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A SPARQL Query Transformation Rule Language — Application to Retrieval and Adaptation in Case-Based Reasoning

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Abstract. This paper presents SQTRL, a language for transformation rules for SPARQL queries, a tool associated with it, and how it can be applied to retrieval and adaptation in case-based reasoning (CBR). Three applications of SQTRL are presented in the domains of cooking and digital humanities. For a CBR system using RDFS for representing cases and domain knowledge, and SPARQL for its query language, case retrieval with SQTRL consists in a minimal modification of the query so that it matches at least a source case. Adaptation based on the modification of an RDFS base can also be handled with the help of this tool. SQTRL and its tool can therefore be used for several goals related to CBR systems based on the semantic web standards RDFS and SPARQL.

Keywords: RDFS, SPARQL, query transformation, retrieval, adaptation, application

1 Introduction

This paper presents a language and a tool that have proven to be useful for addressing three application problems related to the issues of retrieval and adaptation in case-based reasoning (CBR [19]), when the underlying representation language is the semantic web standard RDFS [3].

CBR aims at solving problems by reusing previously solved problems. It is often considered to be a methodology [21]. Indeed, its principles are independent from a knowledge representation language. The upside of this is that it covers a huge family of problem-solving issues, in many application domains. The downside of it is that the application of CBR to a particular domain, with a given representation language, often requires to reimplement most of the CBR steps. However, many studies have been carried out to fill the gap between general principles and particular applications. Some general CBR shells, like JColibri [18] have been implemented and distributed. Furthermore, some tools have been implemented for particular types of problems (e.g., case-based planning [9]) and/or particular types of formalisms (e.g., workflows [15]).

This paper presents a formalism and a tool of general use for the development of CBR systems based on the representation language RDFS, thus it contributes to filling the theory-application gap in CBR. RDFS can be seen as a language combining attribute-value pairs and the use of hierarchies, two features commonly used in CBR systems [13]. The standard query language of RDFS is SPARQL. The language presented in this work is named SQTRL and is a language of rules to transform queries written in SPARQL.

This paper is organized as follows. Section 2 presents preliminaries on RDFS and SPARQL. Then, three application problems that have motivated this work are presented in Section 3. Section 4 presents SQTRL and a tool to manage rules of this language. A discussion pointing out some related work is given in Section 5. Section 6 concludes and highlights some future work.

2 Preliminaries: RDFS and SPARQL

RDFS (for RDF Schema [3]) is a knowlege representation formalism based on RDF, a resource description framework defined on several syntaxes. In RDF, a resource is either an identified resource or a variable (also called blank node or anonymous resource) that is represented in this paper by an identifier starting with the '?' character (e.g. ?x) and can be interpreted as an existentially quantified variable. Some resources are properties; they are intended to represent binary relations. A literal is a value of a simple datatype (e.g., an integer, a string, etc.). An RDF base is a set of triples $\langle s \ p \ o \rangle$, where s—the subject of the triple—is a resource, p—the predicate—is a property, and o—the object—is either a resource or a literal. For example $\mathcal{B} = \{\langle \text{tarteTatin ing } ?x \rangle$, $\langle ?x \ \text{type Apple} \rangle \}$ means that the tarte Tatin has an ingredient of type apple.

Some RDF resources constitute the so-called RDFS vocabulary. For the sake of simplicity, only three such resources are considered in this paper: rdf:type (abbreviated in type), rdfs:subClassOf (abbreviated in subc), and rdfs:subPropertyOf (abbreviated in subp). These resources are properties and have the following meaning

$$\langle a \text{ type } C \rangle \text{ means that } a^{\mathcal{I}} \in C^{\mathcal{I}} \qquad \langle C \text{ subc } D \rangle \text{ means that } C^{\mathcal{I}} \subseteq D^{\mathcal{I}}$$

$$\langle p \text{ subp } q \rangle \text{ means that } p^{\mathcal{I}} \subseteq q^{\mathcal{I}} \text{ i.e., if } (x,y) \in p^{\mathcal{I}} \text{ then } (x,y) \in q^{\mathcal{I}}$$

where $a^{\mathcal{I}}$ is an object represented by $a, C^{\mathcal{I}}$ and $D^{\mathcal{I}}$ are sets represented by the classes C and D, and $p^{\mathcal{I}}$ and $q^{\mathcal{I}}$ are relations represented by properties p and q. For example, $\langle \mathtt{tarteTatin}$ type DessertRecipe \rangle means that the tarte Tatin is a dessert, $\langle \mathtt{Apple}$ subc Fruit \rangle means that an apple is a fruit, and $\langle \mathtt{mainIng}$ subp ing \rangle means that the main ingredient of a recipe is an ingredient of this recipe. The inference rules $\frac{\langle a \text{ type } C \rangle \ \langle C \text{ subc } D \rangle}{\langle a \text{ type } D \rangle}, \frac{\langle C \text{ subc } D \rangle \ \langle D \text{ subc } E \rangle}{\langle C \text{ subc } E \rangle},$ $\frac{\langle p \text{ subp } q \rangle \ \langle q \text{ subp } r \rangle}{\langle p \text{ subp } q \rangle} \text{ and } \frac{\langle a p b \rangle \ \langle p \text{ subp } q \rangle}{\langle a q b \rangle} \text{ are used to define the inference relation } \vdash. \text{ In this paper, every RDFS base } \mathcal{B} \text{ is considered up to entailment, meaning that if } \mathcal{B} \vdash \tau, \text{ then the triple } \tau \text{ is considered as an element of } \mathcal{B}.$

Fig. 1. Example of SPARQL query.

To access an RDFS base, a SPARQL query is used. Figure 1 shows such a query. More generally, a SPARQL query $\mathbb Q$ is constituted by a "SELECT line" stating the variable(s) to be unified and a SPARQL body following the keyword WHERE, denoted by body($\mathbb Q$) in this paper. The SPARQL body is a sequence of triples and FILTER assertions separated by dots which mean "and". Given an RDFS base $\mathcal B$ and a SPARQL query $\mathbb Q$, the execution of $\mathbb Q$ on $\mathcal B$ gives a set of bindings of the variables of $\mathbb Q$'s SELECT line corresponding to matchings of the $\mathbb Q$'s body with $\mathcal B$. This set is denoted by $\mathsf{exec}_{\vdash}(\mathbb Q,\mathcal B)$. For example, if $\mathbb Q$ is the query of Figure 1, if $\mathcal B$ contains the recipe description of the tarte Tatin (containing apples and with a preparation time of 65 minutes) and a cooking ontology stating that $\mathcal B \vdash \langle \mathsf{Apple} \; \mathsf{subc} \; \mathsf{Fruit} \rangle$, then $\mathsf{exec}_{\vdash}(\mathbb Q,\mathcal B)$ contains the binding pair (?r, tarteTatin). 3

Remark about the notation. An RDFS triple, such as $\langle ?x \text{ type Fruit} \rangle$ appears with a slightly different syntax as an assertion of a SPARQL query body. However, in this paper, we will use the two notations interchangeably. Of course, this involves the use of translation procedures in the code.

3 Three application problems

3.1 Recipe retrieval in the CBR system TAAABLE

TAAABLE [7] is a CBR system that was originally developed as a contestant of the CCC (the computer cooking contest, organized within most ICCBR conferences since 2008). A contestant of the CCC aims at answering cooking queries such as

```
Q = "I want a dessert recipe with pears and butter but without cinnamon." (1)
```

For this purpose, it reuses a recipe base provided by the contest. To this end, TAAABLE first searches for a recipe from the base that exactly matches \mathcal{Q} . If no such recipe exists, TAAABLE minimally modifies \mathcal{Q} into \mathcal{Q}' so that there exists at least one recipe exactly matching \mathcal{Q}' . For example, if $\mathcal{Q}' = \sigma(\mathcal{Q})$ with $\sigma = \text{pear} \leadsto \text{fruit} \circ \text{butter} \leadsto \text{margarine}$ (i.e., σ is the substitution of pear by fruit and of butter by margarine), an apple crumble with margarine and without cinnamon can be selected in the recipe

³ This presentation of RDFS and SPARQL is simplified to fit the needs of this paper. : needed many features are not considered here, but they are not used in this paper.

base (because the piece of knowledge "apples are fruit" is in the TAAABLE domain ontology), and then adapted to answer $\mathcal Q$ by substituting apples with pears and margarine with butter. Other adaptation issues (of ingredient quantity and of the preparation) are also studied in TAAABLE but not considered here.

A semantic wiki called WIKITAAABLE [8] (wikitaaable.loria.fr) has been developed in order to manage the TAAABLE knowledge base which contains its domain ontology (hierarchies of ingredients, etc.) and the recipe base. WIKITAAABLE is implemented thanks to the semantic wiki engine SMW (www.semantic-mediawiki.org) that comes with an RDFS export, hence the idea of using RDFS techniques and tools for TAAABLE. This idea has led to TUUURBINE, a CBR retrieval engine using SPARQL [11]. More precisely, a TUUURBINE query combines SPARQL queries. For example, the query $\mathcal Q$ of equation (1) is based on the following SPARQL queries:

```
SELECT ?r
WHERE {?r
            type DessertRecipe
                                   Pear
                 ?x
                         ?x
                             type
                         ?у
                             type
                                   Butter }
SELECT ?r
                 ?x
           ing
                         ?x
                            type
                                  Cinnamon }
```

The recipes matching $\mathcal Q$ are in the set $\mathsf{exec}_{\vdash}(\mathbb Q_+,\mathcal B)\setminus \mathsf{exec}_{\vdash}(\mathbb Q_-,\mathcal B)$ where $\mathcal B$ is the base exported from WIKITAAABLE: this gives the recipes matching $\mathbb Q_+$ and not $\mathbb Q_-$. $\mathcal B$ contains the recipe and the ontology. This latter contains the fact that apples and pears are fruits: $\mathcal B \vdash \{\langle \mathsf{Apple subc Fruit} \rangle, \langle \mathsf{Pear subc Fruit} \rangle\}$. The modification of $\mathcal Q$ into $\mathcal Q'$ consists in a modification of $\mathbb Q_+$ into $\mathbb Q'_+$ (keeping $\mathbb Q_-$ unchanged, i.e., $\mathbb Q'_- = \mathbb Q_-$):

```
\mathbb{Q}'_{+} = \begin{bmatrix} \text{SELECT?r} \\ \text{WHERE \{?r type DessertRecipe} \\ ?r ing ?x . ?x type Fruit . \\ ?r ing ?y . ?y type Margarine \} \end{bmatrix}
```

Therefore, a first module for transforming SPARQL queries has been developed for TUUURBINE. This module, though it has a general purpose, remained limited and proved to be insufficient for the application described hereafter.

3.2 Approximate search in the corpus of Henri Poincaré letters

The famous mathematician Henri Poincaré has had a long correspondence with many people, including scientists of his time. The letters he has written and received are gathered in the "HP papers corpus" (henripoincarepapers.univ-lorraine.fr), which has been scanned and indexed. Currently, this index is being migrated into RDFS annotations. For example, the following triples concern the letter number 12 that has been sent by H. Poincaré to David Hilbert and that is about hyperbolic geometry:

The RDFS base \mathcal{B} of the H. Poincaré corpus contains such annotations about letters as well as information about some persons and organizations (e.g., $\mathcal{B} \vdash \langle \mathtt{dHilbert} \ \mathtt{type} \ \mathtt{Mathematician} \rangle$), and an ontology related to the domain (e.g., $\mathcal{B} \vdash \langle \mathtt{Mathematician} \ \mathtt{subc} \ \mathtt{Scientist} \rangle$).

Therefore, the letters of this corpus sent to a geometer before 1895 are in $exec_{\vdash}(Q, \mathcal{B})$

```
\label{eq:with Q} with \ \mathsf{Q} = \begin{bmatrix} \text{SELECT } ?\ell \\ \text{WHERE } \{?\ell \quad \text{isSentTo} \quad ?x \quad . \quad ?x \quad \text{type Geometer} \quad . \\ ?\ell \quad \text{dateOfExpedition} \quad ?d \quad . \\ \text{FILTER } (?d < `01/01/1895') \} \end{bmatrix}
```

Now, it happens that an exact search is not always sufficient. Such situations are described in [4]. Two examples are given below.

 $exec_{\vdash}(Q, \mathcal{B}) = \emptyset$, that does not mean that no letters has been written by H. Poincaré to Gösta Mittag-Leffler. It could mean that such a letter has been written but was lost.

```
Now, consider the query Q' = \begin{bmatrix} \text{SELECT } ? \ell \\ \text{WHERE } \{ ? \ell \text{ isSentTo hPoincaré } . \\ ? \ell \text{ isSentBy gMittagLeffler} \} \end{bmatrix}. Q' is
```

obtained by exchanging sender and recipient in Q. The query transformation $Q \mapsto Q'$ is relevant for historians since, when searching a letter from H. Poincaré to G. Mittag-Leffler, accessing the letters from the latter to the former can be useful, because such a letter can be a response to a letter that has disappeared.

Now, consider the query for letters sent by D. Hilbert at "the end of the XIX th century". This period of time is imprecisely specified, so an interval of time is chosen to model it, e.g., [1890, 1900], hence the query

```
Q = \begin{cases} \text{SELECT } ?\ell \\ \text{WHERE } \{?\ell \text{ isSentBy dHilbert } . ?\ell \text{ dateOfExpedition } ?d \text{ .} \\ \text{FILTER } (?d >= `01/01/1890') \text{ . } \text{FILTER } (?d <= `31/12/1900') \} \end{cases}
```

Now, a letter of David Hilbert of 1887 or even 1902 would be an acceptable answer to the informal query, whereas it does not answer the formal query Q. Hence the usefulness of transformations $Q \mapsto Q'$ and $Q \mapsto Q''$ corresponding to the enlargement of the interval of time to [1885, 1900] and [1890, 1905], respectively. Q' (resp., Q'') is obtained by substituting '01/01/1890' (resp., '31/12/1900') with '01/01/1885' (resp., '31/12/1905') in Q.

Other examples have been considered. Some of them consist in generalizing classes in the query (as for the Pear to Fruit example in Section 3.1). Another one consists in replacing a person by another one that is close in a relationship network.

From this study and the previous one has emerged the need to develop a generic tool for managing SPARQL query transformations. A rule language for this purpose—SQTRL—has been developed as well as a system for managing such rules (this is detailed in Section 4). The principle of approximate search in the H. Poincaré letters using SQTRL rules is the one of a search in a state space where a state is a SPARQL

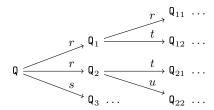


Fig. 2. A SPARQL query state space. Q is the initial query. r, s, t and u are SQTRL rules.

query, the initial state is the initial query, and transitions correspond to rule applications, as illustrated in Figure 2. Such a space is searched by increasing "transformation costs" using e.g., dynamic programming. These costs are associated to rules and are assumed to be additive. For example, the transformation from \mathbb{Q} to \mathbb{Q}_{21} in Figure 2 is $\mathsf{cost}(r) + \mathsf{cost}(t)$. This principle is also applied for retrieval in TAAABLE.

3.3 Cocktail name adaptation in the CBR system TAAABLE

TAAABLE has been applied for cocktail recipes for the CCCs of 2014 and 2015. For example, given the query Q= "I want a cocktail with schnapps and hot chocolate", TUUURBINE, the retrieval engine of TAAABLE, finds a recipe R named "Irish coffee" and the adaptation consists in applying the substitution $\sigma=$ whisky \leadsto schnapps \circ coffee \leadsto hotChocolate on the ingredients of R. The adapted recipe is denoted by $\sigma(R)$. The cocktail name adaptation problem is how to name the adapted cocktail recipe $\sigma(R)$, given the name of R (the string "Irish coffee") and the substitution σ . This issue has been addressed in [12]. It is based on an RDFS base β_R associated with the recipe R and giving a (partial or complete) explanation of its name. In the example:

```
\beta_R = \{\langle \texttt{coffee englishName "coffee"} \rangle, \langle ?\texttt{nameR superStringOf "coffee"} \rangle, \\ \langle \texttt{whisky hasOrigin ireland} \rangle, \langle \texttt{ireland hasEnglishAdjective "Irish"} \rangle, \\ \langle ?\texttt{nameR superStringOf "Irish"} \rangle\}
```

where coffee and whisky are some R ingredient types and ?nameR is the variable that is associated with the recipe name. Let $\beta_{\sigma(R)}$ be the RDFS base obtained by applying the substitution σ on β_R :

```
\beta_{\sigma(R)} = \{\langle \texttt{hotChocolate englishName "coffee"} \rangle, \langle ?\texttt{nameR superStringOf "coffee"} \rangle, \\ \langle \texttt{schnapps hasOrigin ireland} \rangle, \langle \texttt{ireland hasEnglishAdjective "Irish"} \rangle, \\ \langle ?\texttt{nameR superStringOf "Irish"} \rangle \}
```

 $\beta_{\sigma(R)}$ does not match the domain knowledge in the sense that $exec_{\vdash}(\mathbb{Q}_{\sigma(R)},\mathcal{B})=\emptyset$, with

```
\mathbb{Q}_{\sigma(R)} = \begin{cases} \text{SELECT ?anyVariable} \\ \text{WHERE } \{ \text{hotChocolate englishName "coffee" .} \\ \text{schnapps hasOrigin ireland .} \\ \text{ireland hasEnglishAdjective "Irish"} \} \end{cases}
```

(?anyVariable being a variable that is used only for syntax purpose). The transformation here consists in substituting identified resources or literals with variables, knowing that the resources occurring in $\sigma(R)$ (i.e., hotChocolate and schnapps). In the example, the substitutions "coffee" \rightarrow ?x, ireland \rightarrow ?y and "Irish" \rightarrow ?z can be done (among others: one could have also substituted a property by a variable). A final state of this search is a query \mathbb{Q}_{gen} such that $\text{exec}_{\vdash}(\mathbb{Q}_{\text{gen}}, \mathcal{B}) \neq \emptyset$, for example:

```
\mathbb{Q}_{\tt gen} = \begin{bmatrix} \tt SELECT~?anyVariable \\ \tt WHERE~\{hotChocolate~englishName~?x~.\\ \tt schnapps~hasOrigin~?y~.\\ \tt ?y~hasEnglishAdjective~?z\,\} \end{bmatrix}
```

Here, it is assumed that the execution of this query gives exactly one binding:

```
\texttt{exec}_{\vdash}(\mathbb{Q}_{\texttt{gen}},\mathcal{B}) = \{\{?\texttt{x}, \texttt{"hot chocolate"}\}, \{(?\texttt{y}, \texttt{germany}\}, \{(?\texttt{z}, \texttt{"German"})\}\}
```

Composing the generalizations done from $\beta_{\sigma(R)}$ to β_{gen} and this binding, it comes the substitutions $\sigma_1 = \text{"coffee"} \leadsto \text{"hot chocolate"}$ and $\sigma_2 = \text{"Irish"} \leadsto \text{"German"}$. Since the literals "coffee" and "hot chocolate" are linked in β_R with ?nameR, the adaptation consists in applying these substitutions, hence the proposed name of the adapted recipe:

```
\sigma_1(\sigma_2("\mathtt{Irish\ coffee"})) = "\mathtt{German\ hot\ chocolate"}
```

4 SQTRL: a language for SPARQL query transformation rules

The language SQTRL presented below has emerged from the need to transform SPARQL queries as presented above. After the presentation of this language, examples of SQTRL rules that cover the examples of Section 3 are given. Finally, the system that manages these rules is briefly described.

4.1 SQTRL: syntax and application of the rules

A SQTRL rule is defined in an XML syntax as follows (the texts in italics have to be substituted by the appropriate strings):

If r is such a rule, the contents in the fields with tags <context>, <left>, <right> and <cost> are denoted by context(r), left(r), right(r) and cost(r).

For example, the following rule substitutes a class C by a class D provided that C occurs as an object in a triple of the query \mathbb{Q} body and that C is a subclass of D:

```
Thus, \operatorname{context}(r) = \boxed{?\texttt{C subc ?D}}, \operatorname{left}(r) = \boxed{?\texttt{x ?p ?C}}, \operatorname{right}(r) = \boxed{?\texttt{x ?p ?D}} and \operatorname{cost}(r) = 1.
```

Let Q be a SPARQL query and $\mathcal B$ be an RDFS base representing relevant domain

```
knowledge. For the example, \mathbb{Q} = \begin{bmatrix} \text{SELECT ?r} \\ \text{WHERE {?r type TartDishRecipe}} \\ \text{?r ing ?i . ?i type Pear} \end{bmatrix}
```

and $\mathcal B$ such that $\mathcal B \vdash \{\langle \mathtt{Pear\ subc\ Fruit} \rangle, \langle \mathtt{TartDish\ subc\ DishWithPastry} \rangle\}$. Let r be a SQTRL rule, for the example, it is the rule defined in equation (2). The application of r to $\mathbb Q$ given $\mathcal B$ is the set $\mathtt{apply}(r,\mathbb Q,\mathcal B)$ of the queries $\mathbb Q'$ obtained by transforming $\mathbb Q$ using rule r, knowing $\mathcal B$. If $\mathtt{apply}(r,\mathbb Q,\mathcal B) = \emptyset$, the rule r is said to be non applicable on $\mathbb Q$ given $\mathcal B$.

Figure 3 presents the algorithm for computing $\operatorname{apply}(r, \mathbb{Q}, \mathcal{B})$ and illustrates the algorithm with the example values r, \mathbb{Q} and \mathcal{B} given above.

Note about the computing time. Applying an SQTRL rule amounts mainly to execute a few SPARQL queries. Now, executing a SPARQL query amounts mainly is finding subgraph isomorphisms (between the body of the query to the graph representing the RDFS base), which is known to be an NP-complete problem. However, one must keep in mind that the size of the parameter to be taken into account is mainly the size of the query, which, for rule application, corresponds to the size of the context and of the left part of the rule. Thus, unless the rule is huge—a situation that has not occurred in our applications—the application of a rule is very quick, especially thanks to the use of an efficient SPARQL execution tool. So, our intuition is that the application of SQTRL rules is fast in practice though an accurate complexity estimation as well as some experiments remain to be done.

The same argument can be given for case retrieval and case adaptation: though they are based on search in a state space, if the size of the initial query is reasonable, then the search in this space does not take too much time in practice, and that is what we have experimented with TAAABLE. If the closest case is very dissimilar to the query, this involves a result that is likely to be of poor quality: for example, if the user queries TAAABLE for a vegetarian recipe with pastry and pineapple and the only recipe in the case base is for beef Stroganov, then it is unlikely that the users will be satisfied with the adaptation query (despite the adaptation capabilities of TAAABLE). For this

```
function apply(r : SQTRL \ rule, Q : SPARQL \ query, \mathcal{B} : RDFS \ base)
                      	riangleright Initialize \ {\tt producedQueries}, \ the \ output \ of \ the \ algorithm
                      \texttt{producedQueries} \leftarrow \emptyset
                      \triangleright Unification of the context of r with \mathcal{B}
                                                                                            SELECT \mathcal{V}(\mathtt{context}(r))
WHERE \{\mathtt{context}(r)\}
                     for binding \in ctxtToBase do
                                  boundLeft \leftarrow application of binding to left(r)
                                   boundRight \leftarrow application of binding to right(r)
                                 \triangleright Unification of the bound left part of r to the body of \mathbb{Q}
                                 \texttt{leftToQuery} \leftarrow \texttt{exec}_{\vdash} \left( \left| \begin{array}{c} \texttt{SELECIPATE} \\ \texttt{WHERE} \ \{\texttt{boundLeft}\} \end{array} \right. \right.
                                                                                                        SELECT \mathcal{V}(\mathtt{boundLeft})
                                 for binding ' \in leftToQuery do
                                            boundLeft' \leftarrow application of binding' to boundLeft
                                             boundRight' \leftarrow application of binding' to boundRight
                                            Q' \leftarrow \text{copy of } Q
                                            Remove the triples of boundLeft' from the body of Q'
                                            Add the triples of boundRight' to the body of Q'
                                           producedQueries \leftarrow producedQueries \cup \{Q'\}
                                 end
                      end
                      return producedQueries
           end
 \textcircled{1} \  \, \texttt{ctxtToBase} \  \, = \  \, \texttt{exec}_{\vdash} \left( \left| \begin{array}{c} \texttt{SLLLC1.3.12} \\ \texttt{WHERE} \  \, \{ \texttt{?C} \quad \texttt{subc} \quad \texttt{?D} \} \end{array} \right. \right. \right. 
                                                                                                                                                                                       \{\mathtt{binding}_1,\mathtt{binding}_2\}
            with binding_1 = \{(?C, Pear), (?D, Fruit)\}
            \text{ and } \texttt{binding}_2 = \{(\texttt{?C}, \texttt{TartDishRecipe}), (\texttt{?D}, \texttt{DishWithPastryRecipe})\}.
            The following of the explanation is with binding = binding_1.
② Since left(r) = ?x ?p ?C, boundLeft = ?x ?p Pear
 3 Since right(r) = | ?x ?p ?D |, boundRight = | ?x ?p Fruit
\textcircled{4} leftToQuery = exec_{\( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \(
                                                                                                                                                                                               which gives the set
            \{\texttt{binding'}\}\ (\texttt{only one binding in this example})\ with\ \texttt{binding'}=\{(\texttt{?x},\texttt{?i}),(\texttt{?p},\texttt{type})\}.
  boundLeft' = ?i type Pear
\textcircled{6} boundRight' = ?i type Fruit
                          SELECT ?r
WHERE {?r type TartDishRecipe
                                                  ?r ing ?i . ?i type Fruit}
```

Fig. 3. The SQTRL rule application: the algorithm and an example $(\mathcal{V}(s))$ denotes the set of variables occurring in a sequence s of RDFS triples).

reason, a timeout interruption is used: after a too long computing time for retrieval, it is considered that the adaptation procedure will not be able to make enough modifications to achieve a satisfying result.

4.2 Examples of SQTRL rules

This section presents some SQTRL rules that cover the examples presented in Section 3.

Generalization rules. Let \mathbb{Q}_1 and \mathbb{Q}_2 be two SPARQL queries with the same SELECT line. \mathbb{Q}_1 is said to be less general than \mathbb{Q}_2 —denoted by $\mathbb{Q}_1 \sqsubseteq \mathbb{Q}_2$ —if for every RDFS base \mathcal{B} , $\mathrm{exec}_{\vdash}(\mathbb{Q}_1,\mathcal{B}) \subseteq \mathrm{exec}_{\vdash}(\mathbb{Q}_2,\mathcal{B})$. A generalization rule is a rule r such that for every SPARQL query \mathbb{Q} , every RDFS base \mathcal{B} and every $\mathbb{Q}' \in \mathrm{apply}(r,\mathbb{Q},\mathcal{B})$, $\mathbb{Q} \sqsubseteq \mathbb{Q}'$. The rule r of equation (2) is such a rule, as way as the rule "Generalize a subject class" obtained by replacing $\mathrm{left}(r)$ by $\boxed{?C ?p ?x}$ and $\mathrm{right}(r)$ by $\boxed{?D ?p ?x}$. Similarly, the following rule is a rule that generalizes predicates:

A second way to generalize a query is by removing a triple:

It can be noted that removing a triple can "disconnect" variables that were previously connected by a path. For example, if

 $body(Q) = \begin{bmatrix} s & p & ?x & . & ?x & ?q & ?y & . & ?y & ?r & ?z \end{bmatrix}$ then the removal of $\begin{bmatrix} ?x & ?q & ?y \end{bmatrix}$ disconnects ?z from s. A variant of the above rule exists that prevent such situation.

A final type of generalization rules, that has been used in Section 3.3, consists in substituting a constant c (i.e., a resource or a literal) by a variable ?c:

Similar rules are defined for substituting a constant by a variable in predicate and object positions. Using such rules can be used to transform $\mathbb{Q}_{\sigma(R)}$ into \mathbb{Q}_{gen} (cf. Section 3.3).

These generalization rules can be qualified as application-independent as they can be used in various applications. By contrast, some other SQTRL rules are strongly related to applications.

Application-dependent rules. The generalized rules presented above cover some of the examples presented in Section 3 but not all of them. For example, in Section 3.1, it is said that, for a dessert recipe, butter can be replaced by margarine and vice-versa, which can be formalized thanks to two rules, the first one being

and the other one being a similar rule obtained by exchanging the terms Butter and Margarine in the first rule. This kind of rules can also be used as adaptation rules: given a dessert recipe R with butter and a query of a dessert recipe with margarine, the above rule can be applied to adapt R to answer the query. Thus, SQTRL can also be used as a language for adaptation rules. In a way, it could be said that retrieval adapts the query to fit at least one case from the case base that is then adapted to fit the query.

Another domain-dependent rule is the one exchanging sender and recipient in H. Poincaré letters, which can be formalized by:

Ontology files:

If you don't upload any files, the default files of the ontology of the Henri Poincaré's correspondence will be taken into account (click here to display these files). Files must be in turtle format (.ttl extension).

```
Select a file : Browse... No file selected.
                                            Upload It
Reset all files
Query:
                                              List of transformed queries:
                                              @prefix hp: <http://hpBase/>
@prefix hp: <http://hpBase/>
SELECT ?1 WHERE {
                                              SELECT ?1 WHERE {
                                              ?l rdf:type hp:Letter .
?l rdf:type hp:Letter .
                                              ?x foaf:givenName "Marie"
?x foaf:givenName "Marie" .
                                              ?x foaf:familyName "Bonaparte" .
?x foaf:familyName "Bonaparte"
                                              ?y foaf:givenName "Henri" .
?y foaf:givenName "Henri" .
                                              ?y foaf:familyName "Poincaré" .
?y foaf:familyName "Poincaré" .
                                              ?l hp:sentTo ?y .
?l hp:sentTo ?x .
                                              ?l hp:sentBy ?x .
?l hp:sentBy ?y .
                                              }
Transform query
```

Fig. 4. A screenshot of the SQTRL tool demo. The query on the left has been transformed in the list with only one query on the right, the applied rule being the one named "Exchange sender and recipient".

4.3 A tool for managing SQTRL rules

A tool has been developed to manage SQTRL rules with the following functionalities: creation, serialization and application of a rule. It uses the rule syntax presented above and the turtle syntax for RDFS base. It uses the RDFS and SPARQL management tool KGRAM [6] and is written in Java. It is freely accessible at http://tuuurbine.loria.fr/sqtrl/ (a site with the code and a user manual). A demo has been developed as illustrated by the screenshot of Figure 4.

5 Discussion and related work

Case retrieval based on minimal generalization of the query is not a new idea in CBR. For example, it was applied with SQL queries for a translation system based on CBR in the early 1990s [20]. It was also applied in a graph formalism for representing molecular structures a few years later [14]. TAAABLE has been using this principle since its first version, though the use of RDFS and SPARQL has only been developed since 2014. The originality of this work is that it presents a well-defined rule language for transforming queries and that it is based on RDFS and SPARQL that are semantic web standards that are getting more and more used and with which data and knowledge are represented and accessed freely within the Linked Open Data [2].

Case adaptation based on minimal modification of the source case is not a new idea either. Actually, when the modification is based on generalizations, it is related to generalization methods found in the early years of machine learning [10] and applied to CBR [19]. Here SQTRL rules are used to implement this idea (for both generalizationbased and non generalization-based modifications) when (a part of) the source case can be represented as an RDFS base or a SPARQL query. Another work based on this principle is revision-based adaptation [5], i.e., adaptation based on the use of a belief revision operator [1]. Such an operator \dotplus associates to two belief bases ψ and μ a belief base $\psi + \mu$ equivalent to $\psi' \wedge \mu$ where ψ' is the minimal modification of ψ to make it consistent with μ (given some modification metric). Therefore, the idea of \dotplus -adaptation is to make the revision of the source case by the query (knowing that both have to be consistent with the domain knowledge). The difference here is that RDFS bases are hardly inconsistent.⁴ Therefore, belief revision of RDFS bases in the classical sense has little interest. Currently, alternative ways of defining revision in RDFS are investigated which could lead to a unification of the approach presented here with revision-based adaptation.

This work has strong connections with the theory developed last years that is based on amalgams and on refinement operators [17, 16]. Indeed, refinement operators can be likened to SOTRL rules and are used both for case retrieval [16] and for (single and multiple) case adaptation [17]. Two differences between this previous work and the current one can be pointed out. First, the amalgalms and refinement theory is defined independently from a knowledge representation formalism, whereas we present an approach more concrete, with the advantage of being associated with an operational tool. Second, the refinement operators are generalization and specialization operators, whereas SOTRL allows to define non generalization rules. One could argue that such a rule can be "simulated" by the application of two rules, one for generalization and one for specialization. For example, the rule making the substitution Butter → Margarine can be seen as the composition of the generalization $g = \text{Butter} \rightsquigarrow \text{Fat}$ and the specialization $s = \mathtt{Fat} \leadsto \mathtt{Margarine}$. However, applying these two rules has a cost cost(q) + cost(s) that may be too high, if the Fat class contains subclasses less close to Butter and Margarine from a cooking viewpoint, such as DuckFat. Therefore a rule substituting "directly" butter by margarine with a lower cost is useful and so are other non generalization rules.

6 Conclusion and future work

This paper has presented SQTRL, a query transformation rule language and tool adapted to the SPARQL formalism, and three of its applications. Our claim is that this language and this tool can be applied in many application domains of CBR, provided that the

⁴ The only case of inconsistency of an RDFS base is related to a type error property for datatype properties. For example, if the age of an individual stated with property age is an integer, then the triple (juliet age true) is inconsistent. Such situations of inconsistencies are not relevant here.

⁵ These classes are taken from WIKITAAABLE, the semantic wiki that contains TAAABLE ontology: http://wikitaaable.loria.fr.

case language and the domain knowledge can be translated into RDFS, which embeds the feature-value formalisms and taxonomy languages frequently used in CBR [13]. In particular, it is planned to use SQTRL for an ongoing work in a medical domain.

The SQTRL tool is in the TUUURBINE web site, but the current version of TUUURBINE does not use it: the integration of these tools is a future work.

SQTRL is in its first stable version but, surely, this language will require evolutions. Our policy is to make it evolve when new needs emerge. The particular treatment associated with the filters show that there is room for improvement here. The difficulty is that, in general, the filter term can use the Boolean operators (and, or, not), which raises specific issues if the goal is to make transformations up to equivalence (and not only syntactical ones): if \mathbb{Q}_1 and \mathbb{Q}_2 are equivalent queries (that is $\mathbb{Q}_1 \sqsubseteq \mathbb{Q}_2$ and $\mathbb{Q}_2 \sqsubseteq \mathbb{Q}_1$) and r is a rule that can be applied to \mathbb{Q}_1 to give birth to \mathbb{Q}'_1 , then r should be applicable to \mathbb{Q}_2 to give birth to a query \mathbb{Q}'_2 equivalent to \mathbb{Q}'_1 .

In this paper, the cost fields of the rules are given arbitrarily. One question is how to fix them, which is a complex knowledge acquisition issue often met in CBR (similar to the choice of weights in a similarity measure). Another point is that, in this first version of SQTRL, costs are constant, whereas one can consider that they should be parameterized by the bindings. For example, using the generalization rule of equation (2), one can argue that it is less costly to make the generalization WilliamsPear \rightsquigarrow Pear than the generalization Apple \rightsquigarrow Fruit in the cooking domain. Therefore, having a cost field that is linked with a function will probably be useful.

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