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Advances in the Bayesian Occupancy Filter framework using robust motion detection technique for dynamic environment monitoring

Qadeer Baig, Mathias Perrollaz, and Christian Laugier,

Abstract—The Bayesian Occupancy Filter provides a framework for grid-based monitoring of the dynamic environment. It allows to estimate dynamic grids, containing both information of occupancy and velocity. Clustering such grids then provides detection of the objects in the observed scene. In this paper we present recent improvements in this framework. First, multiple layers from a laser scanner are fused using opinion pool, to deal with conflicting information. Then a fast motion detection technique based on laser data and odometer/IMU information is used to separate the dynamic environment from the static one. This technique instead of performing a complete SLAM (Simultaneous Localization and Mapping) solution, is based on transferring occupancy information between consecutive data grids, the objective is to avoid false positives (static objects) like other DATMO approaches. Finally, we show the integration with Bayesian Occupancy Filter (BOF) and with the subsequent tracking module called Fast Clustering-Tracking Algorithm (FCTA). We especially show the improvements achieved in tracking results after this integration, for an intelligent vehicle application.

Index Terms—Bayesian Occupancy Filter, Motion detection, Multi layer laser data fusion, Moving objects tracking.

I. INTRODUCTION

In the field of Advanced Driver Assistance Systems (ADAS), many current approaches rely on the perception of the road scene. Particularly, the detection and tracking of the objects in the scene is essential for prediction of risky driving situations. Among recent approaches for risk estimation, the authors in [1] proposed to model and recognize the behavior of road scene participants in order to refine the prediction of their future trajectories. It allows a long term prediction, compared to classical geometric approaches. This is very promising for long term risk assessment, but reasoning on behaviors requires to separate environment into static and dynamic parts.

A huge amount of work has been done to detect moving objects, especially by the vision community [2]–[5]. These techniques have primarily been based on background subtraction or motion cues. Similar techniques have also been used in occupancy grids to detect moving objects [6], [7]. These techniques are based on inconsistencies observed for new data by comparing them with maps constructed by SLAM. [8] and [9] have also proposed model-based techniques to detect moving objects on the roads in the context of autonomous vehicle driving. More recently, Dempster-Shafer theory based grids (evidential grids) have been used to detect moving objects using conflict analysis techniques [10], [11]. However finding appropriate values of the operators involved is usually a challenging task. The technique described in [12] uses a modified concept of particle filers to monitor dynamic environment. There exist various approaches for such classification of the environment. Having a very precise map of the environment, coupled with a very accurate localization algorithm, can be costly. Thus to perform a SLAM-based localization would be more realistic for commercial vehicles, the computed occupancy grid [13] providing a description of the static environment. More elaborated techniques like [7] or [8] improve this approach by performing detection and classification simultaneously, in a model-based-tracking framework.

When considering more generally the problem of Detection and Tracking of Moving Objects (DATMO), a lot of different methods have been proposed in the literature. In [14], Petrovskaya et al. propose to classify these methods in three categories: Traditional DATMO, Model-based DATMO and Grid-based DATMO. In this paper we are interested in using Grid-based DATMO. It is based on the use of the Bayesian Occupancy Filter (BOF), originally developed in [22] and then expanded in [15], [16], combined with Fast Clustering and Tracking Algorithm (FCTA) [17] for monitoring the dynamic environment. An important work to cite here is [18]. The idea was inspired by the original BOF formulation [22], but integrates also prior map knowledge. However this new formulation has comparable results as that of the original BOF framework but it lacks the static-dynamic division of the cells.

Although the BOF and FCTA combination works fine for properly tuned FCTA parameters, finding appropriate values for these parameters can be a time consuming task. Without proper parameter values FCTA may miss true tracks (for bigger parameter values) or may give false tracks (for smaller parameter values). This dependency of FCTA on parameters is necessary because BOF estimates the occupancy and velocity values for both static and dynamic parts of the environment. BOF framework performs the environment monitoring even when no motion sensor is available. Since objective of FCTA is to cluster and track the moving objects, it is advantageous
to remove the static parts from the output of BOF and input FCTA only detected moving parts. If input of FCTA only consists of likely moving parts of the environment, the dependence of FCTA’s performance on the values of its parameters can be relaxed.

In this work we first present our new approach for building occupancy grids from multiple layers of laser scans. Then we propose a fast and efficient method for static/dynamic environment classification from the occupancy grid generated in the last time-step and show its integration within the BOF framework, to provide a more accurate representation of cell velocities. BOF also takes the occupancy grid generated by the fusion module as an input, and outputs an occupancy and velocity grid that is used by the FCTA. Therefore, we also present the integration of our approach with FCTA. This integration has enabled us to remove a large number of false tracks. Our approach is different from other grid based methods in the sense that usually a complete SLAM solution is implemented to separate the moving parts from the static parts (as in [9]). In current work we have developed a technique that deals with only few consecutive frames to detect moving parts rapidly, and can be easily implemented in real time.

The paper is organized as follow: Section II briefly describes the Bayesian Occupancy Filter framework. Along with reminders of the basic approach, it presents the method used to build occupancy grids from multiple layers of laser scans. It also introduces the subsequent grid clustering technique (FCTA). Next in section III we detail our technique to detect moving objects from the sensor data. Section IV details the integration of this motion detection module within the BOF framework. This approach is tested for an intelligent vehicle application. Section V describes our demonstrator vehicle used to get data sets for this work, and presents some results. The paper concludes with future perspectives in section VI.

II. THE BAYESIAN OCCUPANCY FILTER (BOF) FRAMEWORK

In this section we briefly introduce the BOF framework with the FCTA module to detect and track the moving objects. In this framework, the idea is to perform sensor fusion and environment monitoring at low level, hence the fast and efficient grid-based representation used during all the process. Data association is delayed in order to avoid association-related problems during the early stages. The objects are only retrieved at the end of the processing through clustering of the dynamic grid. To summarize, the complete processing from sensor data to objects can be divided into three stages: i) Multi sensor fusion using occupancy grid representation ii) filtering and estimation of dynamic grid and finally iii) clustering of the dynamic grid and tracking.

A. Sensor fusion from multiple lidar layers

Consider multiple layers of laser scans. They could be provided either by a multiple-layers laser scanner or by multiple single-layer laser scanners. Each layer can be used to compute an occupancy grid using the classical range finder probabilistic sensor model described in [19]. In order to retrieve a single grid for representation of the environment, the data from all these layers are merged using the approach described in [20]. This approach fuses the sensory information by using Linear Opinion Pools [21].

The principle is to generate a posterior distribution over the occupancy of a cell $C$ of the grid given the opinion of $m$ sensors $\{Y_1, \ldots, Y_m\}$. For each cell, each sensor gives two quantities: its estimation for the occupancy of the cell $P(C|Y_i)$ and $w_i(C)$, a measure of the confidence for such estimations. The idea is to shut-down those sensors that do not give relevant information to the process by assigning a low weight to them. The fusion of all sensory information will be as follows:

$$P(C|Y_1 \ldots Y_m) = \alpha \sum_{i=1}^{m} w_i(C) P(C|Y_i)$$

(1)

where $\alpha = \left[ \sum_{i=1}^{m} w_i(C) \right]^{-1}$ is a normalization factor for the weights. Equation (1) is used to generate 2D-occupancy grids. For each sensor $Y_i$ we must define $P(C|Y_i)$, the probability of a cell being occupied given the sensor information; and $w_i(C)$, the confidence on the opinion. The confidence includes two components: one related to the geometry (e.g. if the beam is close to the ground), the second one is related to the probability of the cell to be actually visible by the sensor (details in [20]). Note that we assume independence among cells, in order to be efficient in computing equation (1), for each cell in parallel.

There are two advantage with this method. First, the confidence on occupancy is computed independently for each cell of the grid. Therefore, if a layer hits the road surface, the confidence will be low and it will not interfere with other layers. Second, it has the advantage of reducing the errors due to conflicting information from the multiple layers. For example, if a layer hits an object (meaning that the corresponding cell is occupied), and an upper layer goes over the object (meaning that the cell is free), both information are in conflict. As seen on Fig. 1, standard Bayesian fusion would lead to low occupancy probability, while the proposed approach would see the cell as probably occupied.

B. Filtering the grid using the Bayesian Occupancy Filter

The Bayesian Occupancy Filter (BOF) provides filtering capability, as well as the ability to estimate a velocity distribution for each cell of a grid. It is an adaptation of the Bayesian filtering methodology to the occupancy grid framework, based on a prediction-estimation paradigm, as shown in figure 2. As an input, it uses an observed occupancy grid. On its output, it provides an estimated occupancy grid as well as a set of

\[ \text{weights} \]

\[ \text{parameters} \]
velocity grids, representing the probability distribution over possible velocities for each cell.

In this context, the prediction step propagates cell occupancy and velocity distributions of each cell in the grid and obtains the prediction $P(O_t^c | A_t^c)$ where $P(O_t^c)$ denotes the occupancy distribution and $P(A_t^c)$ denotes the antecedent (velocity) distribution of a cell $c$ at time $t$ (velocity of a cell depends on its previous position called antecedent, if we know the previous position of a cell we can calculate its velocity because size of cells is fixed and we know the time interval as well). In the estimation step, $P(O_t^c, A_t^c)$ is updated by taking into account the observations yielded by the sensors $\prod_{i=1}^5 P(Z_i^c | A_i^c, O_i^c)$ to obtain the posterior state estimate $P(O_t^c, A_t^c | Z_1^c, \cdots Z_5^c)$ where $Z_i^c$ denotes the observation of sensor $i$ at $t$. This allows us to compute by marginalization $P(O_t^c | \{Z_1^c, \cdots Z_5^c\})$ and $P(A_t^c | \{Z_1^c, \cdots Z_5^c\})$, which will be used for prediction in the next iteration.

C. Detecting objects with the Fast Clustering and Tracking Algorithm

While the dynamic grid representation provided by the BOF can be sufficient for some applications (e.g. navigation), moving object detection requires to retrieve an object level representation of the scene. This cannot be directly reached from the occupancy grid, and therefore a clustering algorithm is necessary. An algorithm adapted to the BOF framework is the “Fast Clustering Tracking Algorithm” described in [17]. It has the major interest to create clusters considering not only the connectivity in the occupancy grid, but also the Mahalanobis distance between cells in the estimated velocity grids. Thus two connected cells with different velocities are not merged during the clustering process. This is very important because two closely located such clusters may actually belong to two different objects moving with different velocities. Thus addressing the partial occlusion problem elegantly.

FCTA includes a Kalman filter for target tracking and a ROI prediction approach that allows computation to be performed in real time. The output of the algorithm is a set of tracked objects, with position, velocity and associated uncertainties.

The integration of this detection and tracking algorithm with the BOF algorithm aims at providing a single application that takes its input from the installed sensors and outputs the tracks to be used for risk assessment. Like other approaches FCTA also suffers from false tracks detection problem, so a pre-classification of cells into static and dynamic categories can help in this regard. The motion detection module capable of classifying the environment into static and dynamic regions can serve to ease this problem.

III. Motion Detection

A. Outline of the approach

In this section we detail the technique that we have developed to find moving parts of the environment. This motion detection module is situated in the processing chain just before the BOF. The input to this module consists of an occupancy grid generated by the fusion module, described in previous section. Let us represent this occupancy grid at time $t$ as $OG_t$ and an $i$th cell in this grid can be accessed as $OG_t[i]$ where $0 \leq i < N$ with $N$ being the total number of cells of this occupancy grid. The value of each cell of this grid is between 0 and 1 i.e. $0 \leq OG_t[i] \leq 1$ and represents internal belief of the ego vehicle about the occupancy state of each cell. 0 means empty and 1 means occupied.

The module also requires proprioceptive information from the vehicle. Here we consider using an Inertial Measurement Unit (IMU), which provides at time $t$ -along with other information- two components of velocity $v_t = (u,v)$ and values of quaternion components for orientation $Q_t = \{...\}$.

Fig. 1. (up) Left image from the stereo camera. (down) Occupancy grids computed from multiple layers of laser scans: (left) with Bayesian Fusion, (right) with our new approach. Due to conflicting information, the left fence disappears with Bayesian fusion, while still being visible with our method.

Fig. 2. Bayesian filtering in the estimation of occupancy and velocity distributions in the BOF grid [22].
(q₀, q₁, q₂, q₃). From these information we calculate the translational and rotational velocities \( u_t = (ν_t, ω_t) \) of the vehicle as follows:

\[
ν_t = \sqrt{u_x^2 + u_y^2}
\]  

(2)

To compute rotational velocity of the vehicle we calculate yaw angle of the vehicle from the quaternion as follows:

\[
ψ = \arctan2(2*(q₀*q₃+q₁*q₂), 1-2*(q₂^2+q₃^2))
\]  

(3)

And if \( dt \) is the time difference between two successive data frames at time \( t \) and \( t - 1 \), then rotational speed \( ω \) at time \( t \) is equal to the yaw rate given as:

\[
ω_t = \frac{ψ_t - ψ_{t-1}}{dt}
\]  

(4)

B. Motion Detection Algorithm

At each time \( t \), the algorithm that consists of following steps :

Step I) Free and occupied counts arrays:

For each new input occupancy grid \( OG_t \) we create two count arrays having same dimensions as that of \( OG_t \), the first one called \( FreeCount \) and the other one called \( OccupiedCount \) to keep count of the number of times a cell has been observed “free” and number of times it has been observed “occupied” respectively. These arrays are initialized from \( OG_t \) as follows:

\[
OccupiedCount[i] = \begin{cases} 
1, & \text{if } OG_t[i] > 0.5 \\
0, & \text{otherwise}
\end{cases}
\]  

(5)

and

\[
FreeCount[i] = \begin{cases} 
1, & \text{if } OG_t[i] < 0.5 \\
0, & \text{otherwise}
\end{cases}
\]  

(6)

Step II) Counts update from previous step:

Suppose \( FreeCount_{t-1} \) and \( OccupiedCount_{t-1} \) are the updated count arrays at time \( t - 1 \). We want to update new counts \( FreeCount \) and \( OccupiedCount \). Since vehicle has undergone a position change determined by \( u_t = (ν_t, ω_t) \), there is no direct correspondence between cells of two occupancy grids \( OG_t \) and \( OG_{t-1} \). We must find the transformation that maps a cell in \( OG_{t-1} \) to a cell in \( OG_t \) using \( u_t \). This situation is shown in figure 3. \( OG_{t-1} \) has origin at \( O_{t-1} \) and \( OG_t \) has origin at \( O_t \). To find the transformation suppose \( O_{t-1} = (x_{t-1}, y_{t-1}, θ_{t-1}) = (0, 0, 0) \) is the pose (position and orientation) of the occupancy grid at time \( t - 1 \) (i.e of \( OG_{t-1} \)) and we want to find \( O_t = (x_t, y_t, θ_t) \), the pose of \( OG_t \) under \( u_t \). Considering a circular motion trajectory (which means that the object with both linear and rotational velocity is supposed to actually move along the circular path. For short periods of time its is an acceptable approximation.), the pose of \( O_t \) w.r.t \( O_{t-1} \) is given as:

\[
\begin{bmatrix}
x_t \\
y_t \\
θ_t
\end{bmatrix} = \begin{bmatrix}
ν_t/ω_t * \sin(ω_t * dt) \\
ν_t/ω_t - ν_t/ω_t * \cos(ω_t * dt) \\
ω_t * dt
\end{bmatrix}
\]  

(7)

Although it is a good approximation for a relatively accurate motion sensor, localization errors may occur due to sensor uncertainty and external factors (like vehicle slipping ). To fix these problems we use a pose correction measure similar to the one given in [19]. An uncertain region is defined around the new position at time \( t \) (given by equation 7) calculated using circular motion model. Different pose samples are taken from this region and for each pose sample a score function is evaluated using new data \( OG_t \) and free and occupied counter values. The function is given below (\( OC \) for Occupied Counter, \( FC \) for Free Counter, and \( N \) for total grid cells):

\[
score = \sum_{j=1}^{N} \left\{ \begin{array}{ll}
1, & \text{if } (OG_t[j] > 0.5) \\
0, & \text{otherwise}
\end{array} \right. \
\sum \left\{ \begin{array}{ll}
1, & \text{if } (OG_{t-1}[i] > FreeCount_{t-1}[i]) \\
-1, & \text{if } (OG_{t-1}[i] < FreeCount_{t-1}[i]) \\
0, & \text{otherwise}
\end{array} \right.
\]

(8)

(Note that \( OG_{t-1}[j] = 0.5 \) gives no information whether the cell is occupied or empty.) Here \( i \) and \( j \) are corresponding cells in occupancy grids at \( t - 1 \) and \( t \) respectively, as explained below. The pose sample giving the highest value of this score is taken as the correct current pose of the vehicle improving the overall motion detection results.

Fig. 3. Position of the grid at time instants \( t - 1 \) and \( t \). Vehicle undergoes a motion of \( u_t = (ν_t, ω_t) \) to move from \( O_{t-1} \) to \( O_t \). We need to find the position of point \( P \) of grid \( OG_{t-1} \) in grid \( OG_t \). An important thing to note here is that we are concerned with the localization of few consecutive frames only. We do not solve the complete SLAM problem, making the technique very fast. The pose estimation between two frames may not be exact but the error does not accumulate over longer periods of time because the map is very local, restricted to one small window of one data frame. Ego vehicle is always located on the middle point of the bottom edge.
To map a cell of grid $OG_{t-1}$ to grid $OG_t$ we proceed as follows. Suppose point $P$ (shown in figure 3) is the center of a cell in grid $OG_{t-1}$ and we want to find its corresponding cell in grid $OG_t$. We define following two pose manipulation operations:

**Combination:** If $P_{ij}$ is the pose of origin $j$ w.r.t origin $i$ and $P_{jk} = [x_{jk}, y_{jk}, \theta_{jk}]^T$ is the pose of origin $k$ w.r.t $j$ then the pose of $k$ w.r.t $i$ denoted as $P_{ik} = [x_{ik}, y_{ik}, \theta_{ik}]^T$ is given as:

$$P_{ik} = \oplus(P_{ij}, P_{jk}) = \begin{bmatrix} x_{jk} \cos(\theta_{ij}) - y_{jk} \sin(\theta_{ij}) + x_{ij} \\ x_{jk} \sin(\theta_{ij}) + y_{jk} \cos(\theta_{ij}) + y_{ij} \\ \theta_{ij} + \theta_{jk} \end{bmatrix}$$  \hspace{1cm} (9)

**Inverse:** For the pose $P_{ij}$ the reverse pose relationship $P_{ji} = [x_{ji}, y_{ji}, \theta_{ji}]^T$ (pose of $i$ w.r.t $j$) is defined as:

$$P_{ji} = \ominus(P_{ij}) = \begin{bmatrix} -x_{ij} \cos(\theta_{ij}) - y_{ij} \sin(\theta_{ij}) \\ x_{ij} \sin(\theta_{ij}) - y_{ij} \cos(\theta_{ij}) \\ -\theta_{ij} \end{bmatrix}$$  \hspace{1cm} (10)

Since the pose of $O_t$ w.r.t $O_{t-1}$ is $P_{O_{t-1}O_t} = [x_t, y_t, \theta_t]^T$ and point $P$ has pose $P_{O_{t-1}, P} = [x, y]^T$ w.r.t $O_{t-1}$. The pose of this point $P$ w.r.t $O_t$ is calculated as:

$$P_{O_t,P} = \ominus(P_{O_{t-1}, O_t}, P_{O_{t-1}, P})$$  \hspace{1cm} (11)

or

$$P_{O_t,P} = \ominus(\ominus(P_{O_{t-1}, O_t}), P_{O_{t-1}, P})$$  \hspace{1cm} (12)

First two components of $P_{O_t,P}$ give $x$ and $y$ position of point $P$ w.r.t origin $O_t$. From these $x$ and $y$ values we can easily calculate the index of the cell where point $P$ lies in grid $OG_t$. We define the following two pose manipulation:

**Step III) Motion detection:**

After the counts arrays have been updated as explained above the motion grid can be calculated from the new data using following heuristic:

$$MotionGrid_t[i] = \begin{cases} 1, & \text{if } OG_t[i] > 0.5 \text{ and } FreeCount_t[i] > m \times OCount_t[i] \\ 0, & \text{otherwise} \end{cases}$$  \hspace{1cm} (15)

Here $m$ is a sensor specific input parameter. Its empirically learnt value in our experiments is 2. So a cell has a moving object in it if it is occupied at current time instant and previously it was observed as free for sufficient number of times (at least twice the number of times it has been observed as occupied). After this processing, $MotionGrid_t$ has 1 in the cells which are detected as belonging to moving objects.

The final measure that we have taken to remove false positives is the implementation of a road border detection (as detailed in [23]) technique. In this technique road borders are searched in vertical directions of current vehicle orientation using a window based approach. The window giving a score greater than a certain threshold signals the presence of a road border. When road borders are detected with high confidence, moving cells detected beyond the road border are ignored.

![Fig. 4. Block diagram of the system.](image)

IV. INTEGRATION WITH THE BOF FRAMEWORK

A. Integration with BOF

We have updated the BOF implementation to take into account the motion detection results. The motion grid is used as an input for updating the BOF. If the input motion grid tells that a cell belongs to a static object, then during prediction and update cycles of BOF the cell’s velocity distribution over the velocity range is set to uniform for all discrete velocity values. This essentially means that no velocity information for a given cell is available and the cell is labeled as static in the current BOF implementation. However, if the cell has been detected as belonging to a moving object, then the velocity distribution prediction and the update cycle are carried out normally. In formal terms as outlined in [17], this change in the parametric form of dynamic model can be stated as:

$$P(A_t | A_{t-1}) = \begin{cases} (1 - \epsilon)P(A_{t-1} | A_{t-1}) + \epsilon / ||A_t|| & \text{if } MotionGrid_t[i] > 0 \\ 1/||A_t|| & \text{otherwise} \end{cases}$$

where $A_t^i$ is the set of antecedents of cell $i$ at time $t$ and $\epsilon$ is a parameter of BOF, modeling the prediction error probability.
The antecedent of a cell \(i\) at time \(t\) means the cell \(j\) at time \(t-1\) where the same object (currently seen in cell \(i\)) was seen. This knowledge along with the knowledge of time difference and cell sizes lets us calculate the object velocity. Complete derivation of this equation can be found in [17].

B. Integration with FCTA

We have also updated the FCTA implementation to take into account the motion detection results. The cells which do not possess the velocity information are now ignored during the clustering step. While generally most of the areas belong to static objects and are detected as static by the motion detection module, two main advantages are expected from this strategy: (i) the clustering stage of the algorithm is highly accelerated by the reduction of hypotheses, and (ii) the wrong moving clusters are ignored because they are not considered for clustering, even with the relaxed FCTA parameters. A block diagram of the system is shown in figure 4.

V. EXPERIMENTATION

A. Experimental Platform

Our experimental platform is a Lexus LS600h car, shown in Fig. 5. The car is equipped with following sensors (Fig. 5 and 6): two IBEO Lux lidars placed in the front bumper, a TYZX stereo camera situated behind the windshield, and an Xsens MTi-G sensor (IMU with GPS). Extrinsic calibration of the sensors is done manually for this work. Note that, thanks to the grid-based approach and considering the resolution of the grid, a slight calibration error has very little impact on the final results.

Fig. 5. Lexus LS600h car equipped with two IBEO Lux lidars and a TYZX stereo camera

The hardware specification are the following: IBEO Lux LIDAR laser scanner provides four layers of up to 200 beams with a sampling period of 40 ms. The angular range of each lidar is 100°, and the angular resolution is 0.5°. The on-board computer is equipped with 8GB of RAM, an Intel Xeon 3.4GHz processor and a NVIDIA GeForce GTX 480 for GPU. The observed region is 60 m long by 20 m wide, with a maximum height of 2 m (due to different vertical angle of the 4 layers of each laser scanner). Cell size for the occupancy grids is 0.2m x 0.2 m. Xsens MTi-G is deployed in the middle of the rear wheel axis. In this work we do not use the stereo vision camera.

B. Results

1) Motion detection: Some results of the motion detection module are shown in figures 7 and 8, (rectangles around the objects are drawn manually to highlight them). As expected, the moving objects are properly detected. For example, Fig. 7 shows correct motion detection in a scenario with two cars. The car moving around a roundabout in Fig. 8 has also been successfully detected. Some noise is also visible on the results, mainly due to two causes: first, localization errors along with the circular motion model may result in some errors in the estimation of the motion; second, the decision function is too rough for taking correct decisions in every situation (especially for the regions having non fixed objects like bushes and grass). The results would benefit from replacing this function by a probabilistic model.

2) Integration with FCTA: The following statistics, with a dataset of about 13 minutes of driving on open roads, give an insight into the improvements gained with our new implementation. When the motion detection module is not used, 22303 moving objects (not tracks) in total are detected. The activation of the motion detection module with all other parameters being equal detects 4796 moving objects in all frames in total. This example shows the advantage of the motion detection module because it allows us to remove most of the false moving objects while leaving most of the true dynamic objects. When considering tracks and not only detections, the results are also promising, as shown on table I.

Some qualitative FCTA tracking results with and without motion detection module activated (with all other parameters being same) are also shown in Fig. 9. Red rectangles are the detected tracks by FCTA in the shown scenario. We clearly see that most of the false positives have been removed.
Fig. 7. Motion detection results of two cars. Top, scenario, bottom right input fused grid, bottom left resulting motion grid. The noise on the bottom right is due to bushes along the road.

<table>
<thead>
<tr>
<th>Data Set</th>
<th>Duration</th>
<th>Tracks without MD</th>
<th>Tracks with MD</th>
<th>True tracks</th>
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<td>1</td>
<td>13:00</td>
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<td>2</td>
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<td>225</td>
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<td>29</td>
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<td>3</td>
<td>7:49</td>
<td>217</td>
<td>43</td>
<td>31</td>
</tr>
</tbody>
</table>

Table I: Statistics of detected tracks without and with motion detection (MD) module activated.

3) Computation time: All the components of the method are designed to be implemented on GPU with highly parallel processing. The measured average computation time for each module is:

- Multi-layer fusion (GPU): 8ms
- BOF update (GPU): 10ms
- Motion detection (CPU): 2.6 ms
- FCTA (CPU): 0.34 ms

Thanks to the GPU implementation, the two first stages of the approach can work in real time. As expected, the motion detection module is fast despite the CPU implementation. We hope to obtain an important gain from the GPU implementation. Moreover, this module allows to reduce significantly the computation time of the FCTA, by reducing the number of tracking hypotheses. As an example, for the same scene processed without and with the motion detection module, the FCTA computation time is: 0.5 and 0.34 ms respectively.

VI. CONCLUSION AND FUTURE WORK

In this paper we have presented our current implementation of the Bayesian Occupancy Filter framework for dynamic environment monitoring. Compared to the previous implementation, we added two modules which are well suited for the intelligent vehicle application. First, we propose a new approach for fusing the information from multiple
layers of laser scanners, and computing the corresponding occupancy grid. Then, a fast technique to find moving objects from this grid data is proposed. The presented technique does not require to perform complete SLAM to detected moving objects but uses grid data along with odometer/IMU information to transfer occupancy information between two consecutive grids. We have also presented its integration with Bayesian Occupancy Filter (BOF) and Fast Clustering-Tracking Algorithm (FCTA). We have seen that after this integration we were able to remove a significant part of the detections resulting from the static environment.

In the future, we plan to change the rather ad hoc decision module that is currently based on occupied and free counter values to a more formal probabilistic function that also takes into account the uncertainty effects on the neighboring cells to accommodate the localization errors. We also plan to implement multiple motion models, to track moving objects with more accuracy and over longer periods of time.

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REFERENCES


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