Point Cloud Library: A study of different features part of the Point Cloud Library
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Abstract — Point Cloud Library (PCL) is an open source library, written in C++, for 3D point cloud processing. It was published by Rusu et al after his PhD dissertation and his work at Willow Garage. It’s the epitome of 3D computer vision nowadays, and has numerous academic and industrial applications. This paper describes our work in the Point Cloud Library.

Keywords—Point Cloud Library, Point Cloud, 3D Computer Vision

I. INTRODUCTION

Point Cloud Library is a library of robust tools for point cloud manipulation. With the advent of low price 3D cameras like Kinect, RealSense etc, usage of depth information in Computer Vision applications has grown. Point Cloud Library incorporates a variety of algorithms for a number of computer vision applications including feature extraction, segmentation, object detection, recognition, and classification, point cloud registration, and pose estimation.

We studied different algorithms part of the Point Cloud Library. Our primary intuition was to follow the comprehensive tutorials listed on Point Cloud Library’s website [1]. We describe the algorithms we implemented which are part of the PCL 1.7 in the rest of the paper. Our implementations were in Ubuntu 14.04 LTS environment set up in a virtual environment.

II. THE PCD FILE FORMAT

The PCL uses a specific file format to store and read point cloud data and other information pertaining to the point cloud dataset. The specific file format is the Point Cloud Document (.pcd) format. It uses the PCD IO and the Point Types libraries to read/write and specify the data contained in the PCD files respectively. Figure 1 shows a sample PCD file and its contents. As we can see, it contains X, Y, and Z coordinates for each point in the point cloud. It also shows a hoard of other useful information which is later used in feature extraction especially the viewpoint direction component which is used to estimate very useful features from images, some of which we will see in the coming sections.

![Figure 1: PCD File showing the X, Y, Z point data](image)

We can also transform a point cloud dataset using the Transformation matrix containing the rotation and the translation components. Figure 2 shows one such transformation obtained through a rotation of \( \pi/4 \) radians about the z-axis, and a translation of 2.5 m along the x-axis.

The following transformation matrix was defined:

\[
\begin{bmatrix}
0.707 & -0.707 & 0 & 2.5 \\
0.707 & 0.707 & 0 & 0 \\
0 & 0 & 1 & 0 \\
0 & 0 & 0 & 1
\end{bmatrix}
\]

![Figure 2: Transformation of a point cloud dataset. The original point cloud, showing a mug placed on a table, is shown in white. The transformed point cloud is shown in red.](image)

III. NORMAL ESTIMATION

The very first features which we extract from a given dataset are the surface normals. There are two prominent methods for the task:
• Obtain the underlying surface from the acquired point cloud dataset, using surface meshing techniques, and computing the surface normals from the mesh.
• Approximate the surface normals from the point cloud dataset directly

We followed the tutorial given on the PCL website. The theoretical primer is as described:

For each point, \( P_i \), the covariance matrix is obtained as:

\[
C = \frac{1}{k} \sum_{i=1}^{k} (P_i - P) (P_i - P)^T, \quad C \cdot \nu_j = \lambda_j \cdot \nu_j, \quad j \in \{0, 1, 2\}
\]

- where \( k \) is the defined number of nearest neighbors or the number of nearest neighbors in a search radius \( r \)
- \( \bar{P} \) represents the centroid of the nearest neighbors
- \( \lambda_j \) is the j-th eigen-value
- \( \nu_j \) is the j-th eigen-vector

Estimating normal to a point on the surface is approximated by the problem of estimating the normal of a plane tangent to the surface, which in turn becomes a least-square plane fitting estimation problem. The outputs are the normal in X direction, in the Y direction, and the Z direction, and the curvature at that point, where the curvature is estimated as:

\[
\sigma = \frac{\lambda_0}{\lambda_0 + \lambda_1 + \lambda_2}
\]

Figure 3 shows the starting few lines of the PCD dataset we used to estimate the surface normals and the associated surface normals obtained using the estimation algorithm.

Figure 4 visualizes the point cloud dataset used, and Figure 5 visualizes the estimated surface normals.

### IV. POINT FEATURE HISTOGRAMS (PFH) [2]

Point Feature Histograms are another set of feature descriptors which are invariant to the pose of the surface, and present much more information about the surface than the surface normals, which may have similar values over the range of the point cloud. The following diagram shows the estimated surface normals and the calculated Point Feature Histogram parameters for a point cloud pair:

After we have estimated the surface normals \( n_s \) and \( n_t \) for the pair, we assign frames as follows:

\[
u = n_s \times \frac{(p_t - p_s)}{\|p_t - p_s\|_2}, \quad \omega = u \times v
\]

After the frame assignment, we calculate the PFH descriptors as the difference between the two normals, for each pair of normals as:

![Figure 4: Visualization of the Point Cloud dataset in the PCL viewer. The scene shows a mug on a table top.](image)

![Figure 5: Visualization of the estimated surface normals for the scene shown in Figure 4 and the associated PCD dataset shown in Figure 3.](image)

![Figure 6: Point Feature Histogram (PFH) descriptors](image)
The PFH features calculation is a really slow process though, with a runtime of $O(nk^2)$. We tried to calculate the PFH descriptors for a dataset containing 209280 points. We ran the algorithm on a 2nd generation Intel core i5 machine with 4 GB of RAM, and it wasn’t able to complete the computation even after an hour. That’s why we need a better set of features more suitable for real world, real time applications. We introduce such features in the next section.

\[
\begin{align*}
\alpha &= \mathbf{v} \cdot \mathbf{n}_t \\
\phi &= \mathbf{u} \cdot \frac{\mathbf{p}_t - \mathbf{p}_s}{d} \\
\theta &= \arctan(\mathbf{w} \cdot \mathbf{n}_t, \mathbf{u} \cdot \mathbf{n}_t) \\
d &= \|\mathbf{p}_t - \mathbf{p}_s\|_2
\end{align*}
\]

Where $\langle \alpha, \phi, \theta, d \rangle$ are the set of PFH descriptors for a pair of points. The descriptors for each query point are binned into a histogram to obtain the PFH features for a given point cloud. Figure 7 shows one such histogram.

**Figure 7: Point Feature Histogram descriptors**

We obtained the Point Feature Histograms for a simple point cloud given in Figure 8. A subset of the PFH descriptors for 13 of the points are given in Figure 9.

**Figure 8: Sample dataset used for calculating the PFH, FPFH, and the VFH features**

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**Figure 9: A subset of the PFH features for 13 points of the point cloud shown in Figure 8**

V. FAST POINT FEATURE HISTOGRAMS (FPFH) [3]

Fast Point Feature Histograms are a simplification of the Point Feature Histograms described in the previous section. The simplification results from the fact that while calculating the nearest neighbors for the point cloud, a neighbor of one point will also be a neighbor of another point in the search radius. These relationships are cached and hence are not computed for each point. Figure 10 highlights this relationship. This leads to a runtime of $O(nk)$, a drastic reduction from PFHs.

**Figure 10: Relationship between nearest neighbors on a query point $p_q$ and its nearest neighbors. Such a relationship is useful when calculating FPFH features and speeds up the feature extraction process.**

After the surface normals have been obtained, and the PFH descriptors $\langle \alpha, \phi, \theta \rangle$ computed, the FPFH descriptors are computed as:

\[
FPFH(p_q) = SPFH(p_q) + \frac{1}{k} \sum_{i=1}^{k} \frac{1}{\omega_k} \cdot SPFH(p_k)
\]
where \( \omega_k \) is the factor by which we weigh the Simple PFH (SPFH) descriptors for nearest neighbor \( p_k \). In our study, \( \omega_k \) represents the distance between a query point \( p_q \) and its nearest neighbor \( p_k \). We obtained the FPFH features for the point cloud shown in Figure 8, and sample results are shown in Figure 11 below.

VI. VIEWPOINT FEATURE HISTOGRAMS (VFH) [4]

Viewpoint Feature Histograms (VFH) are an extension of the Point Feature Histograms (PFH) described in section IV. The viewpoint direction component i.e. the vector from the viewpoint direction to the centroid of the input point cloud is used directly in the relative normal angle calculations. First, the centroid of the input point cloud is determined as:

\[
c = \frac{1}{N} \sum_{i=1}^{N} p_i
\]

The PFH descriptors are then computed as described earlier using the following relations:

\[
\alpha = v \cdot n_i, \quad \phi = u \cdot \frac{(p_i - p_j)}{d}, \quad \theta = \arctan(w \cdot n_j, u \cdot n_j)
\]

The centroid and the PFH descriptors are shown in Figure 12.

The final viewpoint component is calculated as the angle \( \beta \) between the viewpoint vector \( V_p \) and the centroidal as:

\[
\beta = n \cdot V_p
\]

The angle \( \beta \) can be visualized in the figure below:

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The angle \( \beta \) can be visualized in the figure below:
point clouds based on the Euclidean distance. Figure 15 shows the clusters extracted from the point cloud shown earlier in Figure 2. Note that the clusters are extracted from the original point cloud, not the transformed one.

Figure 15: Euclidean cluster extraction of the point cloud shown in Figure 2

VIII. OBJECT CLASSIFICATION USING VFH [5]
Cluster extraction together with VFH features provides a powerful set of tools for object recognition and classification. Object classification in PCL is a two stage process:

i. Training Stage: Given a segmented object cluster, the VFH features are computed, stored, and a kd-tree built.

ii. Testing Stage: Given a point cloud, extract object clusters as discussed in Section VII. Then extract the VFH descriptors for each cluster, and use nearest neighbor search to search for objects in the trained kd-tree.

At dataset already provided at [6] is used, containing 290 objects, for which the VFH descriptors are pre-computed. The dataset contains objects containing a subset of the objects presented in Figure 16 and the point clouds presented in Figure 17.

Figure 16: Training data set

Figure 17: Point clouds for the training dataset

The algorithm was run for three different test cases and the figures below show the results. The query point cloud cluster is shown in the bottom left of each image, and its 15 nearest neighbors are shown accordingly. The numbers in each box represent the similarity measure of each cluster with respect to the query point cloud cluster.

Figure 18: Test case 1: Showing the original point cloud (bottom left) and its nearest neighbors from the dataset

Figure 19: Test case 2
IX. CONCLUSION AND FUTURE WORK

As we can see, the results of the algorithm are remarkable and it successfully identified the object itself and other object clusters similar to it. In fact, the reported object recognition accuracy is as high as 98.52% for a training set containing 55000 point clouds [4]. This also shows that the Point Cloud Library and its algorithms are scalable to large datasets. In addition to that, they work well with noisy data and the processing time is quite fast at 0.3 ms/cluster, making it ideal to use in real world applications.

Now that we have obtained the VFH signatures for different point clouds, we plan to use them with different machine learning algorithms in MatLab. In addition to that, we plan to obtain real world data using Kinect and use the algorithms presented above with that for robotic applications.

References

[1] www.pointclouds.org