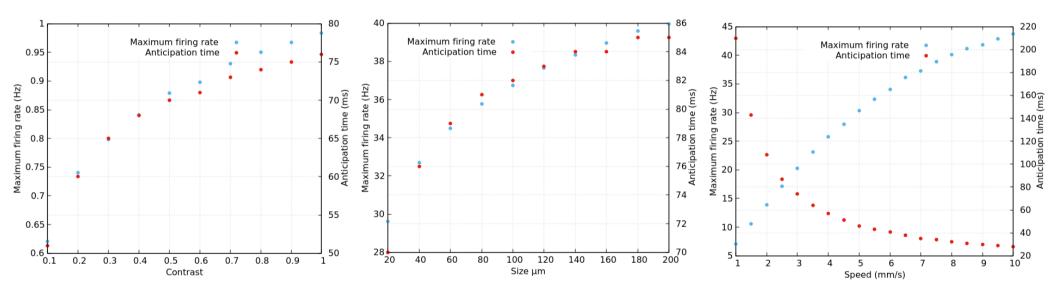
Bipolar layer

Ganglion layer

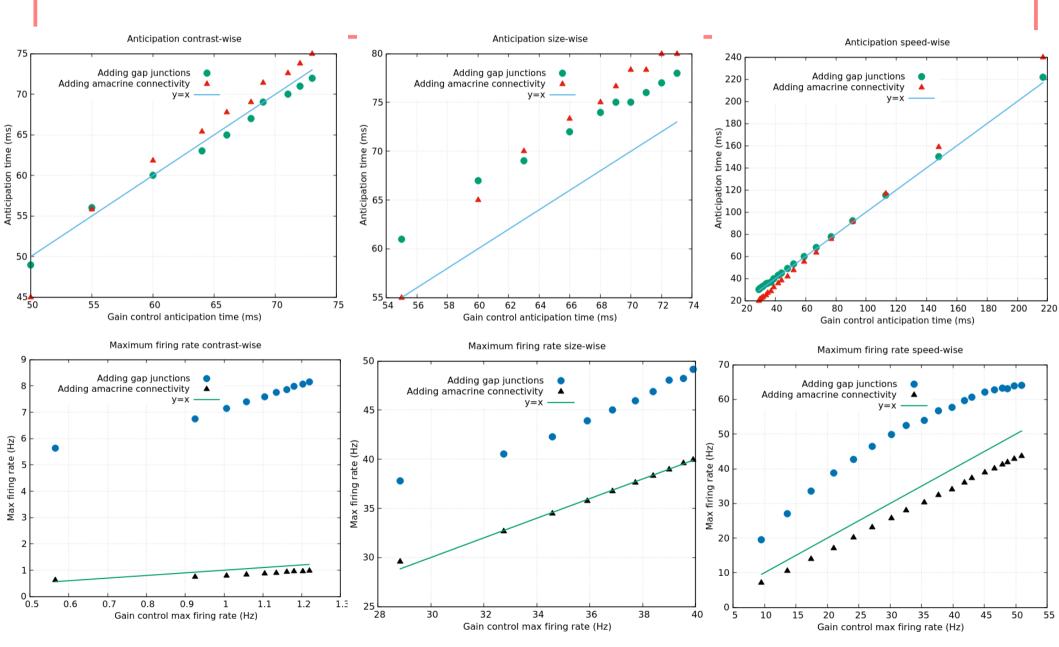


1D results : smooth motion anticipation with amacrine connectivity

Anticipation variability with stimulus parameters

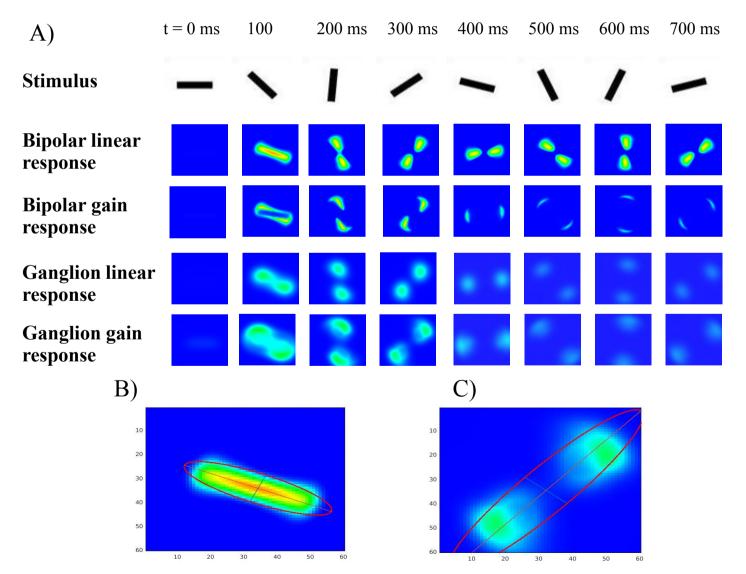


Comparing the performance of the three layers



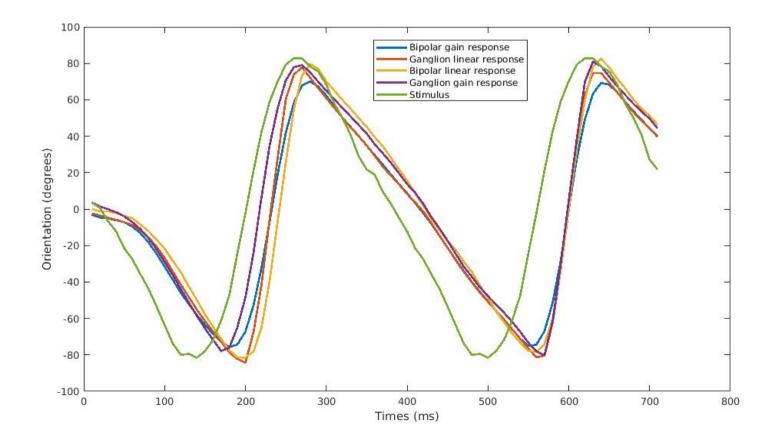
Suggesting new experiments : 2D results

1) Angular anticipation



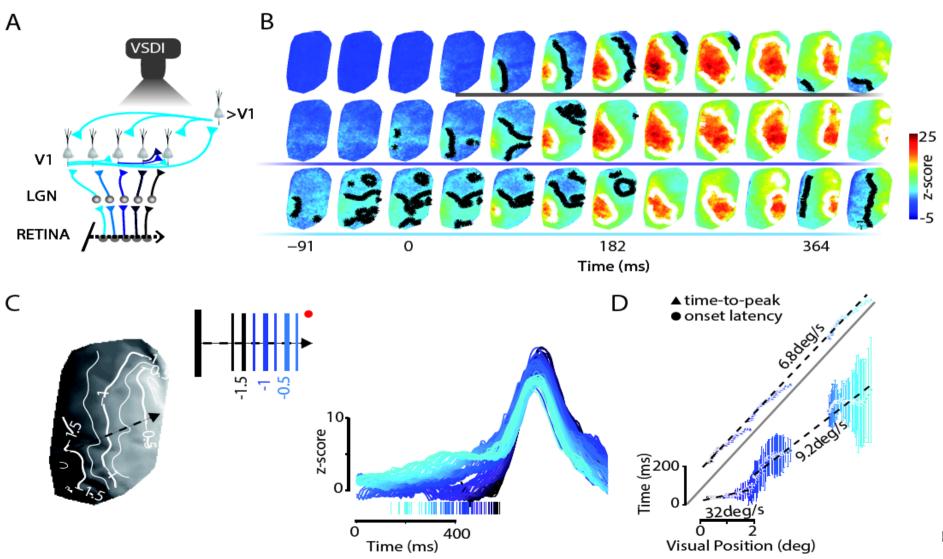
Suggesting new experiments : 2D results

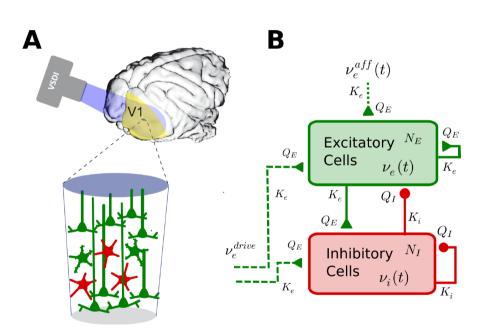
1) Angular anticipation

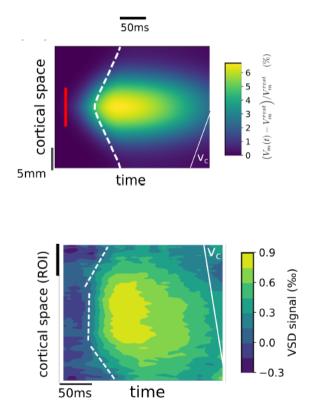


Anticipation in V1

Anticipation in V1







Master equation for first and second moments local population dynamics (El Boustani and Destexhe, 2009) read :

$$\begin{cases} T \frac{\partial \nu_{\mu}}{\partial t} = (\mathcal{F}_{\mu} - \nu_{\mu}) + \frac{1}{2} c_{\lambda \eta} \frac{\partial^{2} \mathcal{F}_{\mu}}{\partial \nu_{\lambda} \partial \nu_{\eta}} \\ T \frac{\partial c_{\lambda \eta}}{\partial t} = A_{\lambda \eta} + (\mathcal{F}_{\lambda} - \nu_{\lambda}) (\mathcal{F}_{\eta} - \nu_{\eta}) + \\ c_{\lambda \mu} \frac{\partial \mathcal{F}_{\mu}}{\partial \nu_{\lambda}} + c_{\mu \eta} \frac{\partial \mathcal{F}_{\mu}}{\partial \nu_{\eta}} - 2c_{\lambda \eta} \end{cases} \longrightarrow T \frac{\partial \nu_{\mu}}{\partial t} = \mathcal{F}_{\mu} - \nu_{\mu} \\ A_{\lambda \eta} = \begin{cases} \frac{\mathcal{F}_{\lambda} (1/T - \mathcal{F}_{\lambda})}{N_{\lambda}} & \text{if } \lambda = \eta \\ 0 & \text{otherwise} \end{cases}$$

Master equation for first and second moments local population dynamics (El Boustani and Destexhe, 2009) read :

$$\begin{cases} T \frac{\partial \nu_{\mu}}{\partial t} = (\mathcal{F}_{\mu} - \nu_{\mu}) + \frac{1}{2} c_{\lambda \eta} \frac{\partial^{2} \mathcal{F}_{\mu}}{\partial \nu_{\lambda} \partial \nu_{\eta}} \\ A \frac{\partial c_{\lambda \eta}}{\partial t} = O_{\lambda} + (\mathcal{F}_{\lambda} - \mathcal{V}_{\lambda}) (\mathbf{F}_{\mu} - \mathcal{V}_{\lambda})^{+} \text{thalamic}_{\mu} \text{input} \\ c_{\lambda \mu} \frac{\partial \mathcal{F}_{\mu}}{\partial \nu_{\lambda}} + c_{\mu \eta} \frac{\partial \mathcal{F}_{\mu}}{\partial \nu_{\eta}} - 2c_{\lambda \eta} \\ A_{\lambda \eta} = \begin{cases} \frac{\mathcal{F}_{\lambda} (1/T - \mathcal{F}_{\lambda})}{N_{\lambda}} & \text{if } \lambda = \eta \\ 0 & \text{otherwise} \end{cases}$$

Single neuron model (The adaptative exponential integrate and fire model Brette and Gerstner, 2005)

$$\begin{cases} C_m \frac{dV}{dt} = g_L \left(E_L - V \right) + I_{syn}(V, t) + k_a e^{\frac{V - V_{thre}}{k_a}} - I_w \\ \tau_w \frac{dI_w}{dt} = -I_w + a \cdot (V - E_L) + \sum_{t_s \in \{t_{spike}\}} b \,\,\delta(t - t_s) \end{cases}$$

The conductance-based exponential synapse

$$I_{syn}(V,t) = \sum_{s \in \{e,i\}} \sum_{t_s \in \{t_s\}} Q_s \left(E_s - V\right) e^{-\frac{t-t_s}{\tau_s}} \mathcal{H}(t-t_s)$$

Semi analytical transfer function :

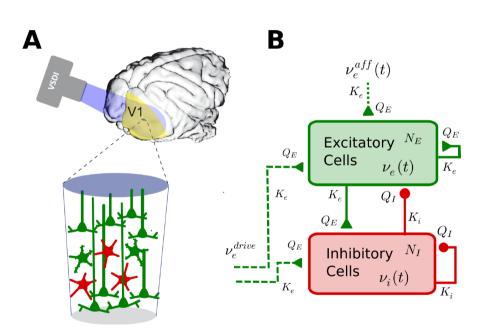
$$\nu_{out} = \mathcal{F}(\nu_e, \nu_i) = \frac{1}{2 \tau_V} \cdot Erfc(\frac{V_{thre}^{eff} - \mu_V}{\sqrt{2} \sigma_V}) \quad \text{with} \quad V_{thre}^{eff}(\mu_V, \sigma_V, \tau_V^N) = P_0 + \sum_{x \in \{\mu_V, \sigma_V, \tau_V^N\}} P_x \cdot \left(\frac{x - x^0}{\delta x^0}\right) + P_{\mu_G} \log(\frac{\mu_G}{g_L}) + \sum_{x, y \in \{\mu_V, \sigma_V, \tau_V^N\}^2} P_{xy} \cdot \left(\frac{x - x^0}{\delta x^0}\right) \left(\frac{y - y^0}{\delta y^0}\right)$$

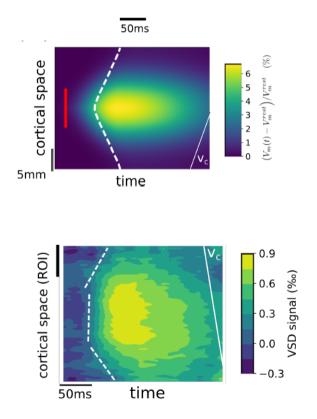
The mean, standard deviation and auto-correlation time of the excitatory and inhibitory conductance read :

 $\mu_{Ge}(\nu_{e},\nu_{i}) = \nu_{e} K_{e} \tau_{e} Q_{e}$ $\sigma_{Ge}(\nu_{e},\nu_{i}) = \sqrt{\frac{\nu_{e} K_{e} \tau_{e}}{2}} Q_{e}$ $\mu_{Gi}(\nu_{e},\nu_{i}) = \nu_{i} K_{i} \tau_{i} Q_{i}$ $\sigma_{Gi}(\nu_{e},\nu_{i}) = \sqrt{\frac{\nu_{i} K_{i} \tau_{i}}{2}} Q_{i}$ $\mu_{V}(\nu_{e},\nu_{i}) = \frac{\mu_{Ge} E_{e} + \mu_{Gi} E_{i} + g_{L} E_{L}}{\mu_{G}}$ $\sigma_{V}(\nu_{e},\nu_{i}) = \sqrt{\frac{\sum_{s} K_{s} \nu_{s} \frac{(U_{s} \cdot \tau_{s})^{2}}{2(\tau_{m}^{\text{eff}} + \tau_{s})}}$ $\tau_{V}(\nu_{e},\nu_{i}) = \left(\frac{\sum_{s} (K_{s} \nu_{s} (U_{s} \cdot \tau_{s})^{2})}{\sum_{s} (K_{s} \nu_{s} (U_{s} \cdot \tau_{s})^{2}/(\tau_{m}^{\text{eff}} + \tau_{s}))}\right)$

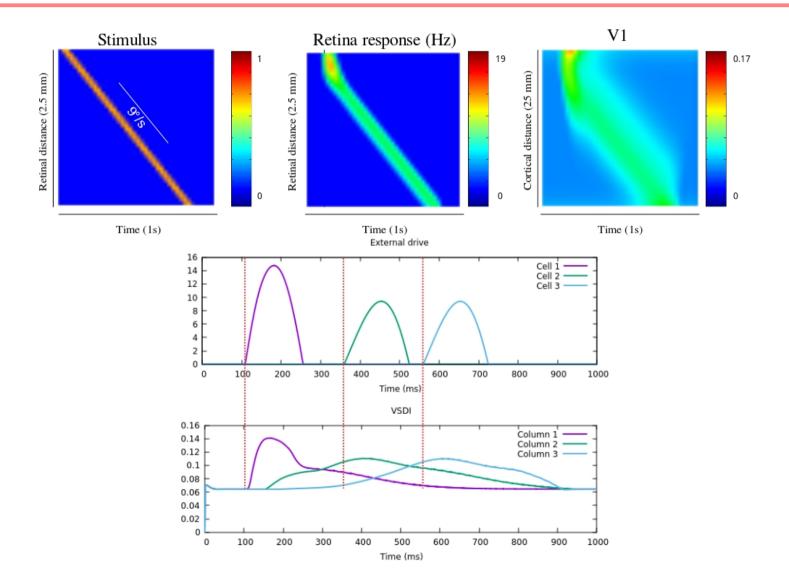
Finally, the transfer function reads :

$$\nu_{out} = \mathcal{F}(\nu_e, \nu_i) = \frac{1}{2 \tau_V} \cdot Erfc(\frac{V_{thre}^{eff} - \mu_V}{\sqrt{2} \sigma_V})$$

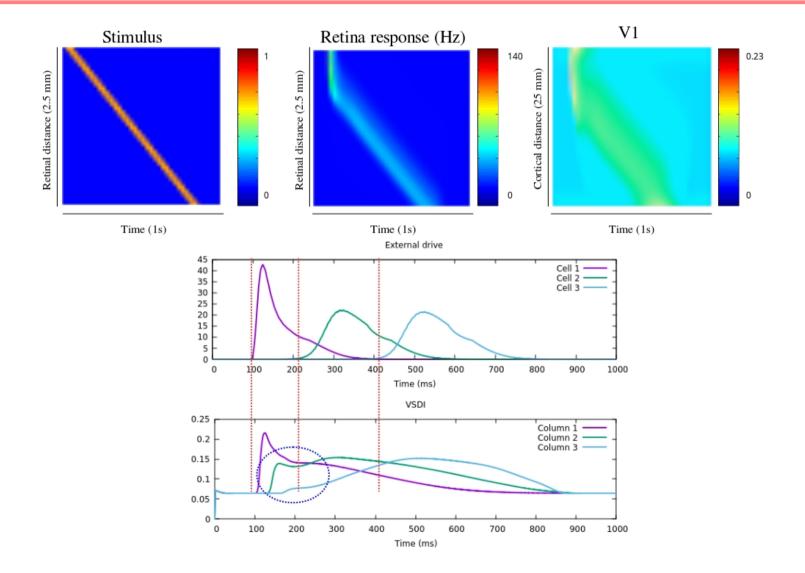




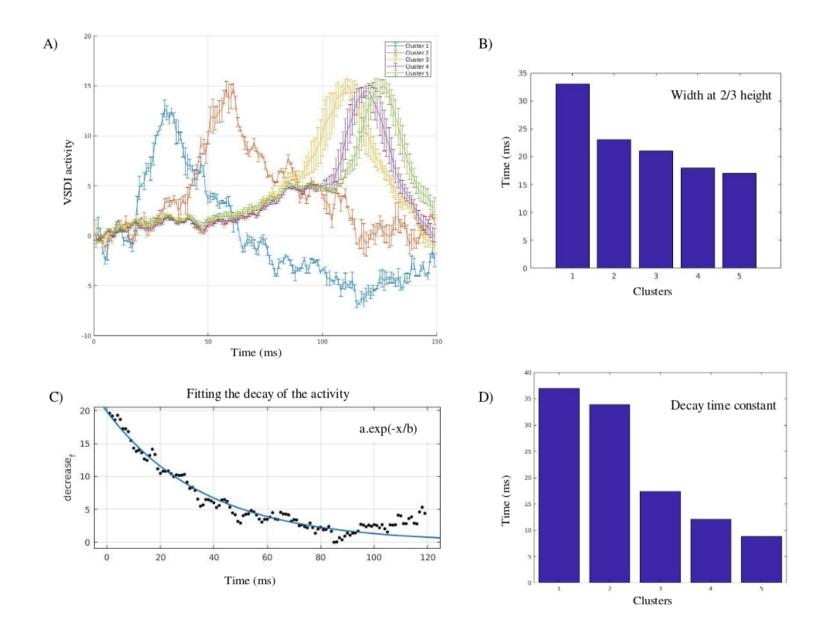
Response of the cortical model to a LN retina drive



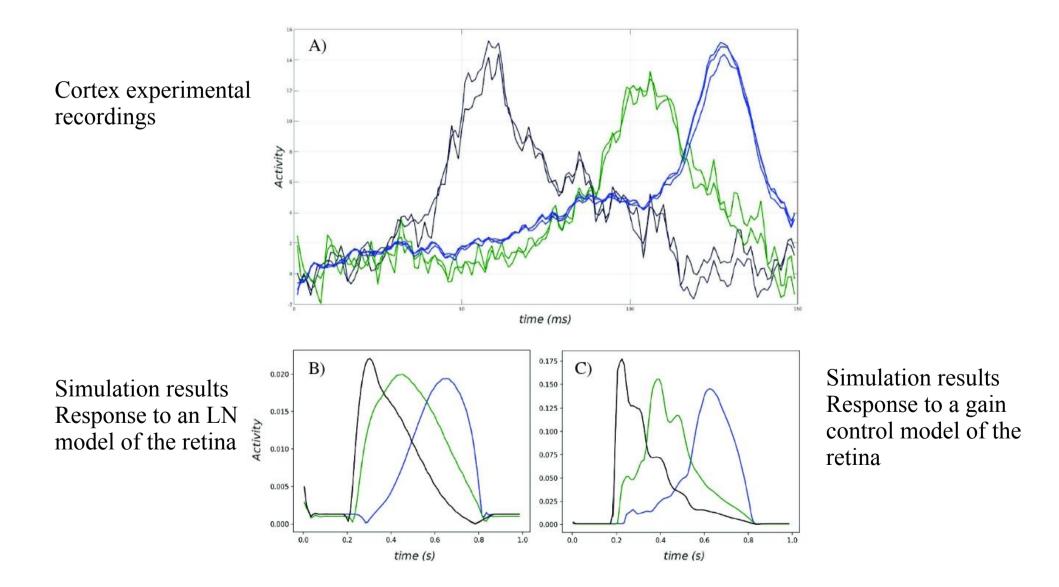
Response of the cortical model to a retina drive with gain control



Anticipation in the cortex : VSDI data analysis (Data courtesy of F. Chavane et S. Chemla)



Comparing simulation results to VSDI recordings



Conclusions

- We developped a 2D retina with three ganglion cell layers, implementing gain control and connectivity.
- We use the output of our model as an input to a mean field model of V1, and were able to reproduce anticipation as observed in VSDI

Conclusions

- How to improve object identification
 - 1) exploring the model's parameters and
 - 2) using connectivity ?
- Is our model able to anticipate more complex trajectories, with accelerations for instance ?
- How to calibrate connectivity using biology ?
- How does anticipation affect higher order correlations ?
- Would it be possible to design psycho-physical tests clearly showing the role of the retina in visual anticipation ?

Thank you for your attention !