Retinal waves: experiments and theory

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The structure of the <u>adult</u> <u>retina</u>





Visual cortex

The structure of the <u>adult</u> retina

Light



Visual cortex





But How?







<u>Spontaneous</u> spatio-temporal waves during development Disappear short after birth when vision is functional

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(Maccione et al. 2014)

MEA recording of the voltage from a P11 mouse retina in the presence of $10 \ \mu M$ bicuculline.



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Cellular mechanisms of SACs bursting

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Zheng et al. 2006

Cellular mechanisms of SACs bursting



C. Synchrony through Acetylcholine

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Mutual excitatory connections between SACs through Acetylcholine

$$C_{m} \frac{dV_{i}}{dt} = -g_{L}(V_{i} - V_{L}) - g_{C}M_{\infty}(V_{i})(V_{i} - V_{C}) - g_{K}N_{i}(V_{i} - V_{K}) -G_{sAHP}(R_{i})(V_{i} - V_{K}) - G_{A}(\{A_{k}\}_{k\in\mathcal{B}_{i}})(V_{i} - V_{A})$$

$$\tau_{N} \frac{dN_{i}}{dt} = \Lambda(V_{i})(N_{\infty}(V_{i}) - N_{i}) \tau_{C} \frac{dC_{i}}{dt} = -\frac{\alpha_{C}}{H_{X}}C_{i} + C_{0} - \delta_{C}g_{C}M_{\infty}(V_{i})(V_{i} - V_{C}) \tau_{S} \frac{dS_{i}}{dt} = \alpha_{S}(1 - S_{i})C_{i}^{4} - S_{i} \tau_{R} \frac{dR_{i}}{dt} = \alpha_{R}S_{i}(1 - R_{i}) - R_{i} \frac{dA_{i}}{dt} = -\mu A_{i} + \beta_{A}T_{A}(V_{i}),$$

N neurons, 6 N equations

$$C_{m} \frac{dV_{i}}{dt} = -g_{L}(V_{i} - V_{L}) - g_{C}M_{\infty}(V_{i})(V_{i} - V_{C}) - g_{K}N_{i}(V_{i} - V_{K}) - G_{sA}\pi_{t}^{2}20^{2}$$
parameters per neuron) $(V_{i} - V_{A})$

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parameters per neuron) $(V_{i} - V_{A})$
Tuned to match experimental records.

$$\tau_{N} \frac{dN_{i}}{dt} = \Lambda(V_{i})(N_{\infty}(V_{i}) - N_{i})$$

$$\tau_{C} \frac{dC_{i}}{dt} = -\frac{\alpha_{C}}{H_{X}}C_{i} + \frac{C_{0}}{C_{0}} - \frac{\delta_{C}}{S}g_{C}M_{\infty}(V_{i})(V_{i} - V_{C})$$
Time scale separation

$$\tau_{S} \frac{dS_{i}}{dt} = \alpha_{c}(1 - S_{i})C^{4} - S_{i}$$
Fast $V, N. \tau_{L} = 11$ ms, $\tau_{N} = 5$ ms.

$$\tau_{R} \frac{dR_{i}}{dt} = Medium C, A. \tau_{C} = 2 \text{ s}, \tau_{A} = 1.86 \text{ s}.$$

$$\frac{dA_{i}}{dt} = Slow S, R. \tau_{R} = \tau_{S} = 44 \text{ s}.$$

$$C_{m} \frac{dV_{i}}{dt} = -g_{L}(V_{i} - V_{L}) - g_{C}M_{\infty}(V_{i})(V_{i} - V_{C}) - g_{K}N_{i}(V_{i} - V_{K}) -G_{sAHP}(R_{i})(V_{i} - V_{K}) - G_{A}(\{A_{k}\}_{k\in\mathcal{B}_{i}})(V_{i} - V_{A})$$

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$$\tau_N \frac{dN_i}{dt} = \Lambda(V_i)(N_{\infty}(V_i) - N_i)$$

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$$I(R_{i}, A_{j})$$
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 $\frac{dA_i}{dt} = -\mu A_i + \beta_A T_A(V_i),$














Bifurcation diagram of the fast subsystem (V,N) What do we learn about SACs?

I. The SACs repertoire of dynamics upon a varying current



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Bifurcation diagram of the fast subsystem (V,N)

What do we learn about SACs?

I. The SACs repertoire of dynamics upon a varying current











How do SACs lose their excitability?



Potassium channels (potentially Kv3) are modelled by 3 parameters gK, V3, V4

*TEA blocks Kv3 channels



80 -60 -40

-20 V 20

40

0



Predict the role of Kv3 channels in the loss of SACs excitability



How do SACs lose their excitability?

Hypothesis: The expression of the potassium Kv3 channels increases upon maturation possibly leading to the loss of SACs excitability

Preliminary experimental exploration



(O.Marre-E. Orendorff)

Localization of Kv3.1b in adult and P7 retinas.

(A-C) Adult retina section showing Kv3.1b (green) and choline acetyltransferase (ChAT, red) reactivity in starburst amacrine cells. Cell nuclei stain (DAPI, blue).

(D-F) P7 retina section showing little colocalization of Kv3.1b with ChAT in starburst amacrine cells.

However, results are preliminary as experiment is not yet conclusive









Isolated Neurons



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Isolated Neurons







-0.064

-0.068

Isolated Neurons









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gach=0.102 nS



gach=0.126 nS



gach=0.21 nS



20-

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Distance Pairwise Correlations











Analytical results

- 1. There is a **critical** transition for the Acetylcholine conductance, given by the bifurcation analysis, where **waves start to appear**.
- 2. A wave propagates in the sAHP profile left by previous waves (**random landscape**)
- Waves cannot cross each others => characteristic length, exponential distribution.
- 4. There is a critical point where waves are **power law** distributed.





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Hennig et al. 2009

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Hennig et al. 2009



Experimentally varying Ach conductance (Data D. Karvouniari + Institut de la Vision)






iii) Pharmacology

Normal Isolated SAC bursts at P4

SACs are bursting because they are close to a **bifurcation point**.

P8

P4

Pharmacology / development modify physiological parameters inducing the bifurcations

me (se



iii) Pharmacology

Normal Isolated SAC bursts at P4

P4
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P8
Pharmacology / development modify physiological parameters inducing the bifurcations

Zheng et al. 2006

34

i) Across species



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me (s

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iv) Spatial Variability



Maccione et al. 2014

Waves have variable shapes due to a refractory mechanism which controls their borders. It is called sAHP (slow AfterHyper Polarization) for stage II.

i) Across species



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iv) Spatial Variability

Waves have variable

Non linear dynamics and initial conditions induce a wave propagation in a random, history dependent landscape inducing a strong variability in wave duration or size. Hyper Polarization)

The distribution is, in general, exponential.

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ii) Development

During development, following a genetic program, acetylcholine synapses evolve. This induces a strong variation in the non linear dynamics of waves and in their distribution.

iii) Pharmacology

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Thanks