

## Evaluation of Random Neural Layers in Deep Neural Networks

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# Queuing system as Neural Net

Random Neural Networks (RNN) are pro 1989 by Gelenbe. A RNN is a queuing sy

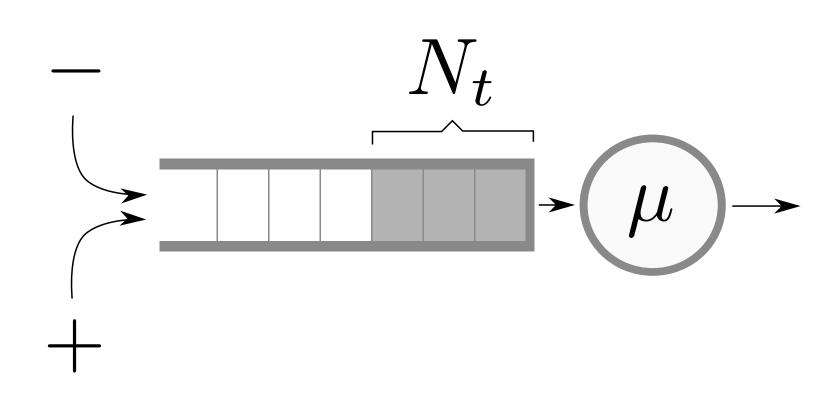


Fig 1 : A queue as Neuron

- Neurons are seen as queues receiving and negative customers :

- when a *positive customer* (la enters in the queue at time t, it increa queue size N<sub>t</sub> by one,

- when a negative customer (la enters in the queue at time t, it dele positive customer in the queue, if any, de the queue size  $N_t$  by one,

- The first positive customer of the queu the queue every  $1/\mu$  in average.

- When a customer leaves a queue, it decr the queue size by one.

- The activation value of a neuron probability that  $N_t > 0$  in steady state (ie., t

Gelenbe shows that it is possible to com activation values of neurons of a introduces weight connections between which are tunable to train the RNN for a a Gradient Descent as in a classica Network.

# **Evaluation of Random Neural Layers** in Deep Neural Networks Corentin Hardy, Erwan Le Merrer, Gerardo Rubino, Bruno Sericola

tworkoposed in  
rstem.Inspired by Random Neural LayerInspired by Random Neural LayerInspired by Random Neural NetworksNetworks (DNN). The RNL takes  
$$X \in R^m$$
. The RNL is composedA matrix of parameters  $W^+ \in$   
- A matrix of parameters  $W^- \in$   
- A vector of constants  $M \in R^n_+$ A matrix of parameters  $W^+ \in$   
- A vector of constants  $M \in R^n_+$ A matrix of parameters  $W^- \in$   
- A vector of constants  $M \in R^n_+$ A matrix of parameters  $W^- \in$   
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eases the  
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etes one  
ecreasingJue leavesInspired by Random Neural Layer  
(ustomers of neuron i. D\_i is the  
of negative customers plus rate  $\mu$ .Recall on the classical fully-connect  
rate  $\mu$ .Recall on the classical fully-connect  
matrix of weights, and  $F$  is the active  
matrix

<b>r*</b>	Experiments									
works, we introduce which is compatible ers in Deep Neural as input a vector d of :	We experiment RNLs in classical architectures of DNNs (taken from Keras). We run different combinations by mixing classical FCL and RNL. In CNN models, convolutionnal layers are not changed.									
$E R^{n \times m}_{\perp}$	-	$1^{st}$ 1		aver $2^{nd}$ lave		$3^{rd}$ laver		Final accuracy		
$\begin{bmatrix} R_{+}^{n \times m} \\ + \end{bmatrix}$	=	RN				RNI			$\overline{96.39\%}$	
		RN		RNL		FCI				
		m RN		FCL		RNL		97.22%		
		RN]			FCL		_	97.31%		
the RNL is a		FCI		RNL		RNL FCI		94.78%		
chas:		$\operatorname{FCL}$ FCL		RNL FCL		FCL RNL		98.06% <b>98.35</b> %		
		FCL		FCL		FCL		98.31%		
(element-wise division)	- Find							ILP model on MNIS		
aghput of positive = ( e mean throughput = ( the mean service = (		1 <sup>st</sup> layer CNN CNN CNN CNN		2 <sup>nd</sup> layer CNN CNN CNN CNN		layer	4 <sup>th</sup> lay RNL FCL RNL FCL	ver Fi	Final accuracy 98.12% 98.68% 98.96% <b>99.03%</b>	
		Final accuracy of a CNN on MNIST								
ected layers (FCL)					lacy					
input $X \in R^m$ is :	$1^{rt}$ layer	$2^{nd}$	layer	$3^{rd}$ laye	$r \mid 4^{th}$	layer	$5^{th}$ layer	$6^{th}$ laye	r Final accuracy	
	CNN CNN CNN CNN	NNCNNNNCNNNNCNN		CNN CNN CNN CNN	CN CN CN CN	N N	RNL RNL FCL FCL	RNL FCL RNL FCL	75.57% 50.83% 83.92% 81.17%	
$V \in R^{n  imes m}$ is the vation function.	Final accuracy of a CNN on CIFAR10									

# sage

g a mix of classical neural layers and RNLs may obtain similar or better results, especially when the RNL is the last layer.

